

DSM GENERATION FROM VERY HIGH RESOLUTION STEREOSCOPIC IMAGERY

Cyrielle GUERIN (CEA, France)

KISS Workshop : Gazing at the Solar System

JUNE, 2014

www.cea.fr

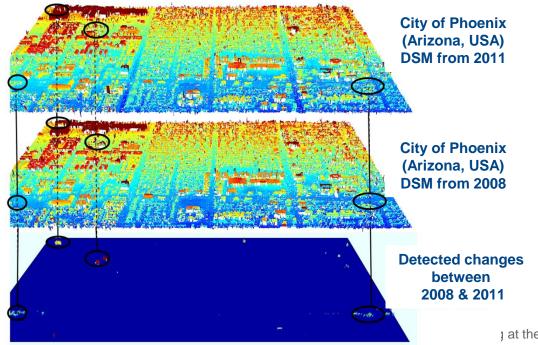


CONTEXT

Digital Surface Model (DSM)

Used for various applications :

- Image ortho-rectification,
- 3D ground measurements,
- Elevation changes detection between two DSMs acquired at different dates
 Urban changes.





Various applications that require increasing accuracy

- Especially for :
 - Buildings edges,
 - Transitions areas (occlusion),
 - Homogeneous or complex featured areas,
 - Mobiles targets, etc.

And accurate image co-registration

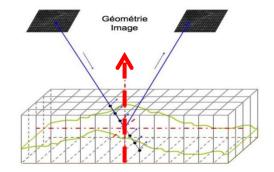
- Intra couple: for the DSM generation,
- Inter couple : for DSM comparison,



Optimization function

Micmac tool* from IGN :

- ➢ Free open source tool,
- > 3 different matching geometry available :
- Epipolar ground space image space
- > Multi-scale



Better accuracy with the image space matching when dealing with stereoscopic couples

➔ no errors on the master images occlusions.

- Homologous pixels selected according to :
 - Normalized Cross Correlation Coefficient (NCC),
 - Spatial regularization.

General equation :
$$E(z) = \sum_{x \in X} NCC(z(x)) + \sum_{y \in V(x)} f(|z(x) - z(y)|)$$

* Download at http://logiciels.ign.fr/?-Micmac,3-



RESULT : ELEVATION IMAGE

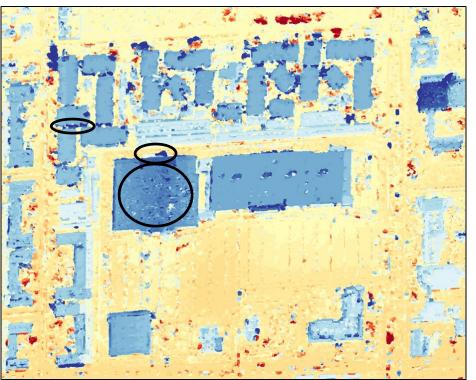
Elevation image in the master image geometry



- Numerous errors:
 - \succ Occlusions,
 - ➢ Homogeneous areas,
 - ➢ heavy slopes.

➔ Errors on the elevation images often have an impact on the final result :

- Change detection,
- Volume estimation,
- > Ortho-rectification.



Elevation image from WorldView -1 stereoscopic images KISS Workshop : Gazing at the solar system | PAGE 5

ELEVATION RESAMPLING ONTO A REGULAR GEOGRAPHIC GRID : OCCLUSION HANDLING

Additional constraints to the image resampling

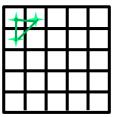
Z-buffer condition :

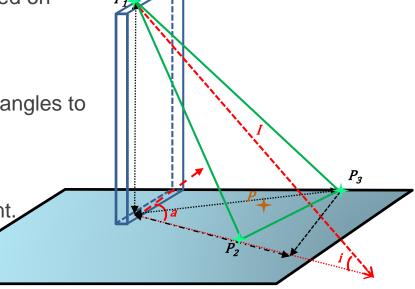
→ selection of the higher value computed on each pixel to avoid building frontages.

