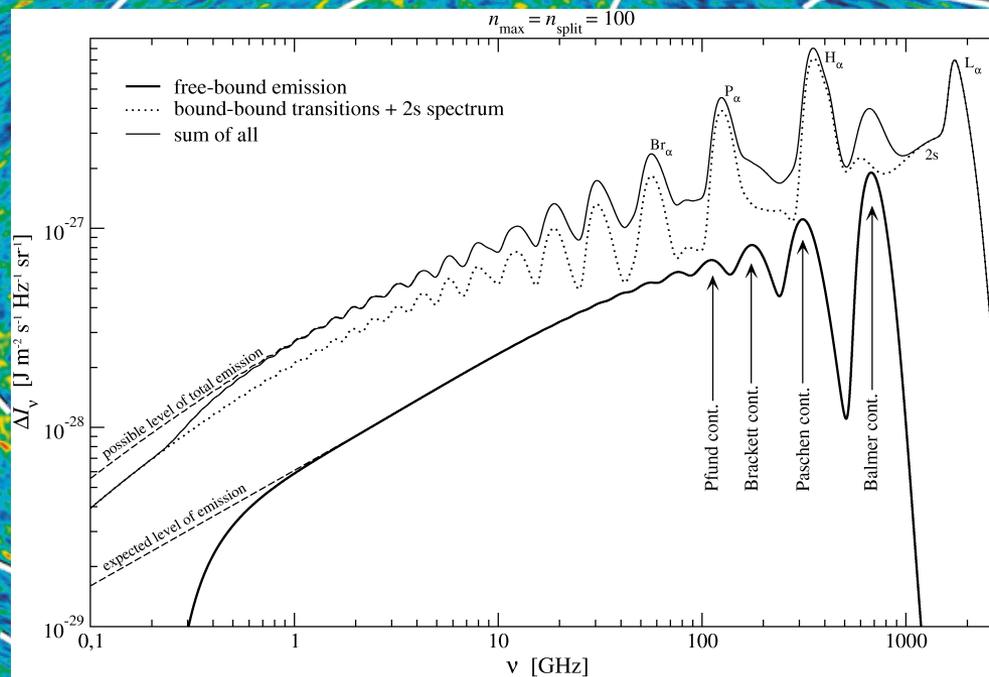


Atomic Lines from the Recombination Era, Compton y -Parameter, and Chemical Potential (μ)

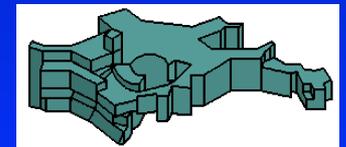


J. Chluba

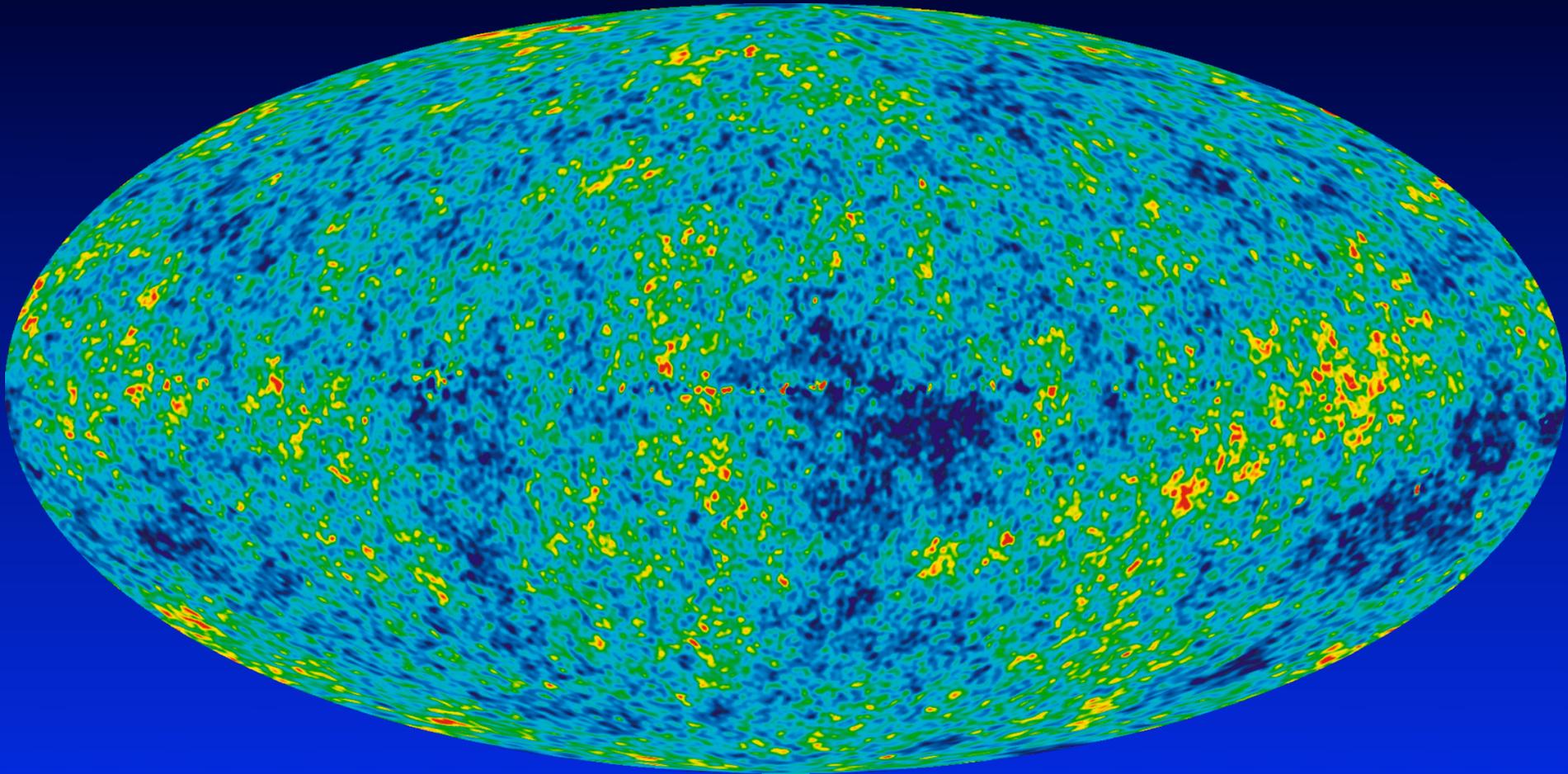
Workshop on "The First Billion Years"

August 16, 2010, Pasadena

Collaborators: R.A. Sunyaev (MPA) and J.A. Rubiño-Martín (IAC)



Cosmic Microwave Background Anisotropies



Example: WMAP-7

- CMB has blackbody spectrum in every direction
- Variations of the CMB temperature $\Delta T/T \sim 10^{-5}$

CMB anisotropies clearly have helped us a lot to learn details about the Universe we live in!

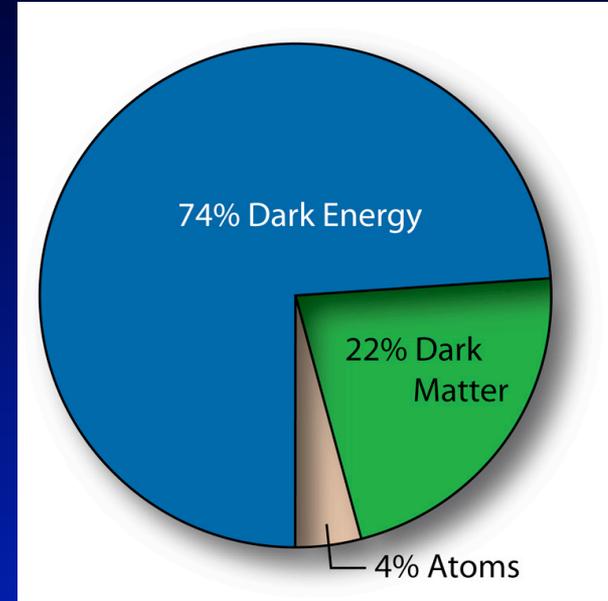
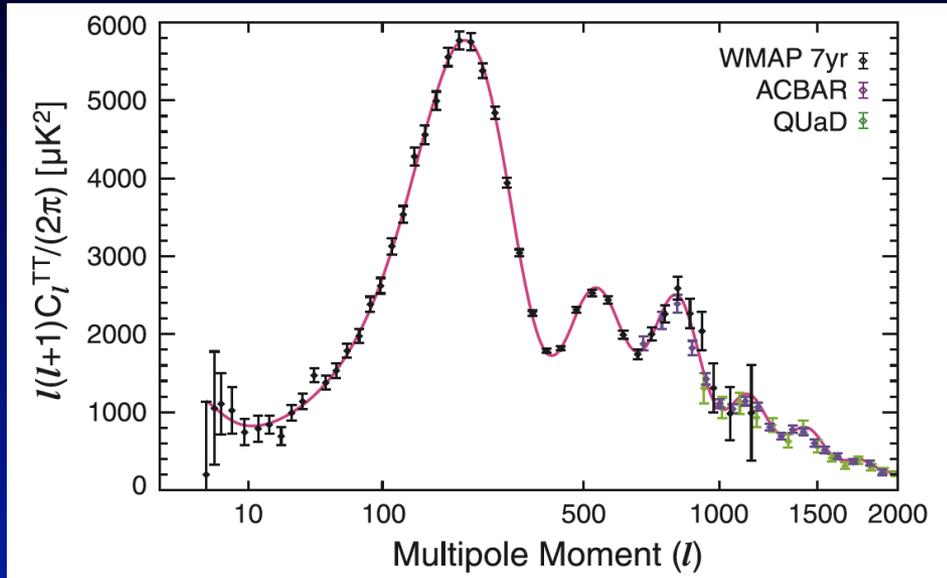


TABLE 1
SUMMARY OF THE COSMOLOGICAL PARAMETERS OF Λ CDM MODEL

Class	Parameter	WMAP 7-year ML ^a	WMAP+BAO+ H_0 ML	WMAP 7-year Mean ^b	WMAP+BAO+ H_0 Mean
Primary	$100\Omega_b h^2$	2.270	2.246	$2.258^{+0.057}_{-0.056}$	2.260 ± 0.053
	$\Omega_c h^2$	0.1107	0.1120	0.1109 ± 0.0056	0.1123 ± 0.0035
	Ω_Λ	0.738	0.728	0.734 ± 0.029	$0.728^{+0.015}_{-0.016}$
	n_s	0.969	0.961	0.963 ± 0.014	0.963 ± 0.012
	τ	0.086	0.087	0.088 ± 0.015	0.087 ± 0.014
	$\Delta_{\mathcal{R}}^2(k_0)^c$	2.38×10^{-9}	2.45×10^{-9}	$(2.43 \pm 0.11) \times 10^{-9}$	$(2.441^{+0.088}_{-0.092}) \times 10^{-9}$
	σ_8	0.803	0.807	0.801 ± 0.030	0.809 ± 0.024
Derived	H_0	71.4 km/s/Mpc	70.2 km/s/Mpc	71.0 ± 2.5 km/s/Mpc	$70.4^{+1.3}_{-1.4}$ km/s/Mpc
	Ω_b	0.0445	0.0455	0.0449 ± 0.0028	0.0456 ± 0.0016
	Ω_c	0.217	0.227	0.222 ± 0.026	0.227 ± 0.014
	$\Omega_m h^2$	0.1334	0.1344	$0.1334^{+0.0056}_{-0.0055}$	0.1349 ± 0.0036
	z_{reion}^d	10.3	10.5	10.5 ± 1.2	10.4 ± 1.2
	t_0^e	13.71 Gyr	13.78 Gyr	13.75 ± 0.13 Gyr	13.75 ± 0.11 Gyr

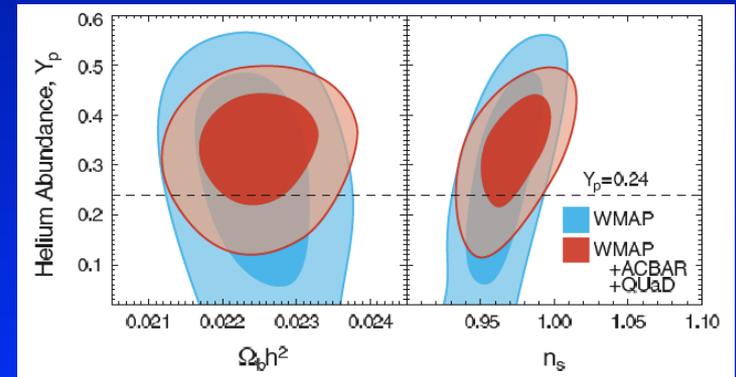
^aLarson et al. (2010). “ML” refers to the Maximum Likelihood parameters.

^bLarson et al. (2010). “Mean” refers to the mean of the posterior distribution of each parameter. The quoted errors show the 68% confidence levels (CL).

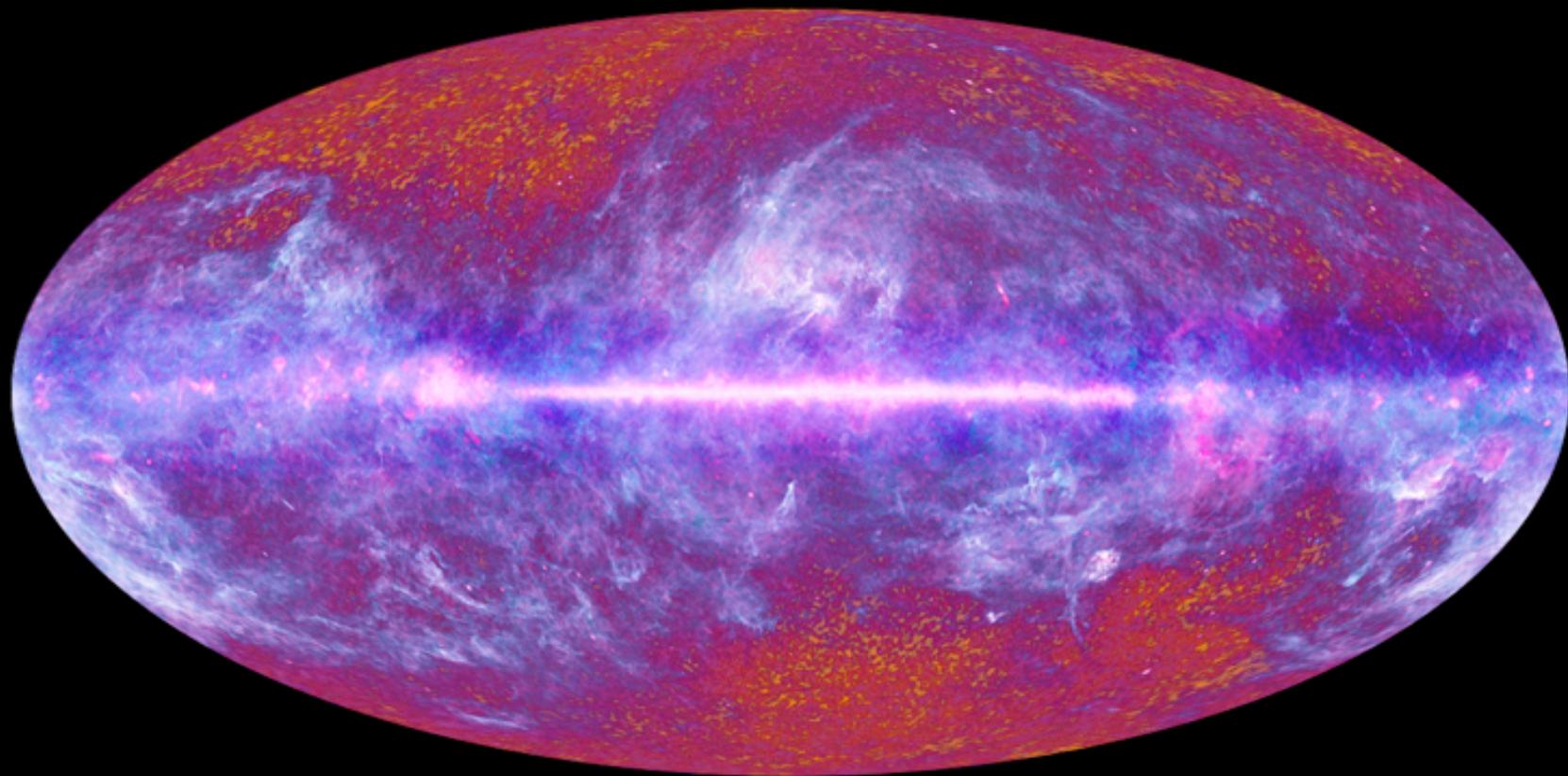
^c $\Delta_{\mathcal{R}}^2(k) = k^3 P_{\mathcal{R}}(k)/(2\pi^2)$ and $k_0 = 0.002 \text{ Mpc}^{-1}$.

^d“Redshift of reionization,” if the universe was reionized instantaneously from the neutral state to the fully ionized state at z_{reion} . Note that these values are somewhat different from those in Table 1 of Komatsu et al. (2009b), largely because of the changes in the treatment of reionization history in the Boltzmann code CAMB (Lewis 2008).

^eThe present-day age of the universe.



e.g. Komatsu et al., 2010, arXiv:1001.4538v1



The Planck one-year all-sky survey



(c) ESA, HFI and LFI consortia, July 2010

COBE / FIRAS (Far InfraRed Absolute Spectrophotometer)

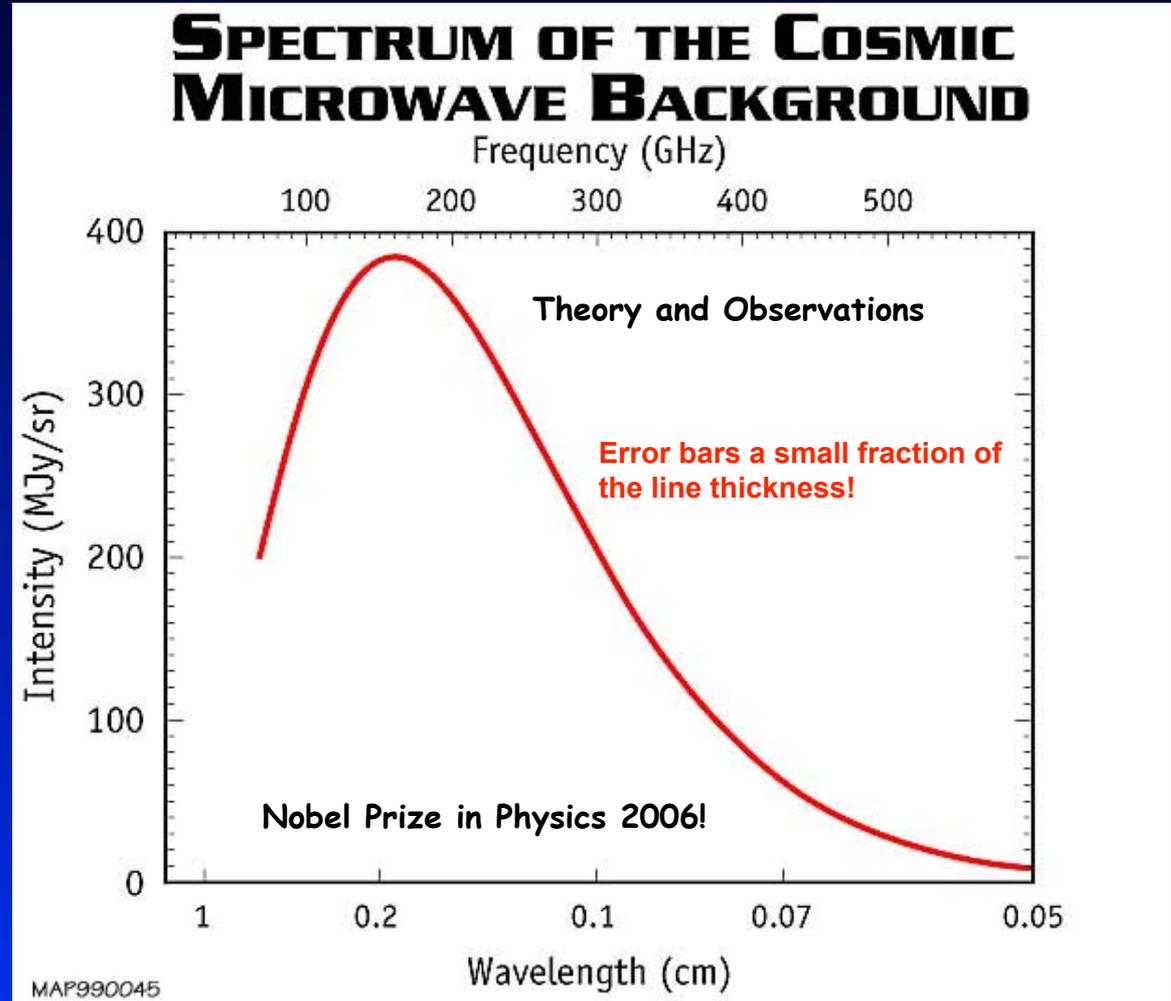


$$T_0 = 2.725 \pm 0.001 \text{ K}$$

$$|y| \leq 1.5 \times 10^{-5}$$

$$|\mu| \leq 9 \times 10^{-5}$$

Mather et al., 1994, ApJ, 420, 439
Fixsen et al., 1996, ApJ, 473, 576
Fixsen et al., 2003, ApJ, 594, 67



Only very small distortions of CMB spectrum are still allowed!

Why should one expect some spectral distortions?

Full thermodynamic equilibrium (certainly valid at very high redshift)

- CMB has a blackbody spectrum at every time (not affected by expansion...)
- Photon number density and energy density determined by temperature T_γ
 - $T_\gamma \sim 2.725 (1+z)$ K
 - $N_\gamma \sim 410 \text{ cm}^{-3} (1+z)^3 \sim 2 \times 10^9 N_b$
 - $\rho_\gamma \sim 5.1 \times 10^{-7} m_e c^2 \text{ cm}^{-3} (1+z)^4 \sim \rho_b \times (1+z) / 900$

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Perturbing full equilibrium for example by

- Energy injection (*matter* \leftrightarrow *photons*)
- Production of energetic photons and/or particles (i.e. change of entropy)
 - CMB spectrum deviates from a pure blackbody
 - distortions partially erased by thermalization process

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Which mechanisms could lead to release of energy and what determines how the residual spectral distortion looks today?

Physical mechanisms that lead to release of energy

- Very simple example: $T_\gamma \sim (1+z) \Leftrightarrow T_m \sim (1+z)^2$
 - continuous *cooling* of photons down to $z \sim 150$
 - due to huge heat capacity of photon field very small effect ($\Delta\rho/\rho \sim 10^{-10}-10^{-9}$)
 - another simple example: *electron-positron annihilation* ($z \sim 10^8-10^9$)
 - too early to leave some important traces (completely thermalized)
 - Heating by *decaying* or *annihilating* relic particles
 - How is energy transferred to the medium?
 - lifetimes, decay channels, (at low redshifts: environments), ...
 - *Evaporation of primordial black holes and phase transitions*
(Carr et al. 2010; Ostriker & Thompson, 1987)
 - rather fast, quasi-instantaneous energy release
 - Dissipation of primordial acoustic waves
(Zeldovich et al., 1972; Daly 1991; Hu et al. 1994)
 - Signatures due to first supernovae and their remnants
(Oh, Cooray & Kamionkowski, 2003)
 - Shock waves arising due to large scale structure formation
(Sunyaev & Zeldovich, 1972; Cen & Ostriker, 1999)
 - SZ-effect from clusters; Effects of Reionization (Heating of medium by X-Rays, Cosmic Rays, etc)
- 
- „high“ redshifts
- „low“ redshifts

How does the thermalization process work? (I)

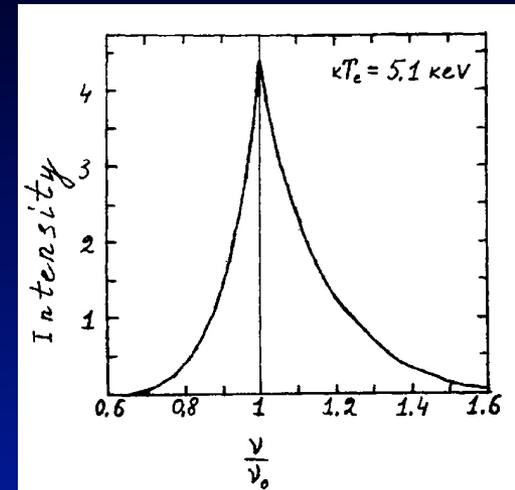
- Plasma fully ionized before recombination
 - free electrons, protons and helium nuclei
- Coulomb scattering $e + p \leftrightarrow e' + p$
 - electrons in thermal equilibrium with baryons
 - electrons follow thermal Maxwell Boltzmann distribution
 - efficient down to very low redshifts ($z \sim 10$)
- Hubble expansion
 - adiabatic cooling of photons ($T_\gamma \sim (1+z)$)
 - redshifting of photons

How does the thermalization process work? (II)

- Compton scattering $e + \gamma \leftrightarrow e' + \gamma'$

→ redistribution of photons in frequency

- up-scattering due to the **Doppler** effect for $h\nu < 4kT_e$
- down-scattering due to **recoil** for $h\nu > 4kT_e$



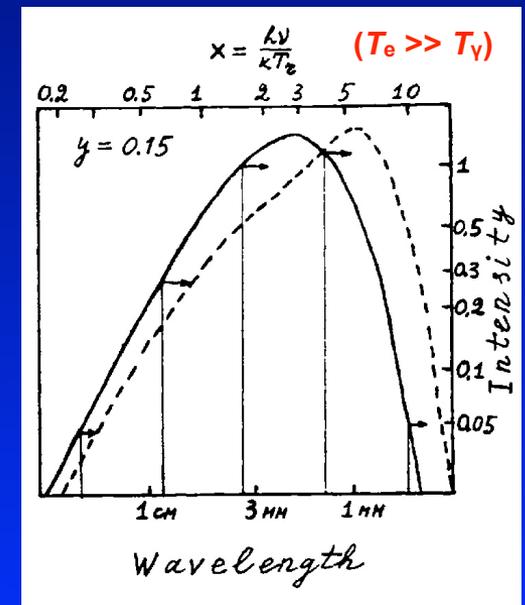
→ strongly couples (free) electrons to the CMB down to redshifts $z \sim 150$

Kompaneets-Equation → ‘pure’ **y-distortion**

$$\frac{\Delta I_\nu}{B_\nu} = y \times \frac{x e^x}{e^x - 1} \left[x \frac{e^x + 1}{e^x - 1} - 4 \right]$$

Temperature difference

where $x = \frac{h\nu}{kT_\gamma}$ and $y = \int \frac{k(T_e - T_\gamma)}{m_e c^2} \sigma_T n_e dl \ll 1$



How does the thermalization process work? (III)

- Bremsstrahlung $e + p \leftrightarrow e' + p + \gamma$

→ 1. order α correction to Coulomb scattering

→ production of low frequency photons

→ $\tau_{\text{ff}} \sim 10^{-8} (1+z)^{1/2} [kT / h\nu]^2$

free-free process is *unable* to restore blackbody spectrum up to very high z !!!