Geometric constraints :

➔ use of the master image acquisition angles to mask the occlusion areas.

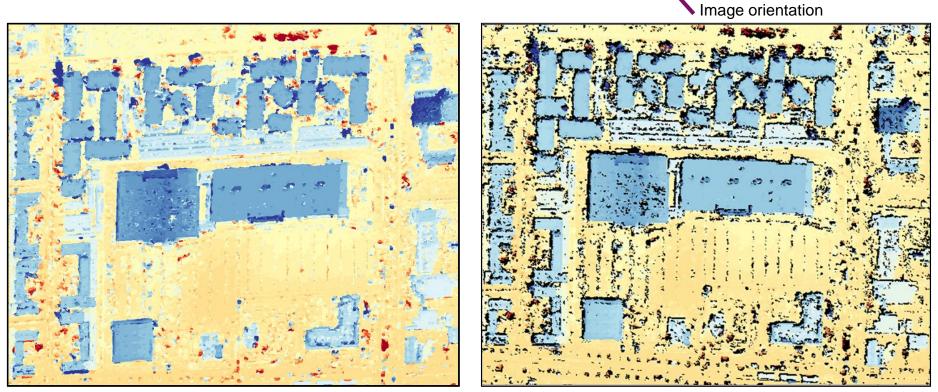
- Qualitative constraints :
 - → threshold on the correlation coefficient.







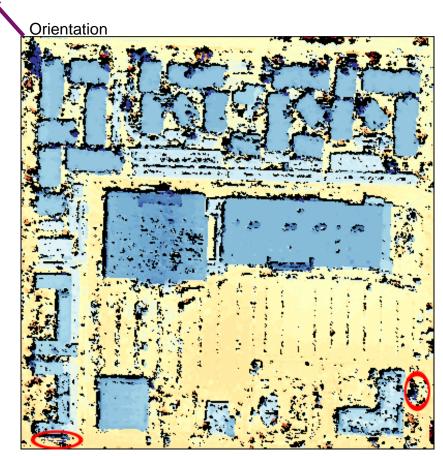
Master image space elevation & resampled elevation



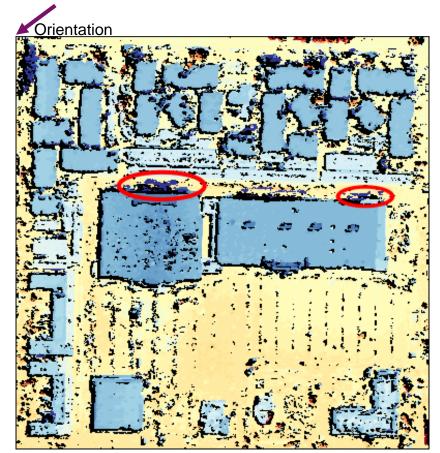
Elevation in the master image space

Resampled elevation

RESULT : RESIDUAL ERRORS ON THE OCCLUSION AREAS FROM THE SLAVE IMAGE



Elevation image from the image 1 resampled onto a geographic grid



Elevation image from the image 2 resampled onto a geographic grid KISS Workshop : Gazing at the solar system | PAGE 8



SOLUTION : DSM FUSION

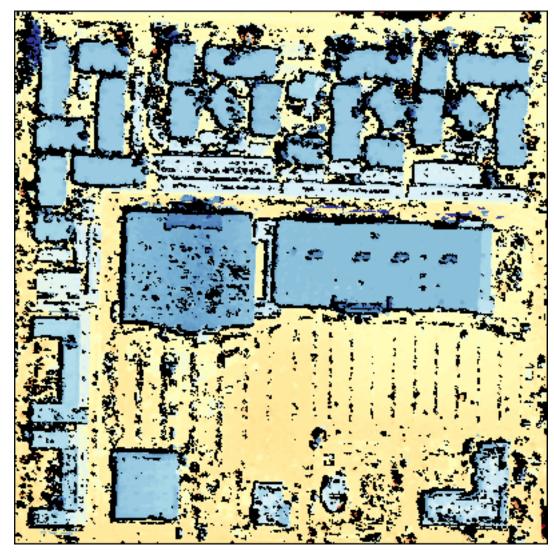
Two computed DSM from the same image couple :