- Double Compton scattering

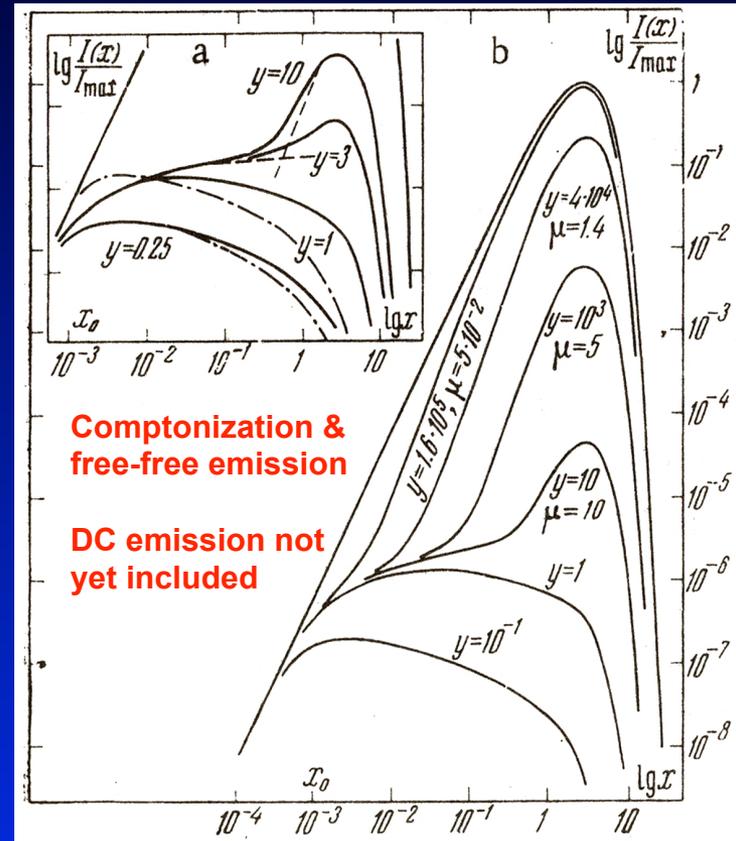
(Lightman 1981; Thorne, 1981)

$$e + \gamma \leftrightarrow e' + \gamma' + \gamma_2$$

→ 1. order α correction to Compton scattering

→ production of low frequency photons

→ very important at high redshifts ($z > 2 \times 10^5$)

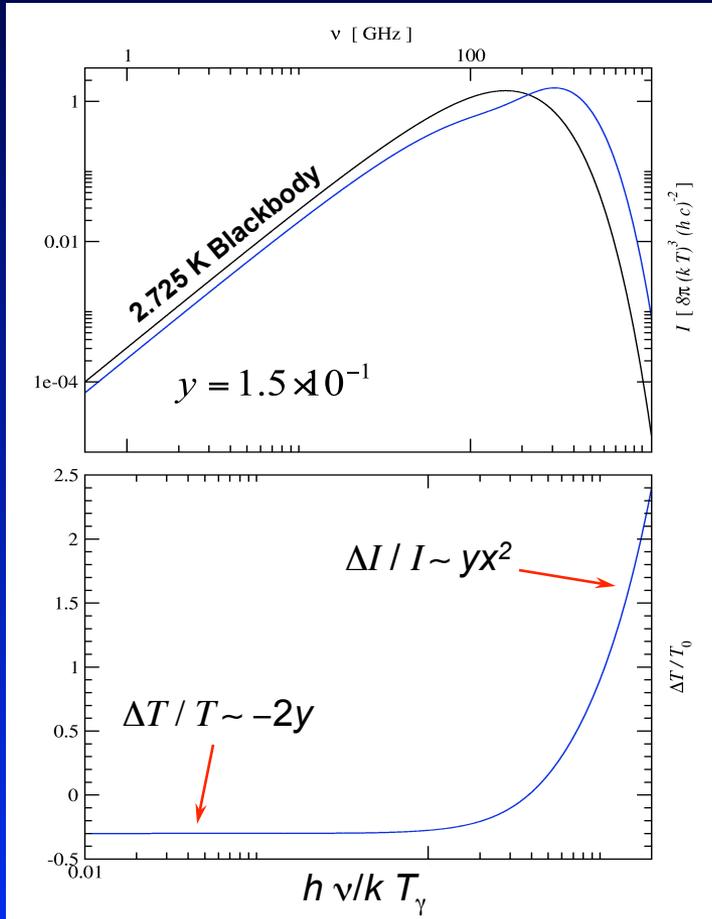


Illarionov & Sunyaev, 1975, Sov. Astr, 18, pp.413

Compton γ and chemical potential distortions

„Late“ Energy Release ($z \leq 50000$)

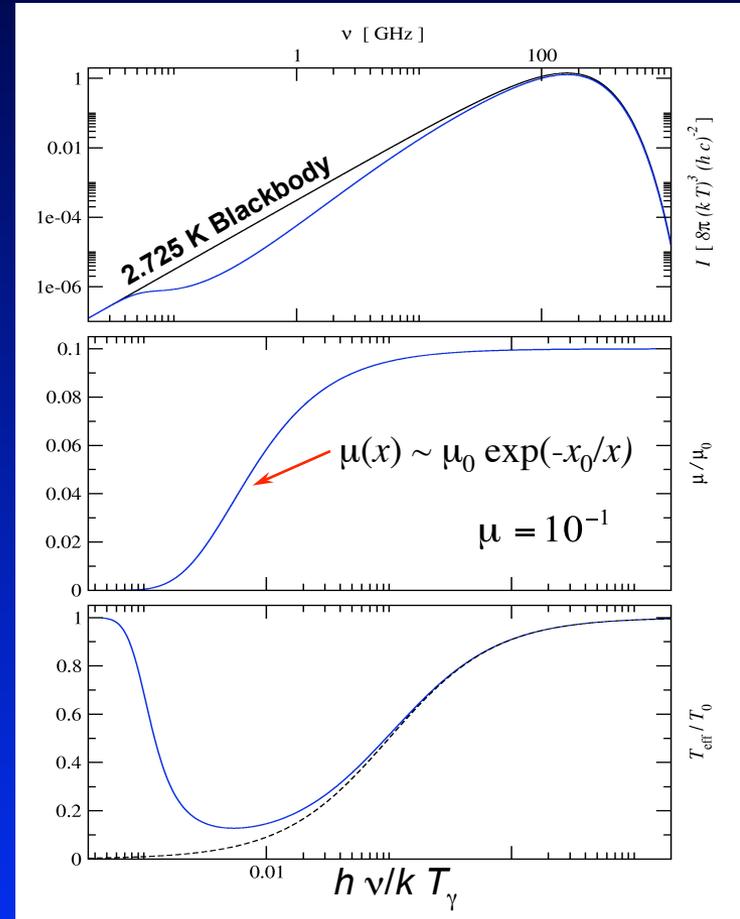
→ y -type spectral distortion



Zeldovich & Sunyaev, 1969, Ap&SS, 4, pp. 301

„Early“ Energy Release ($z \geq 50000$)

→ μ -type spectral distortion

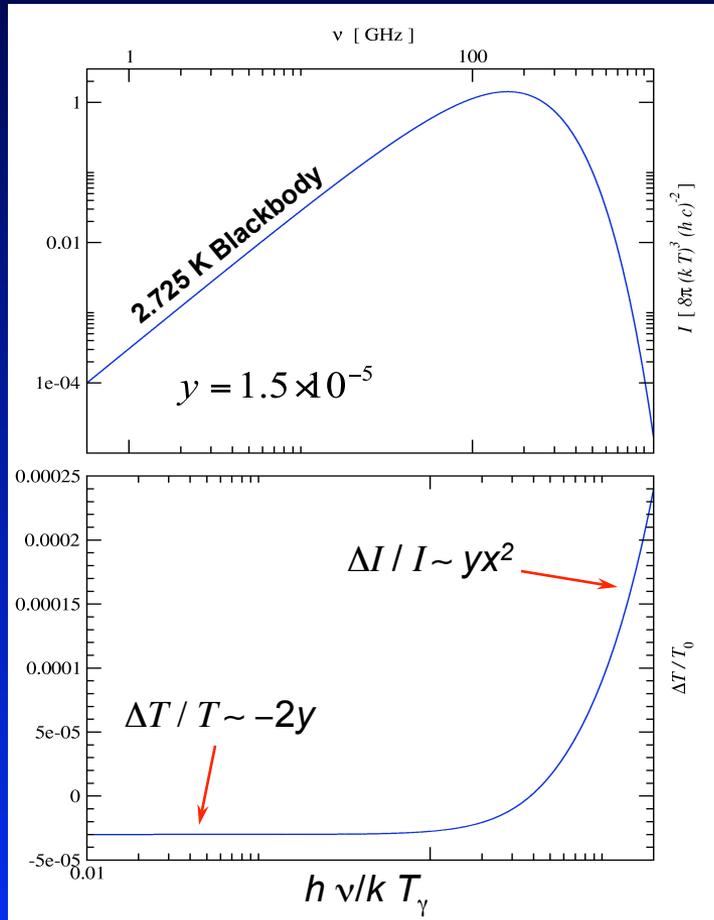


Sunyaev & Zeldovich, 1970, Ap&SS, 7, pp.20-30
 Illarionov & Sunyaev, 1975, Sov.Astr., 18, pp. 413
 Danese & de Zotti, 1982, A&A, 107, 39-42

Compton γ and chemical potential distortions

„Late“ Energy Release ($z \leq 50000$)

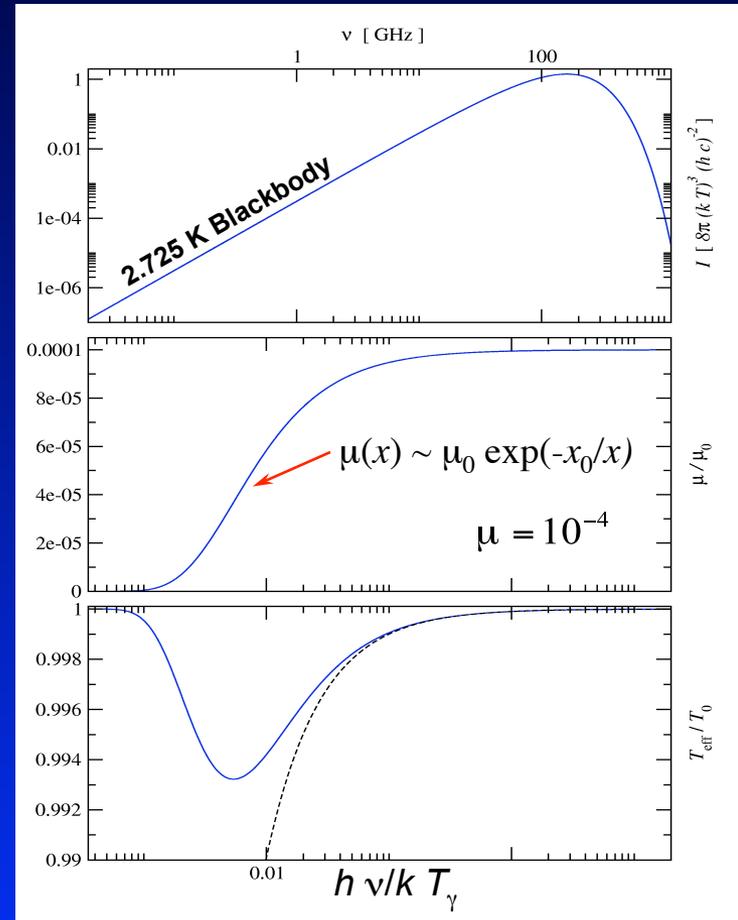
→ γ -type spectral distortion



Zeldovich & Sunyaev, 1969, Ap&SS, 4, pp. 301

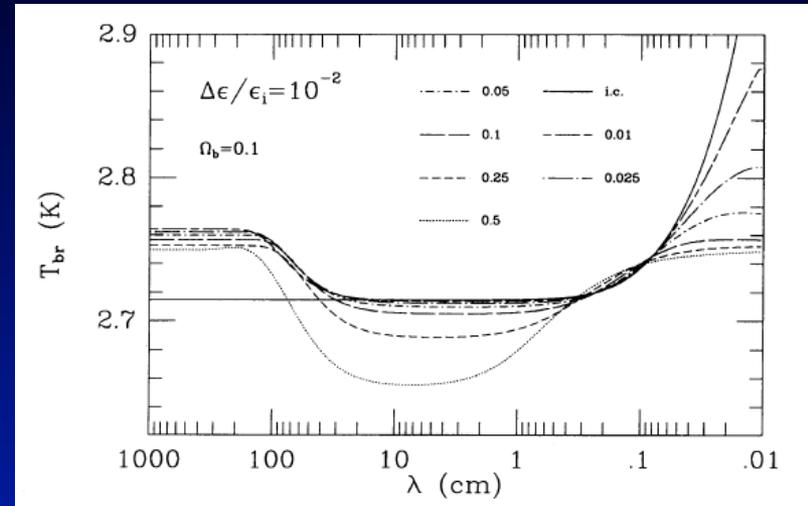
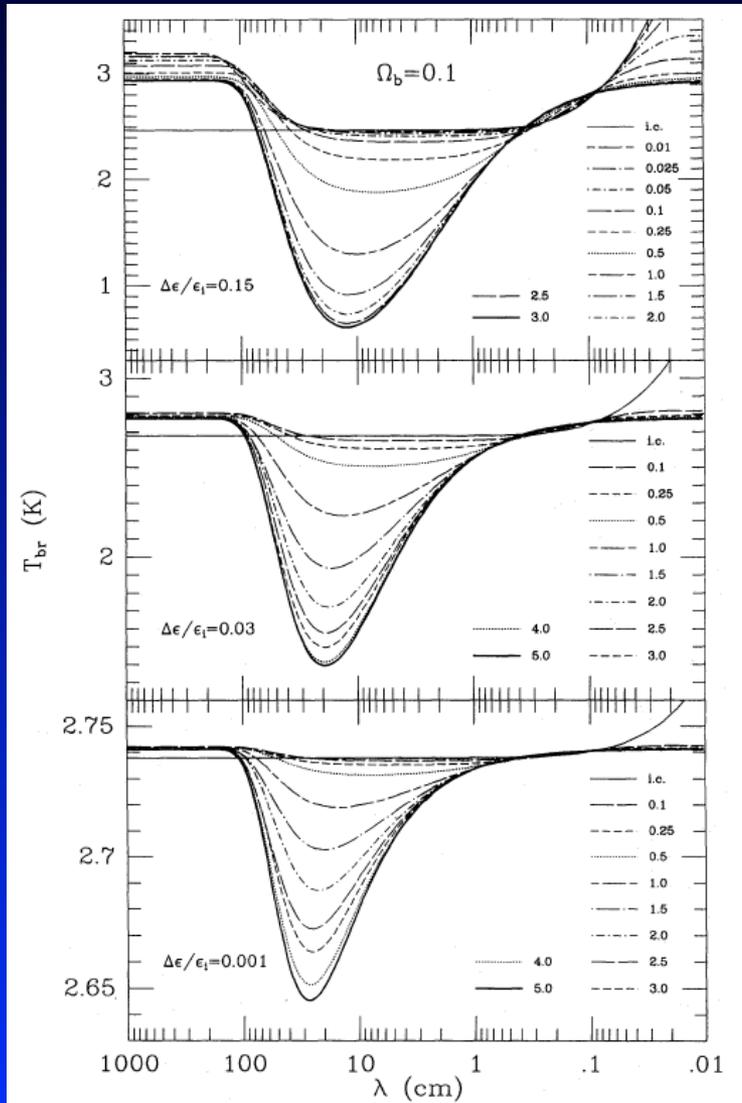
„Early“ Energy Release ($z \geq 50000$)

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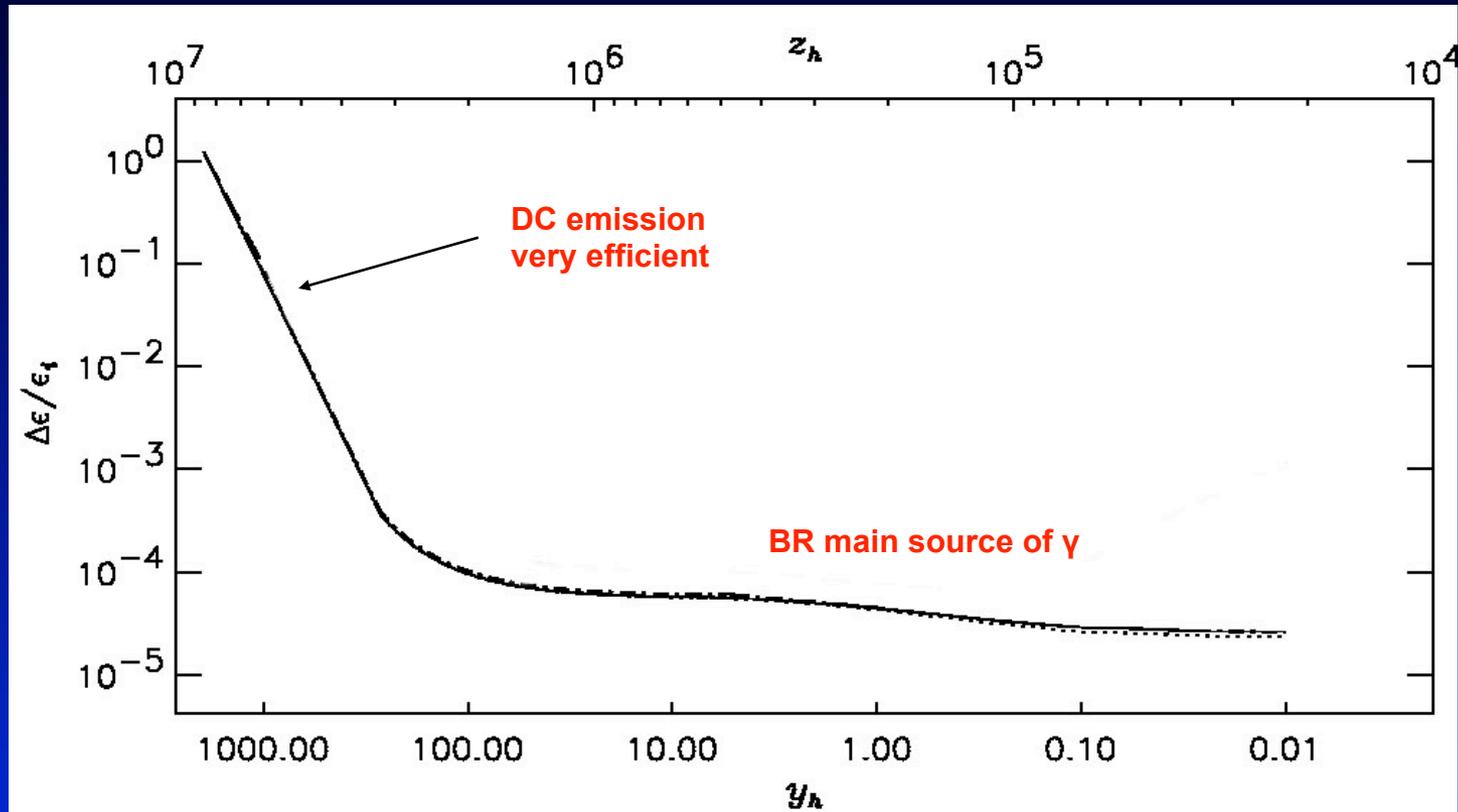
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 Illarionov & Sunyaev, 1975, Sov.Astr., 18, pp. 413
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Thermalization from $\gamma \rightarrow \mu$



- amount of energy
 - \leftrightarrow amplitude of distortion
 - \leftrightarrow position of 'dip'
- Intermediate case ($3 \times 10^5 \geq z \geq 6000$)
 - \Rightarrow mixture between μ & γ
- only details at low frequencies change!

Constraint on the amount of injected energy

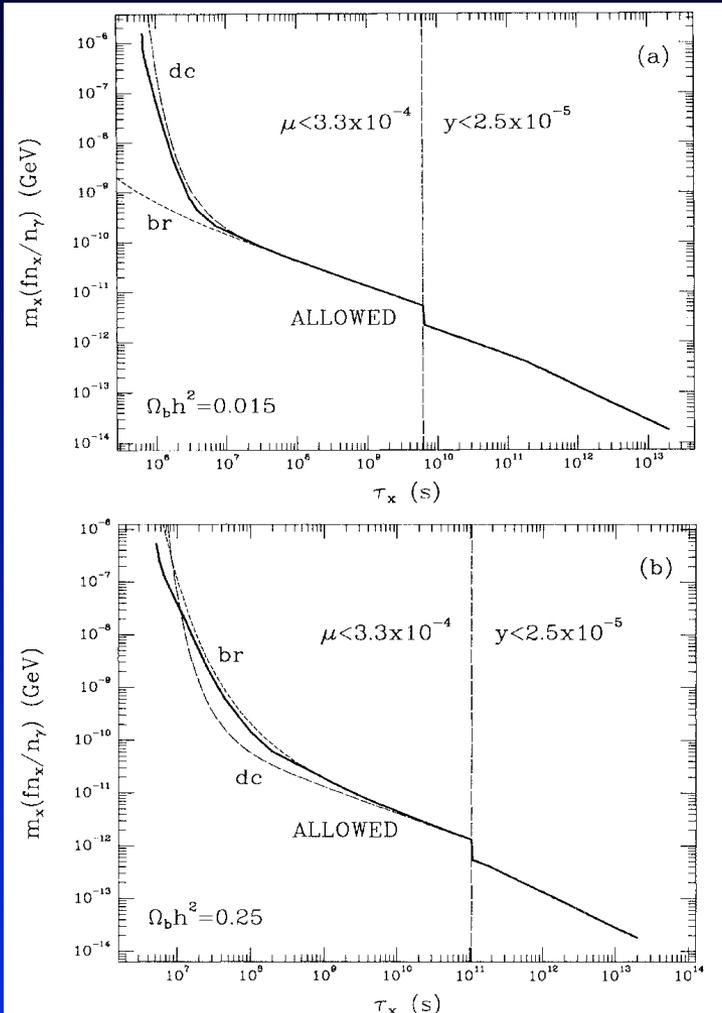


Salvaterra & Burigana, 2002, MNRAS, 336, pp. 592

- Arbitrary amounts of energy can be thermalized before redshift $z \sim 10^6$ - 10^7
- Limits depend slightly on choice of scenario (single - double injection)

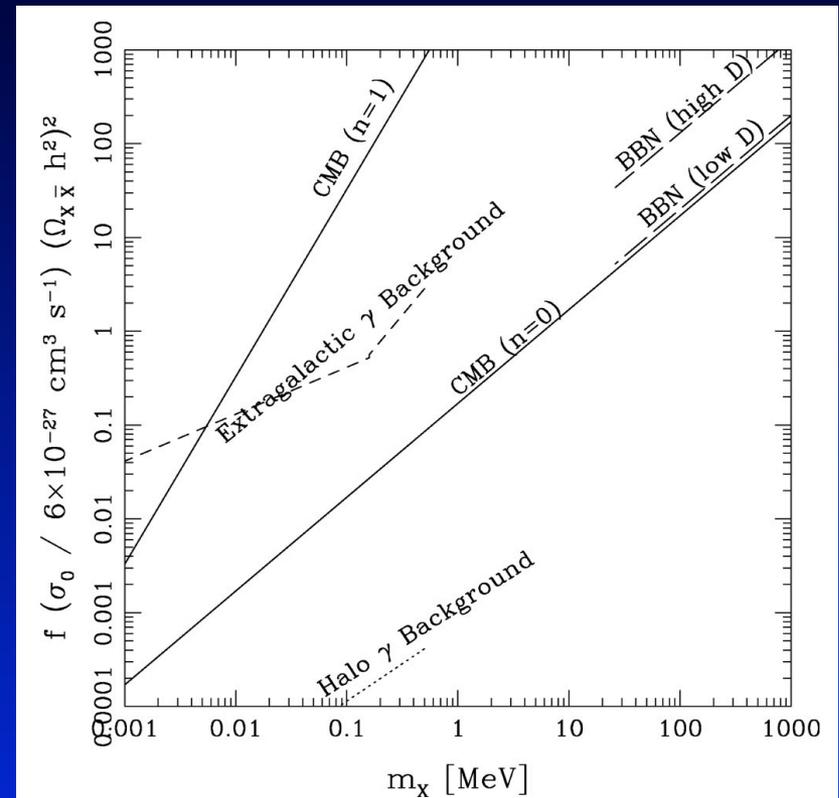
Constraint on mass, lifetime and annihilation cross section

Decaying relic particle



Hu & Silk, 1993, Phys. Rev. Letters, 70, pp. 2661

Particle annihilation



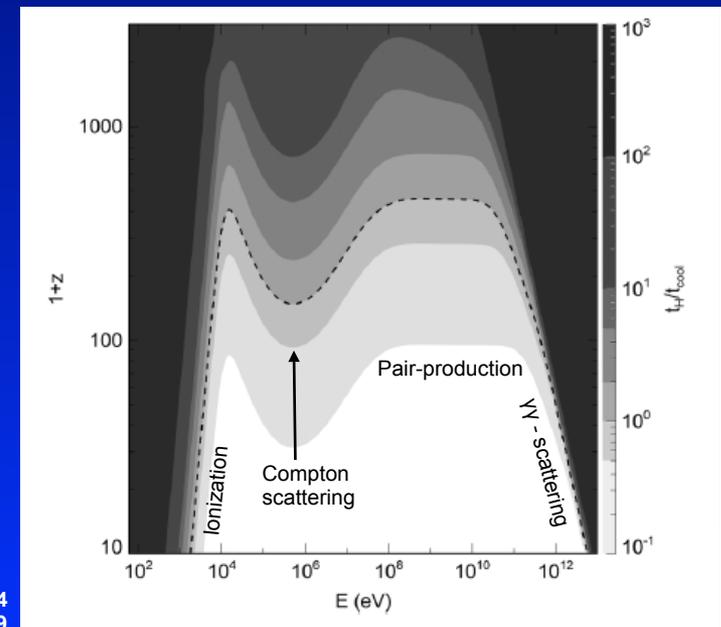
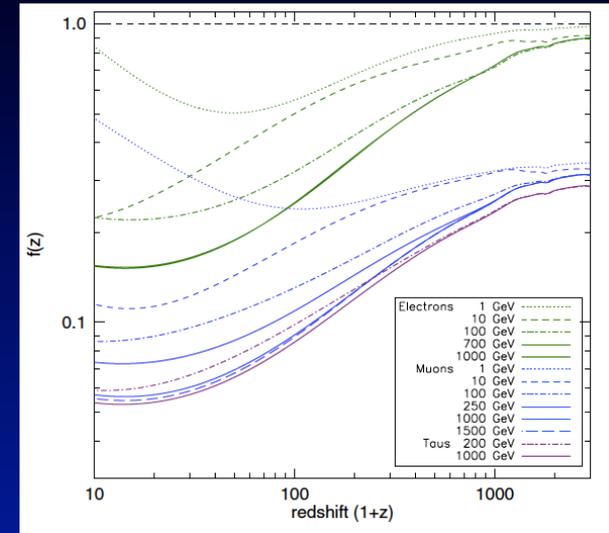
McDonald et al., 2002, Phys. Rev. D, 63, id 023001

$$y \sim \frac{1}{4} \delta\rho / \rho$$

$$\mu \sim 1.4 \delta\rho / \rho$$

What are the parameters that determine the distortion?