- Accurate co-localization,
- Each contains its own miss-correlation,
- Each associated with its own occlusion mask,
- Each associated with a correlation image, containing the correlation scores obtained on each pixel.
- ➔ Fusion of these DSM in order to get a result that is :
 - > Spatially coherent \rightarrow need a regularization constraint,
 - \succ Accurate on building edges \rightarrow require the use of the occlusion masks.

Cea Me

MEAN FUSION : EXEMPLE

- Mean calculation between the value obtained at each pixel :
 - 0 if one of them is masked,
 - mean(I₁(i,j),I₂(I,j)) if both are determined.

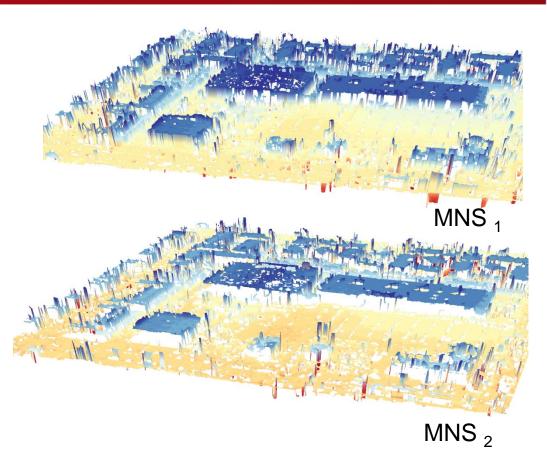


KISS Workshop : Gazing at the solar system | PAGE 10

SEMI-GLOBAL LABELLING FUSION

Labels :

Label 1 : $n^{1} = MNS_{1}$ $C_{data}(x, n^{1}(x)) = 1 - NCC(x, MNS_{1})$ Label 2 : $n^{2} = MNS_{2}$ $C_{data}(x, n^{2}(x)) = 1 - NCC(x, MNS_{2})$



Label 3 :

$$n^2 = Occlusion$$

 $C_{data}(x, n^{3}(x)) = max[NCC(x, MNS_{1}), NCC(x, MNS_{2})] + \frac{1}{1 + e^{-L(|Z(x, MNS_{1}) - Z(x, MNS_{2})| - t_{1})}}$

DSM Labels :

The Agreement data depends on the obtained correlation score :

$$C_{data}(x, n^{1}(x)) = 1 - NCC(x, MNS_{1})$$

> The higher it is, the more relevant the elevation value is

Occlusion Label :

the agreement data term linked to :

- Strongly different values on the same pixel in both DSM

- Masked pixels in one or both DSM.

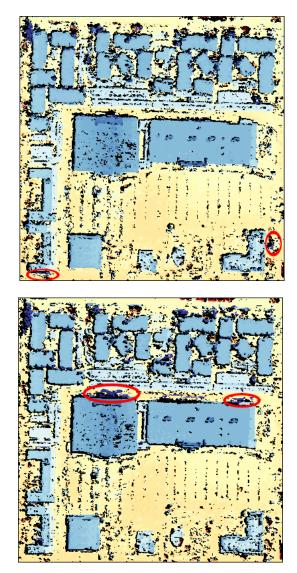
$$C_{data}(x, n^{3}(x)) = max[NCC(x, MNS_{1}), NCC(x, MNS_{2})] + \frac{1}{1 + e^{-L(|Z(x, MNS_{1}) - Z(x, MNS_{2})| - t_{1})}}$$