- Amount of released energy in comparison with CMB energy density
 - huge number of photons to fight with!
- When is the energy released?
 - full erasure, μ -type, y -type and mixture
- Time-dependence of the energy release
 - annihilation ($N^2 \sim (1+z)^6$)
 - decaying particles ($N \sim (1+z)^3 \exp(-t/t_x)$)
- Strength / efficiency of coupling to CMB
 - decay channels
 - transparency of the Universe
- Global \Leftrightarrow local energy injection
 - spectral-angular CMB distortions
 - e.g. SZ effect from clusters
 - clumping factor for DM annihilation

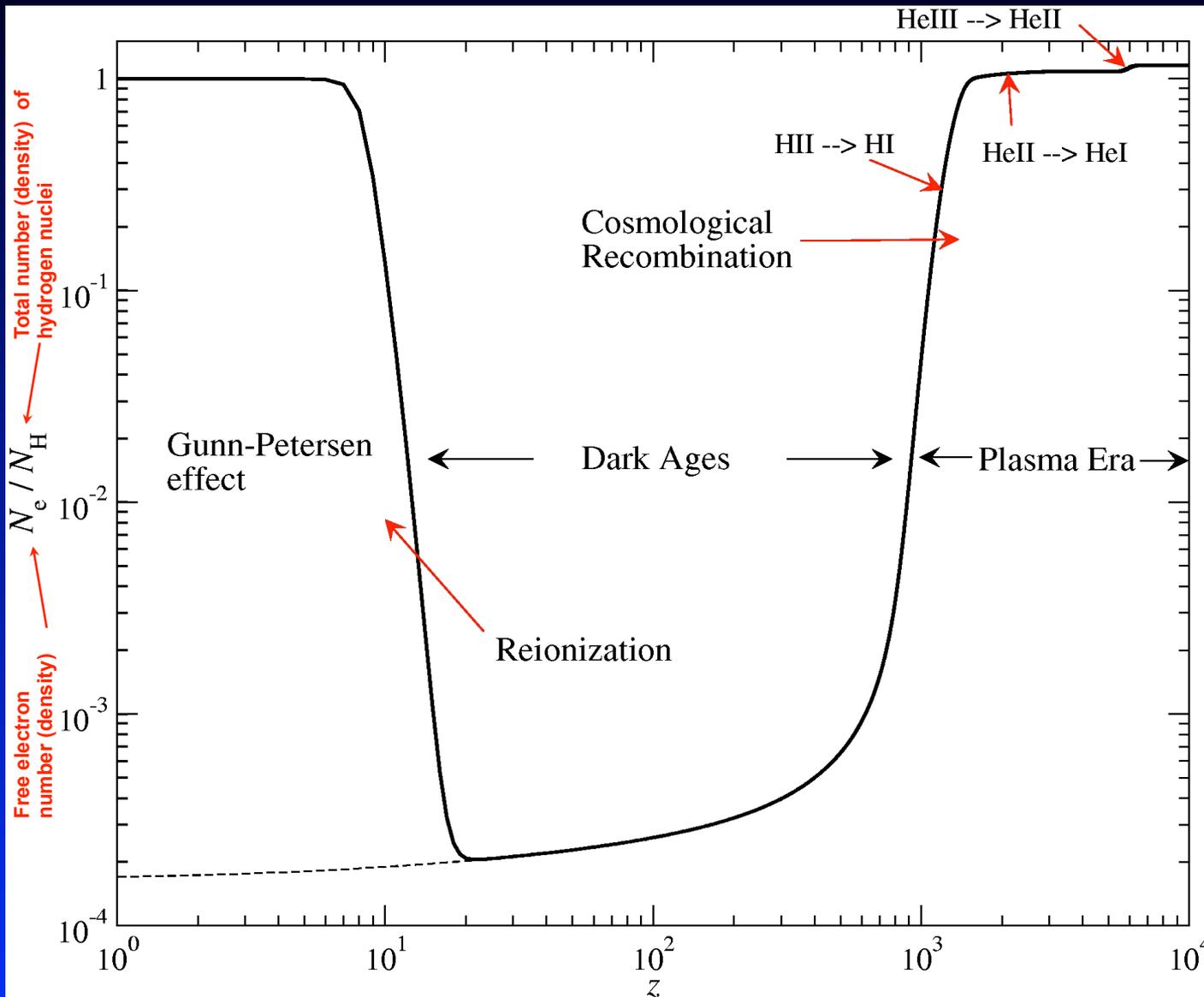


Summary and future work (part I)

- Type / shape of the distortions depend on parameters of the injection process
 - allows us to put constraints on different scenarios
 - COBE/FIRAS constraints rule out large energy injections at $z < 10^6$
- However, different scenarios lead to *very* similar distortions!
 - distortions very broad and rather featureless → ‘dating’ is very hard
 - distortions have to be measured accurately and over many frequencies to distinguish different scenarios
 - distortions show strongest differences at low frequencies ($\nu \sim 1$ GHz and below)
- Numerical computations should to be improved
 - full time-dependence (only single injection scenarios were treated numerically...)
 - heating efficiencies have to be recomputed
 - non-thermal particles / hard photons should be followed more precisely
- Question: what are the lower limits on distortions prior to recombination?

What about cosmological recombination?

Sketch of the Cosmic Ionization History



- at redshifts larger than $\sim 10^4$ Universe \rightarrow *fully ionized*
- $z \geq 10^4 \rightarrow$ *free electron fraction $N_e/N_H \sim 1.16$ because Helium has 2 electrons and abundance $\sim 8\%$*
- **HeIII \rightarrow HeII recombination at $z \sim 6000$**
- **HeII \rightarrow HeI recombination at $z \sim 2000$**
- **HII \rightarrow HI recombination at $z \sim 1000$**

Physical Conditions during Recombination

- Temperature $T_\gamma \sim 2.725 (1+z) \text{ K} \sim 3000 \text{ K}$
- Baryon number density $N_b \sim 2.5 \times 10^{-7} \text{ cm}^{-3} (1+z)^3 \sim 330 \text{ cm}^{-3}$
- Photon number density $N_\gamma \sim 410 \text{ cm}^{-3} (1+z)^3 \sim 2 \times 10^9 N_b$
 \Rightarrow photons in very distant Wien tail of blackbody spectrum can keep hydrogen ionized until $h\nu_\alpha \sim 40 kT_\gamma$
- **Collisional processes negligible** (completely different from stars!!!)
- **Rates dominated by radiative processes**
(e.g. stimulated emission & stimulated recombination)
- **Compton interaction couples electrons very tightly to photons until $z \sim 200 \Rightarrow T_\gamma \sim T_e \sim T_m$**

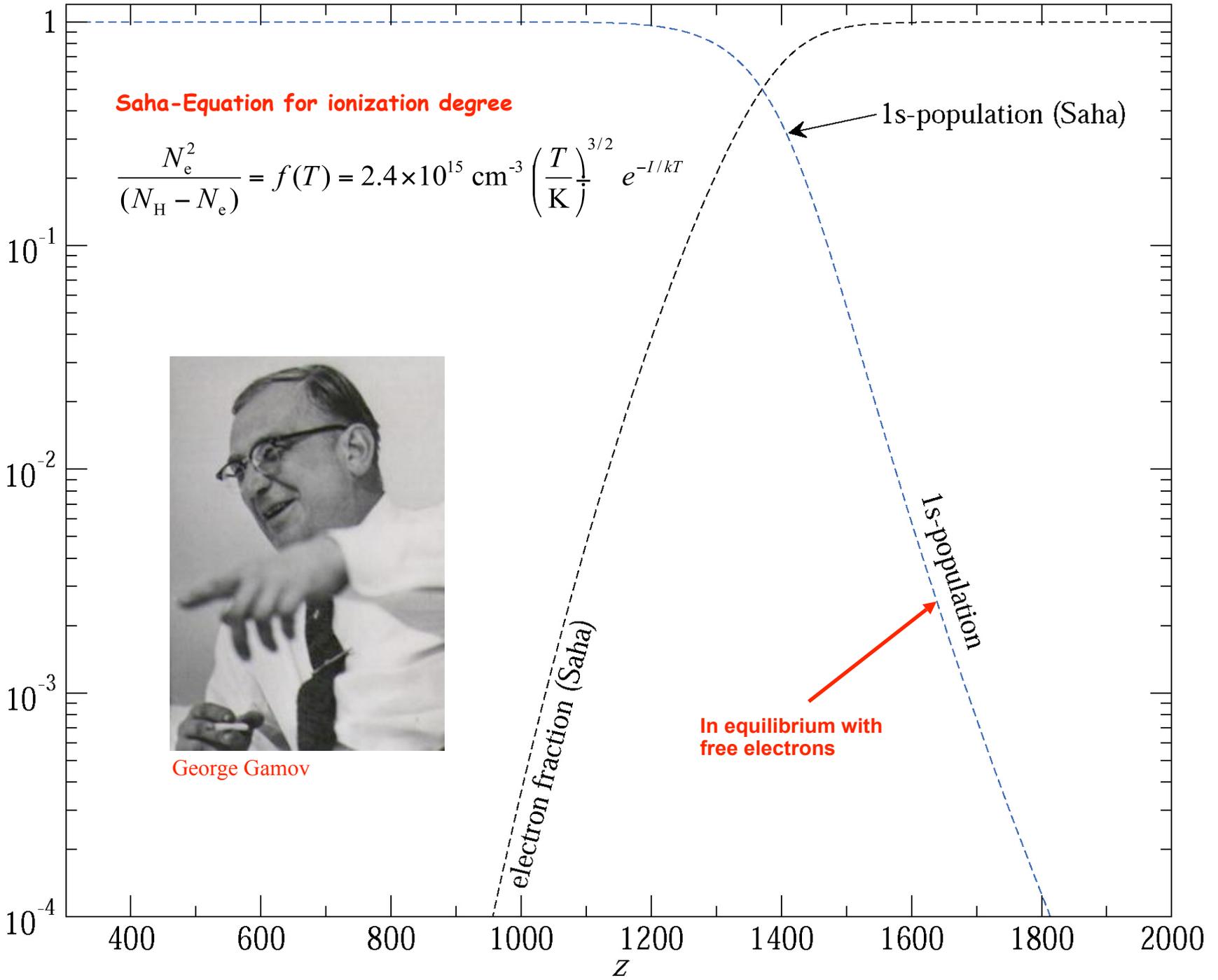
Total number (density) of hydrogen nuclei
 N_i/N_H
(number) density of given species i

Saha-Equation for ionization degree

$$\frac{N_e^2}{(N_H - N_e)} = f(T) = 2.4 \times 10^{15} \text{ cm}^{-3} \left(\frac{T}{\text{K}} \right)^{3/2} e^{-I/kT}$$



George Gamov

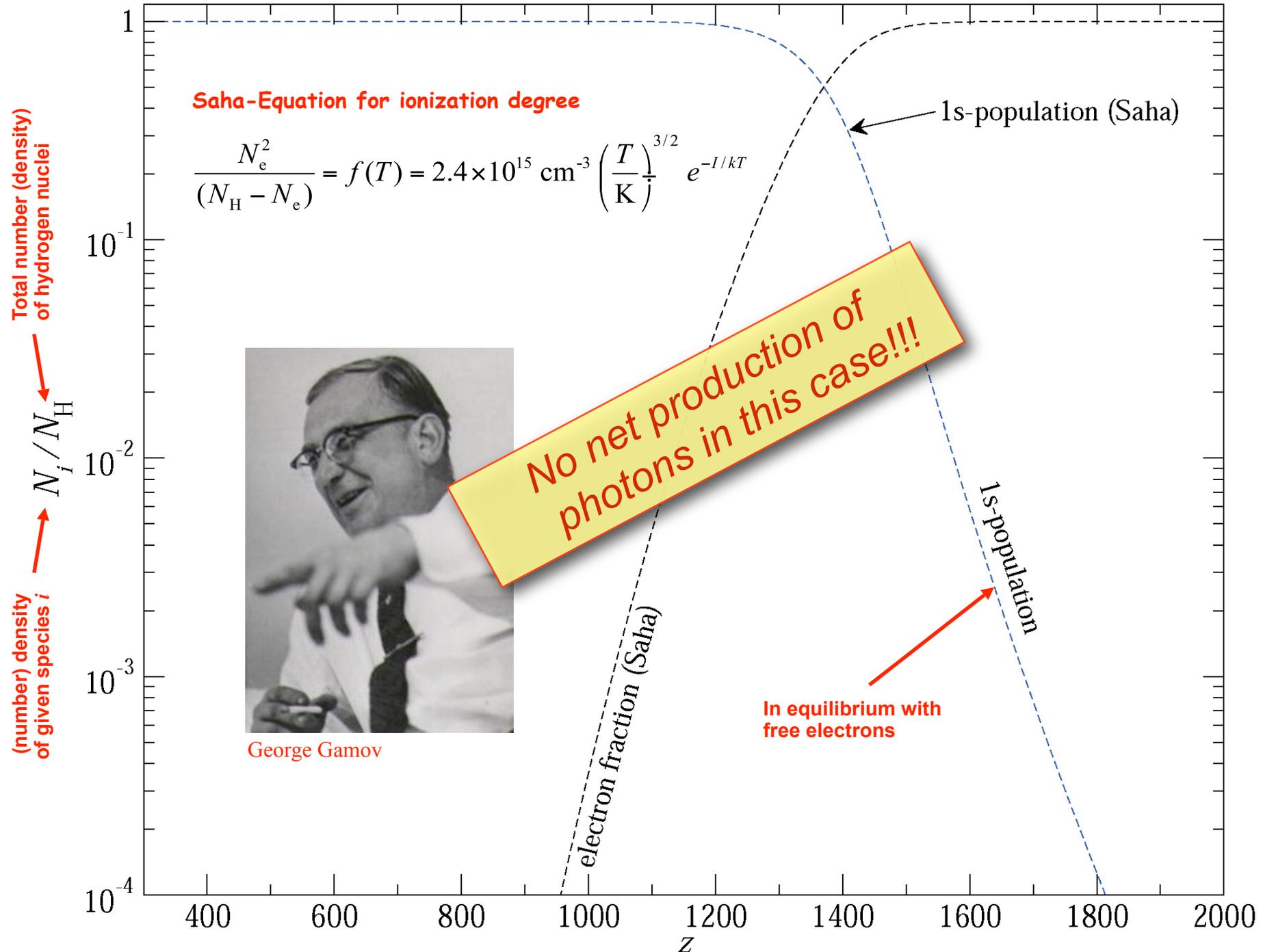


electron fraction (Saha)