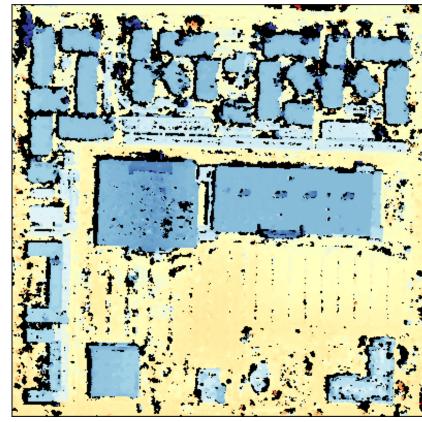
Regularization term :

$$C_{reg}\left(\left(x, n^{k}(x)\right), \left(y, n^{j}(y)\right)\right) = \frac{1}{1 + e^{-L\left(\left|Z(x, n^{k}(x)) - Z(y, n^{j}(y))\right| - t_{2}\right)}}$$
KISS Workshop : Gazing at the solar system | PAGE 12



FUSION RESULTS

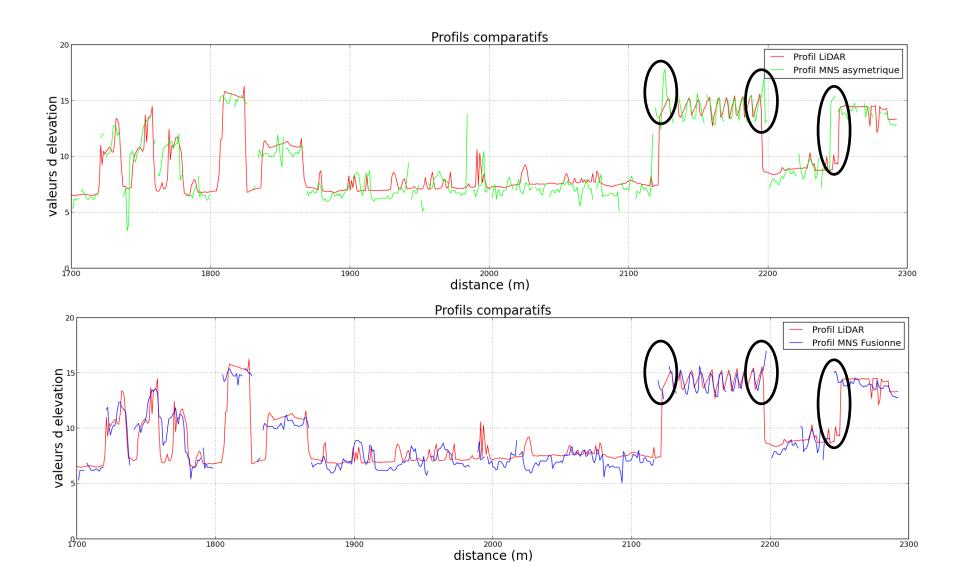




Fusion result

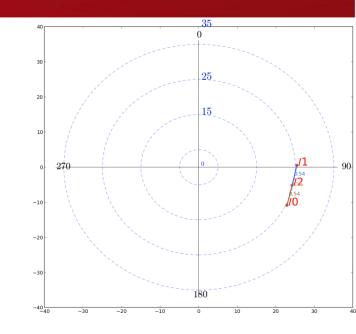


DSM PROFILS



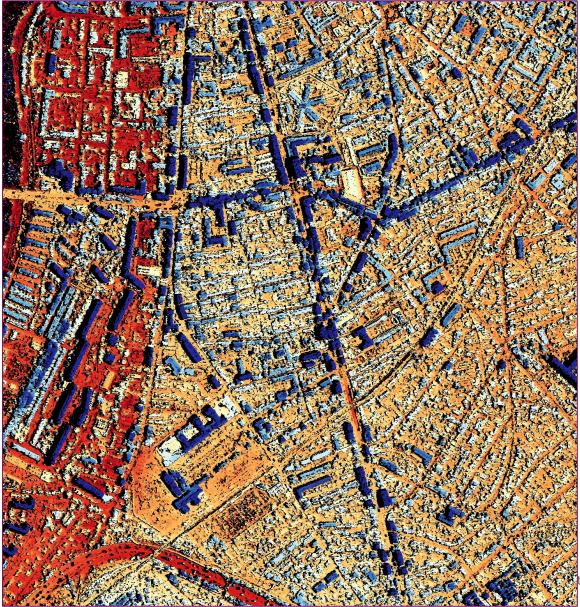
APPLICATION TO MULTI-STEREOSCOPIC IMAGES





KISS Workshop : Gazing at the solar system | PAGE 15

APPLICATION TO MULTI-STEREOSCOPIC IMAGES



DSM generated with a stereoscopic couple. Toulouse 2012

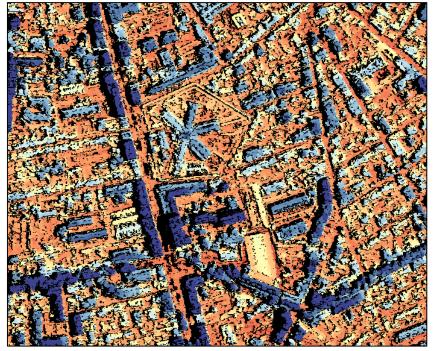




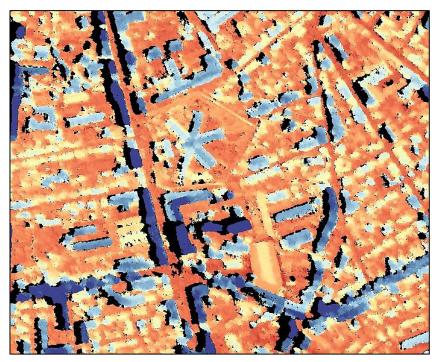
DSM generated with a tri- stereoscopic couple. Toulouse 2012





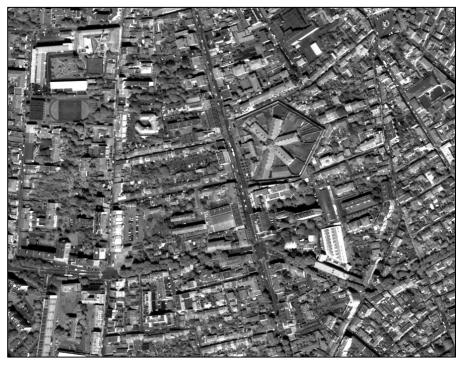


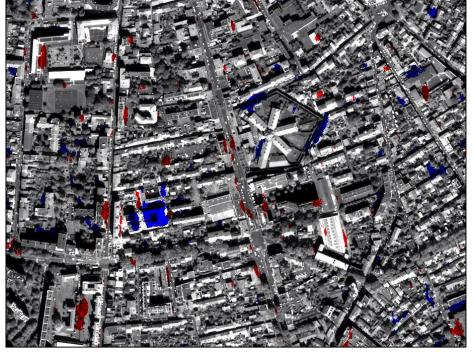
DSM generated with a stereoscopic couple. Toulouse 2012