In equilibrium with free electrons

1s-population

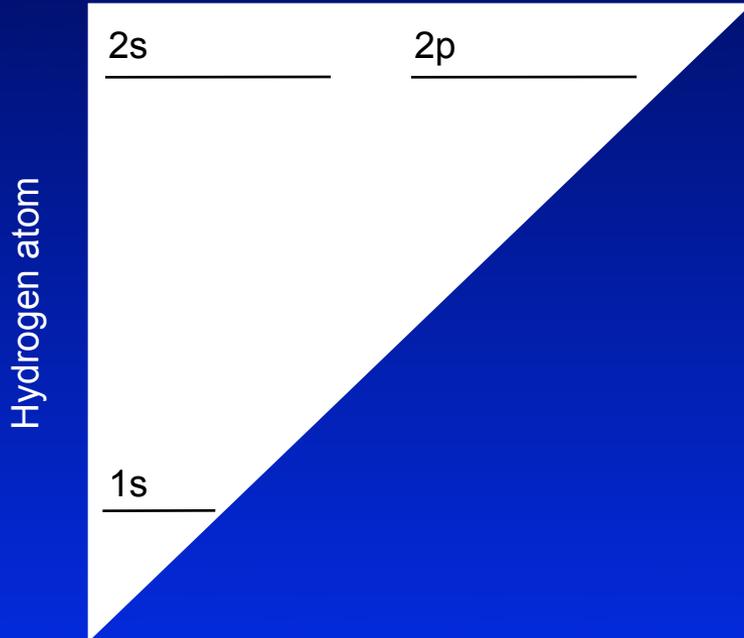
1s-population (Saha)



3-level Hydrogen Atom and Continuum

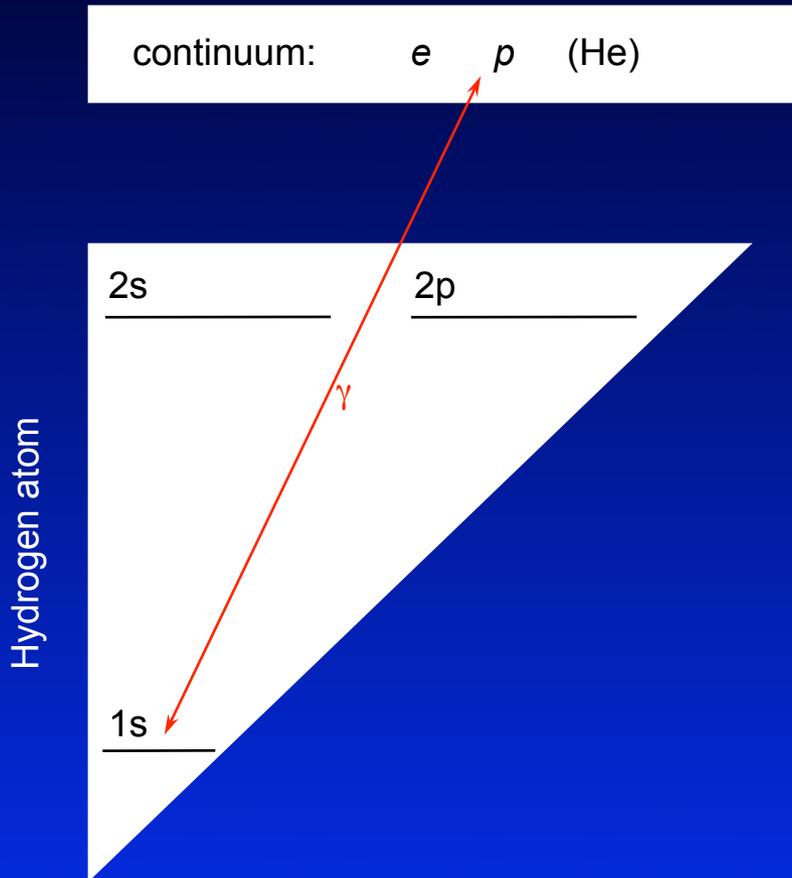
continuum: e p (He)

Routes to the ground state ?



Zeldovich, Kurt & Sunyaev, 1968, ZhETF, 55, 278
Peebles, 1968, ApJ, 153, 1

3-level Hydrogen Atom and Continuum



Routes to the ground state ?

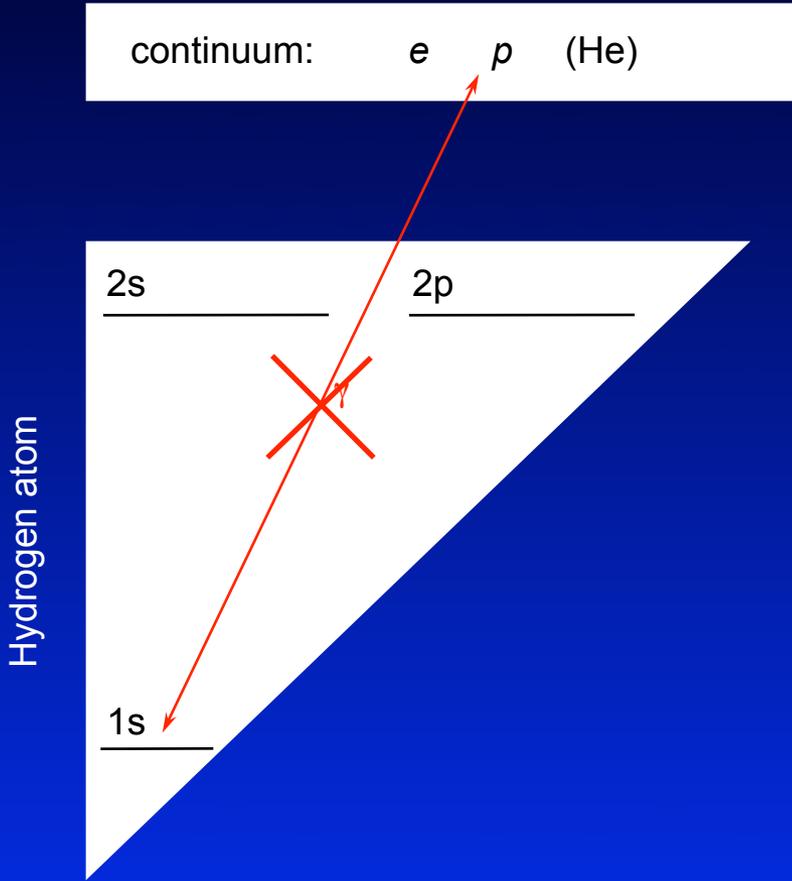
- **direct recombination to 1s**
 - Emission of photon is followed by immediate re-absorption

3-level Hydrogen Atom and Continuum

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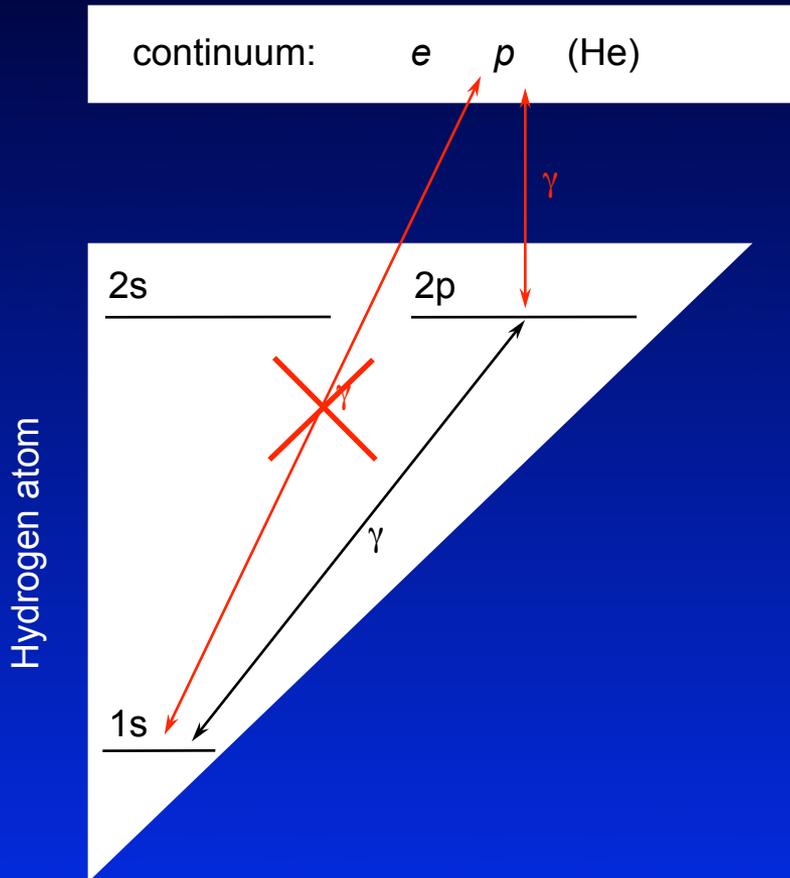
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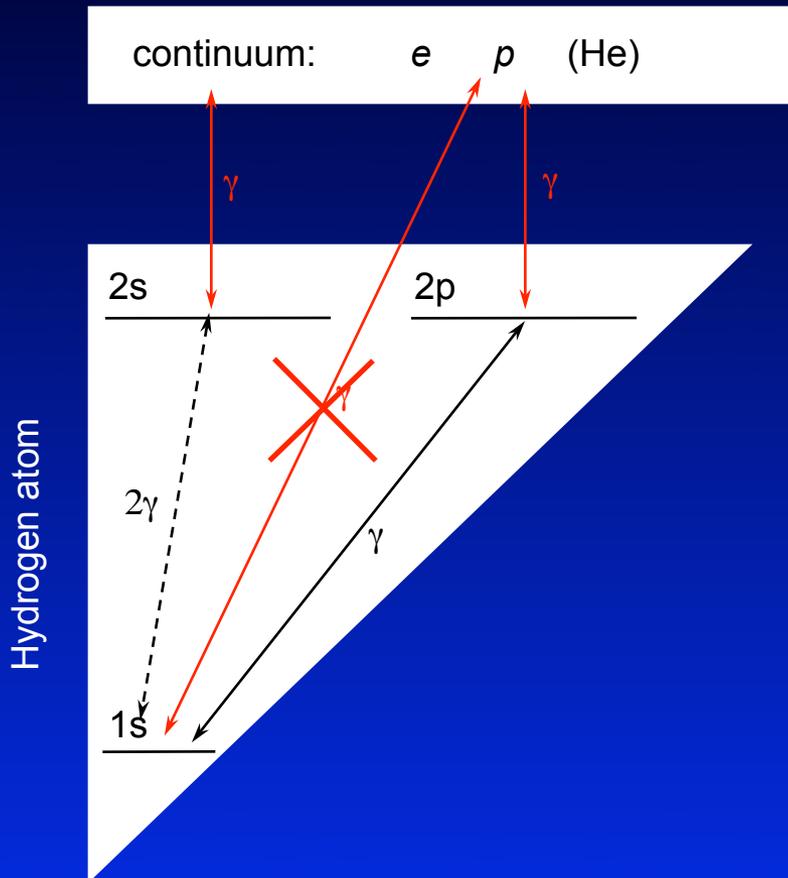


Routes to the ground state ?