DSM generated with a tri- stereoscopic couple. Toulouse 2012

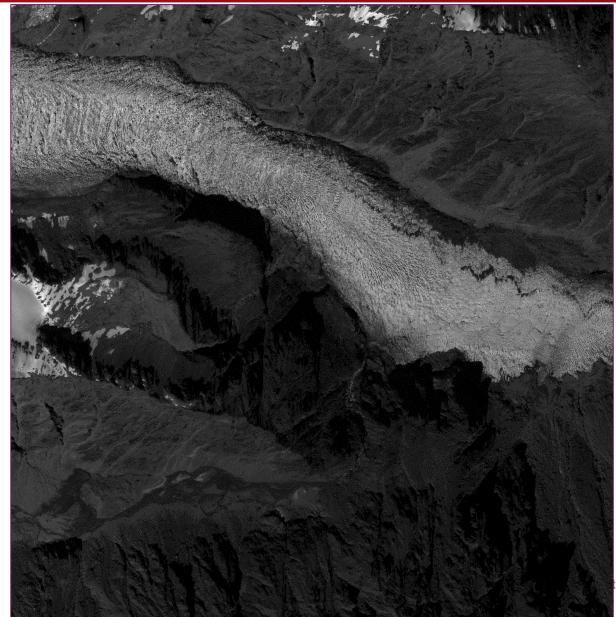






Pléiades Image Toulouse 2012 Pléiades Image Toulouse 2013 and detected changes

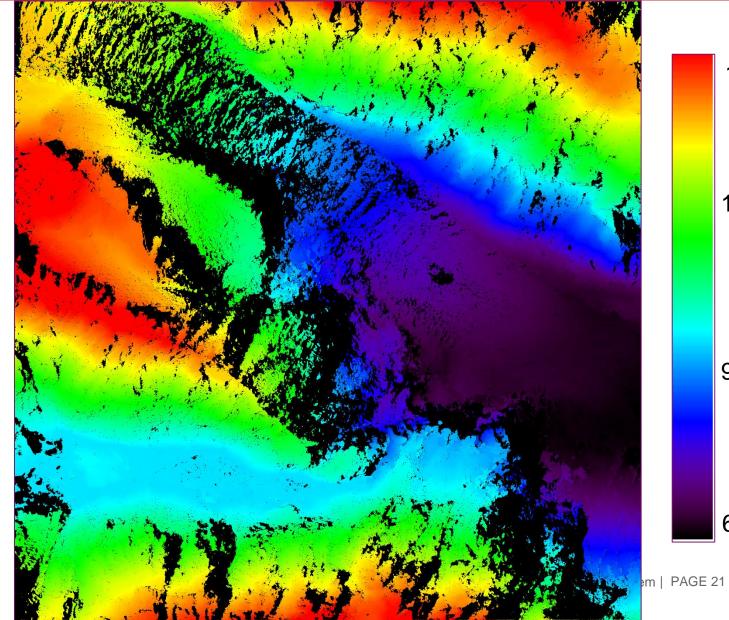
FIRST RESULT ON A GLACIER



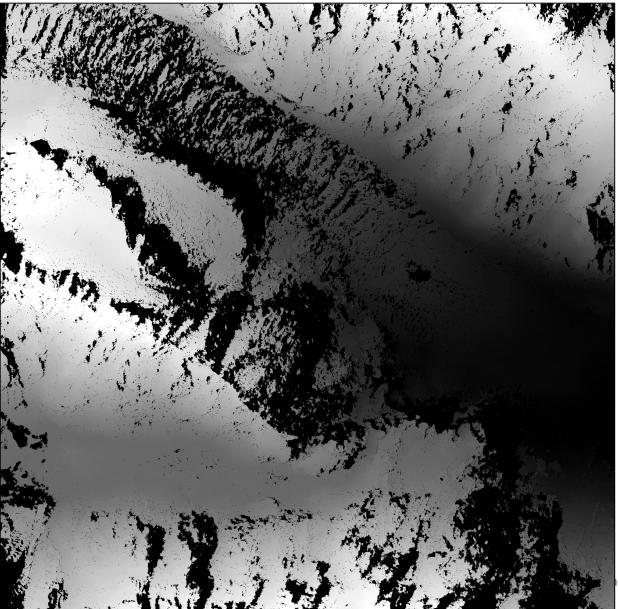
Franz Josef Glacier New- Zealand

FIRST RESULT ON A GLACIER





FIRST RESULT ON A GLACIER



Thank you for your attention