- **direct recombination to 1s**
 - Emission of photon is followed by immediate re-absorption
- **recombination to 2p followed by Lyman- α emission**
 - medium optically thick to Ly- α phot.
 - many resonant scatterings
 - escape very hard ($\rho \sim 10^{-9}$ @ $z \sim 1100$)

} No

3-level Hydrogen Atom and Continuum

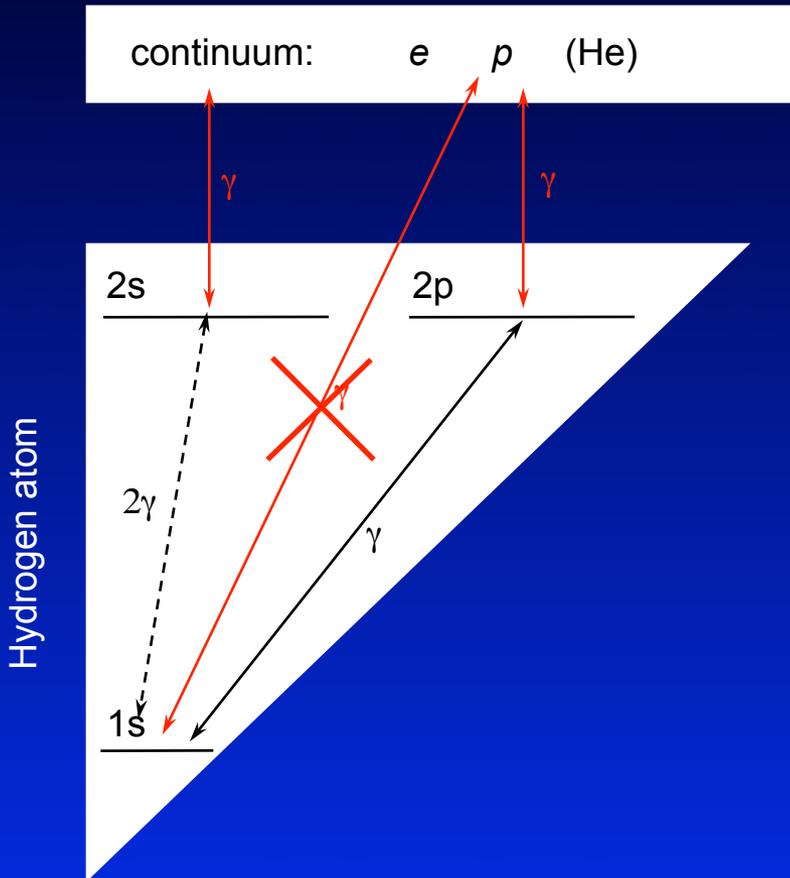


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- **recombination to 2s followed by 2s two-photon decay**
 - $2s \rightarrow 1s \sim 10^8$ times slower than Ly- α
 - 2s two-photon decay profile \rightarrow maximum at $\nu \sim 1/2 \nu_\alpha$
 - immediate escape

No

3-level Hydrogen Atom and Continuum



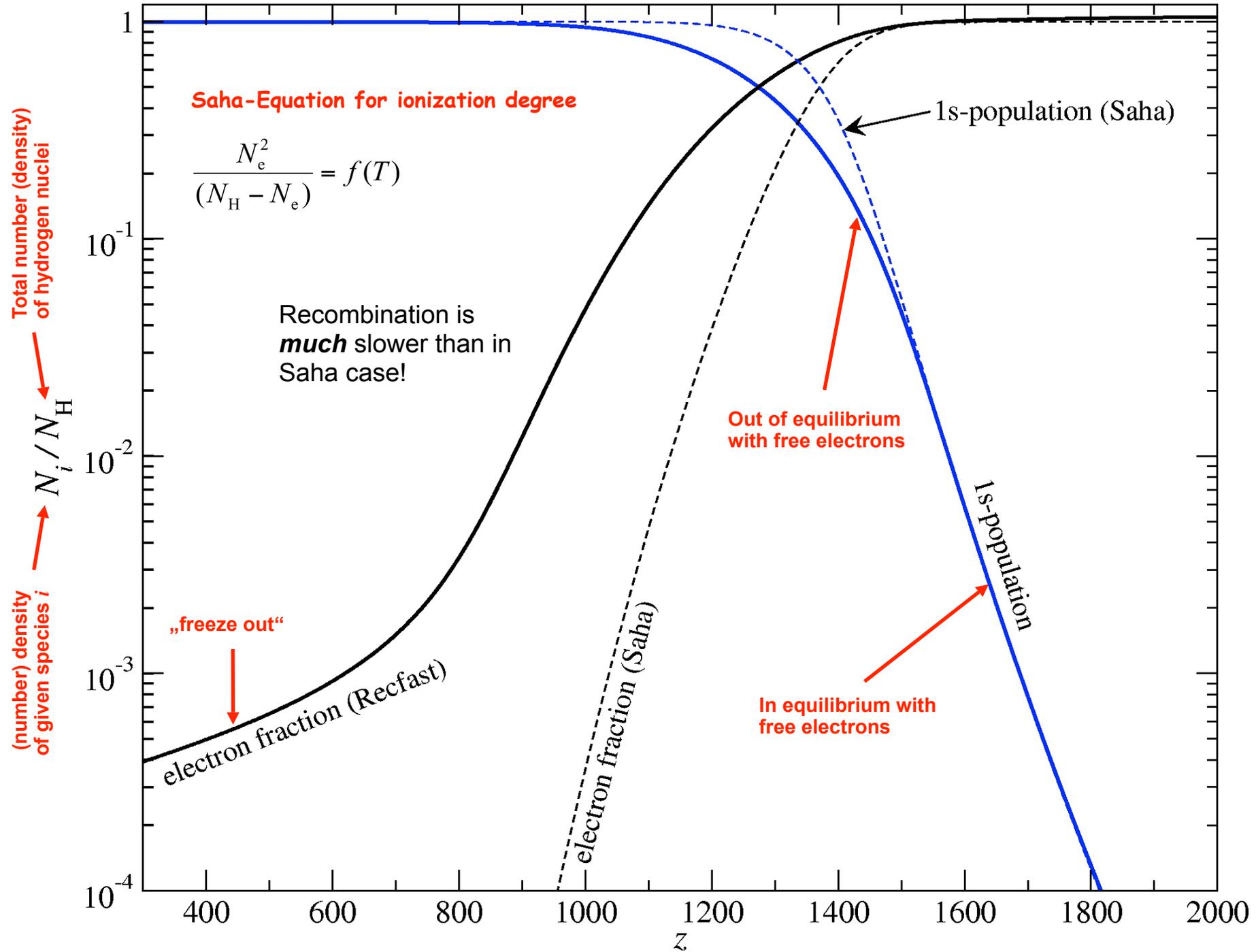
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No

~ 43%

~ 57%

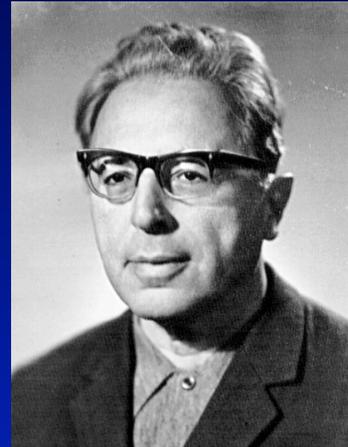


These first computations were completed in 1968!



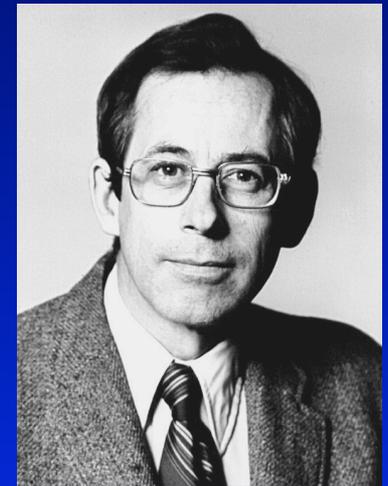
Moscow

Yakov Zeldovich



Iosif Shklovskii

Princeton



Jim Peebles

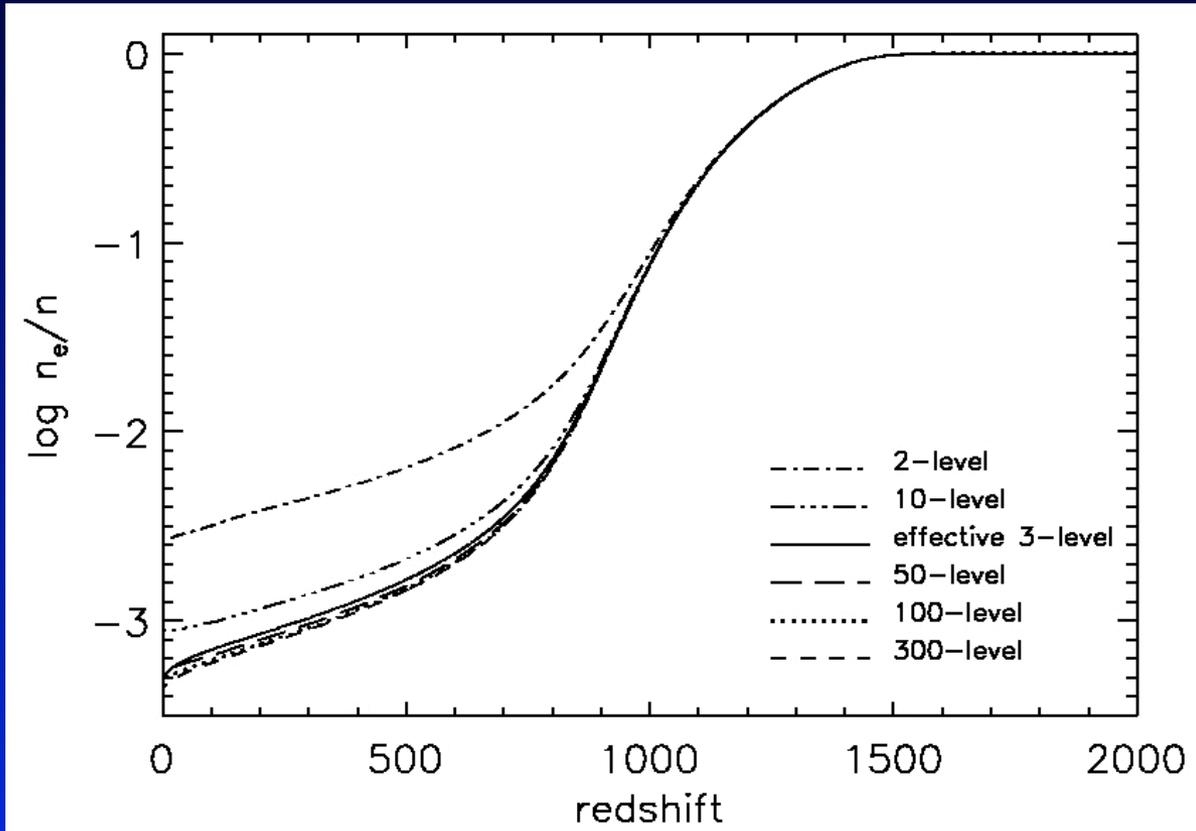


Vladimir Kurt
(UV astronomer)



Rashid Sunyaev

Multi-level Atom \Rightarrow The Recfast-Code



Seager, Sasselov & Scott, 1999, ApJL, 523, L1
Seager, Sasselov & Scott, 2000, ApJS, 128, 407

Output of N_e/N_H

Hydrogen:

- up to 300 levels
- only 2s & 2p separately
- $n > 2 \rightarrow$ full SE for l -sub-states

Helium:

- HeI 200-levels ($z \sim 1400-1500$)
- HeII 100-levels ($z \sim 6000-6500$)
- HeIII 1 equation

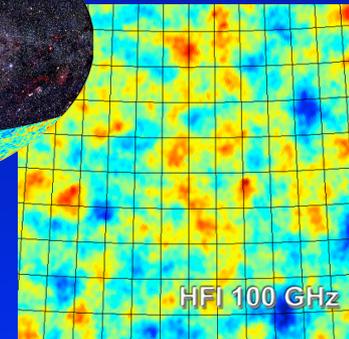
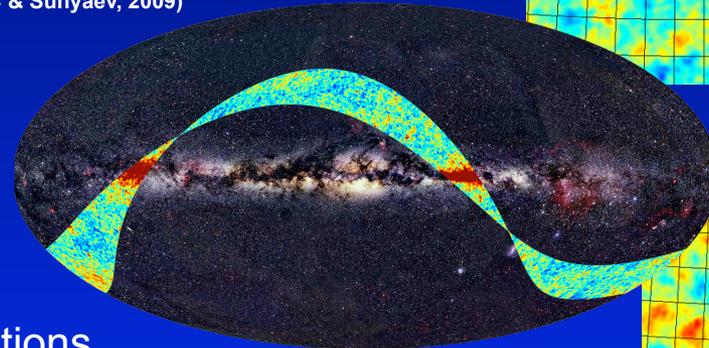
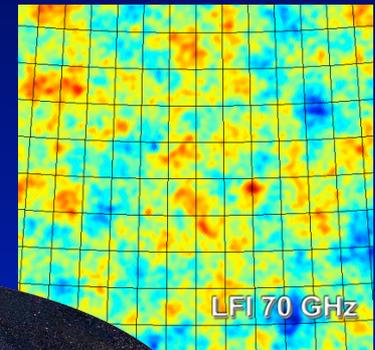
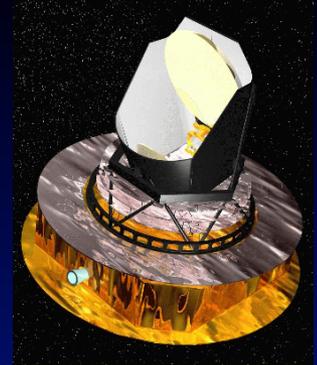
Low Redshifts:

- H chemistry (important at low z)
- cooling of matter (Bremsstrahlung, collisional cooling, line cooling)

Getting Ready for Planck

Hydrogen recombination

- Two-photon decays from higher levels
(Dubrovich & Grachev, 2005, Astr. Lett., 31, 359; Wong & Scott, 2007; JC & Sunyaev, 2007; Hirata, 2008; JC & Sunyaev 2009)
- Induced 2s two-photon decay for hydrogen
(JC & Sunyaev, 2006, A&A, 446, 39; Hirata 2008)
- Feedback of the Lyman- α distortion on the 1s-2s two-photon absorption rate
(Kholupenko & Ivanchik, 2006, Astr. Lett.; Fendt et al. 2008; Hirata 2008)
- Non-equilibrium effects in the angular momentum sub-states
(Rubiño-Martín, JC & Sunyaev, 2006, MNRAS; JC, Rubiño-Martín & Sunyaev, 2007, MNRAS; Grin & Hirata, 2009)
- Feedback of Lyman-series photons ($\text{Ly}[n] \rightarrow \text{Ly}[n-1]$)
(JC & Sunyaev, 2007, A&A; Kholupenko et al. 2010; Haimoud & Hirata in preparation)
- Lyman- α escape problem (*atomic recoil, time-dependence, partial redistribution*)
(Dubrovich & Grachev, 2008; JC & Sunyaev, 2008; Forbes & Hirata, 2009; JC & Sunyaev, 2009)
- Raman scattering
(Hirata 2008; JC in preparation)



Helium recombination

- Similar list of processes as for hydrogen
(Switzer & Hirata, 2007a&b; Hirata & Switzer, 2007)
- Spin forbidden 2p-1s triplet-singlet transitions
(Dubrovich & Grachev, 2005, Astr. Lett.; Wong & Scott, 2007; Switzer & Hirata, 2007; Kholupenko, Ivanchik&Varshalovich, 2007)
- Hydrogen continuum opacity during He I recombination
(Switzer & Hirata, 2007; Kholupenko, Ivanchik & Varshalovich, 2007; Rubiño-Martín, JC & Sunyaev, 2007)
- Detailed feedback of helium photons
(Switzer & Hirata, 2007a; JC & Sunyaev, 2009, MNRAS)

$$\Delta N_e / N_e \sim 0.1 \%$$

What About the Recombinational Photons?

Hydrogen recombination:

- per recombined hydrogen atom an energy of ~ 13.6 eV in form of photons is released
- at $z \sim 1100 \rightarrow \Delta\varepsilon/\varepsilon \sim 13.6 \text{ eV } N_b / N_\gamma 2.7kT_r \sim 10^{-9} - 10^{-8}$

→ recombination occurs at redshifts $z < 10^4$

→ At that time the thermalization process does not work anymore!

→ There should be some *small* spectral distortion due to these additional photons!

(Zeldovich, Kurt & Sunyaev, 1968, ZhETF, 55, 278; Peebles, 1968, ApJ, 153, 1)

→ In 1975 **Viktor Dubrovich** emphasized the possibility to observe the recombinational lines from $n > 3$ and $\Delta n \ll n$!

List of groups around the world

Hydrogen recombination spectrum

- Zeldovich, Kurt & RS 1968; Peebles 1968
- Dubrovich 1975; Bernshtein et al. 1977; Beigman & Sunyaev 1978
- Rybicki and Dell'Antonio 1993; Dubrovich & Stolyarov 1995
- Burgin 2003; Dubrovich & Shakhvorostova 2004; Kholupenko et al. 2005; Wong, Seager & Scott, 2005; Rubino-Martin et al. 2006; JC & Sunyaev 2006; JC et al. 2007;

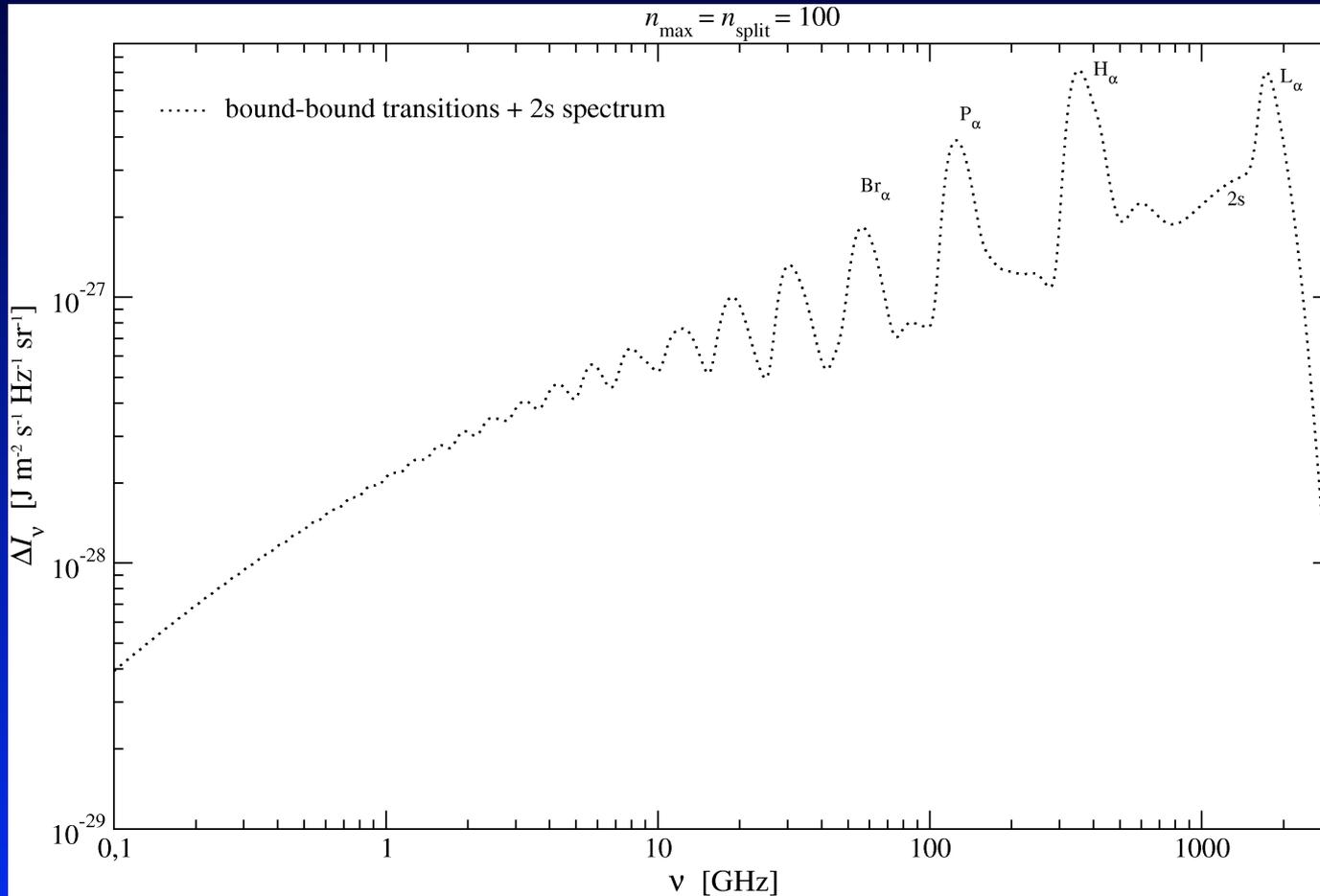
Helium recombination spectrum

- Dubrovich and Stolyarov 1997; Rubino-Martin et al. 2007; JC & Sunyaev 2009

Main difficulties for accurate predictions

- Early works for pre-concordance cosmologies
- Computational limitations (hydrogen 100 l -resolved shells
→ ~5000 strongly coupled differential equations)
- *Accurate & sufficiently complete atomic data for neutral helium*
(Drake & Morton 2007 and Beigman & Vainshtein)

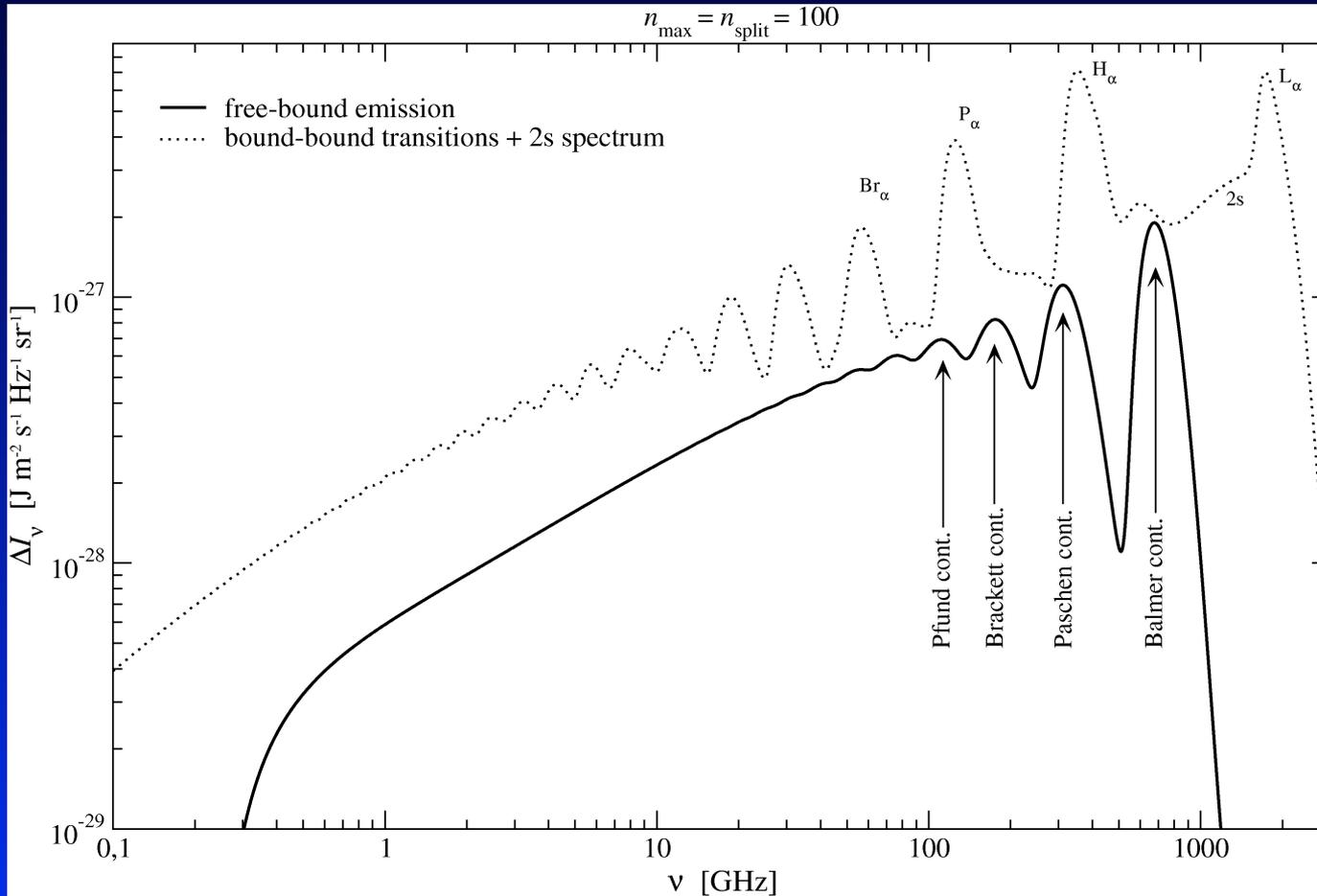
100-shell hydrogen atom and continuum *CMB spectral distortions*



bound-bound & 2s:

- at $\nu > 1 \text{GHz}$: distinct features
- slope ~ 0.46

100-shell hydrogen atom and continuum CMB spectral distortions



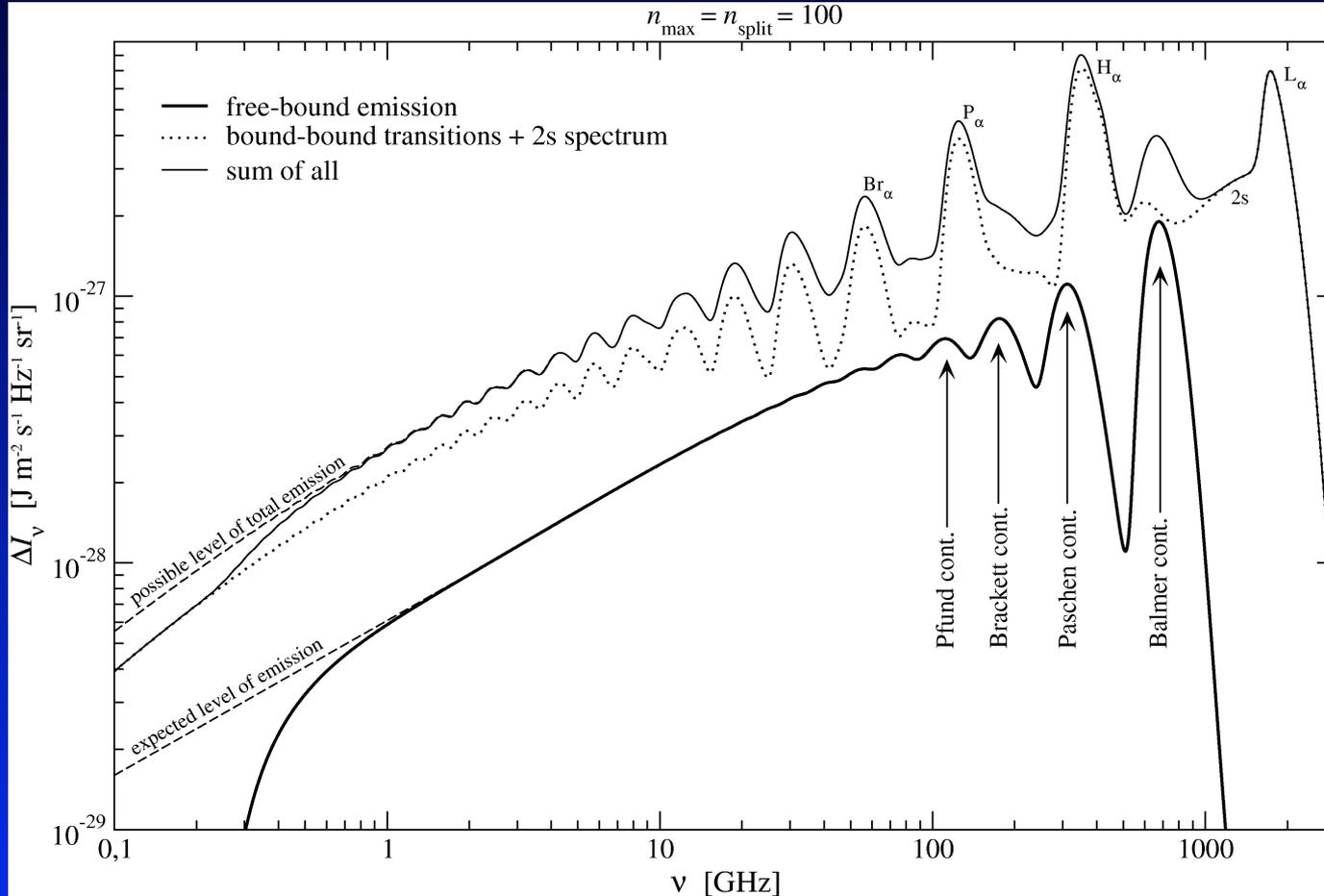
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free-bound:

- only a few features distinguishable
- slope ~ 0.6

100-shell hydrogen atom and continuum CMB spectral distortions



bound-bound & 2s:

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- slope ~ 0.46

free-bound:

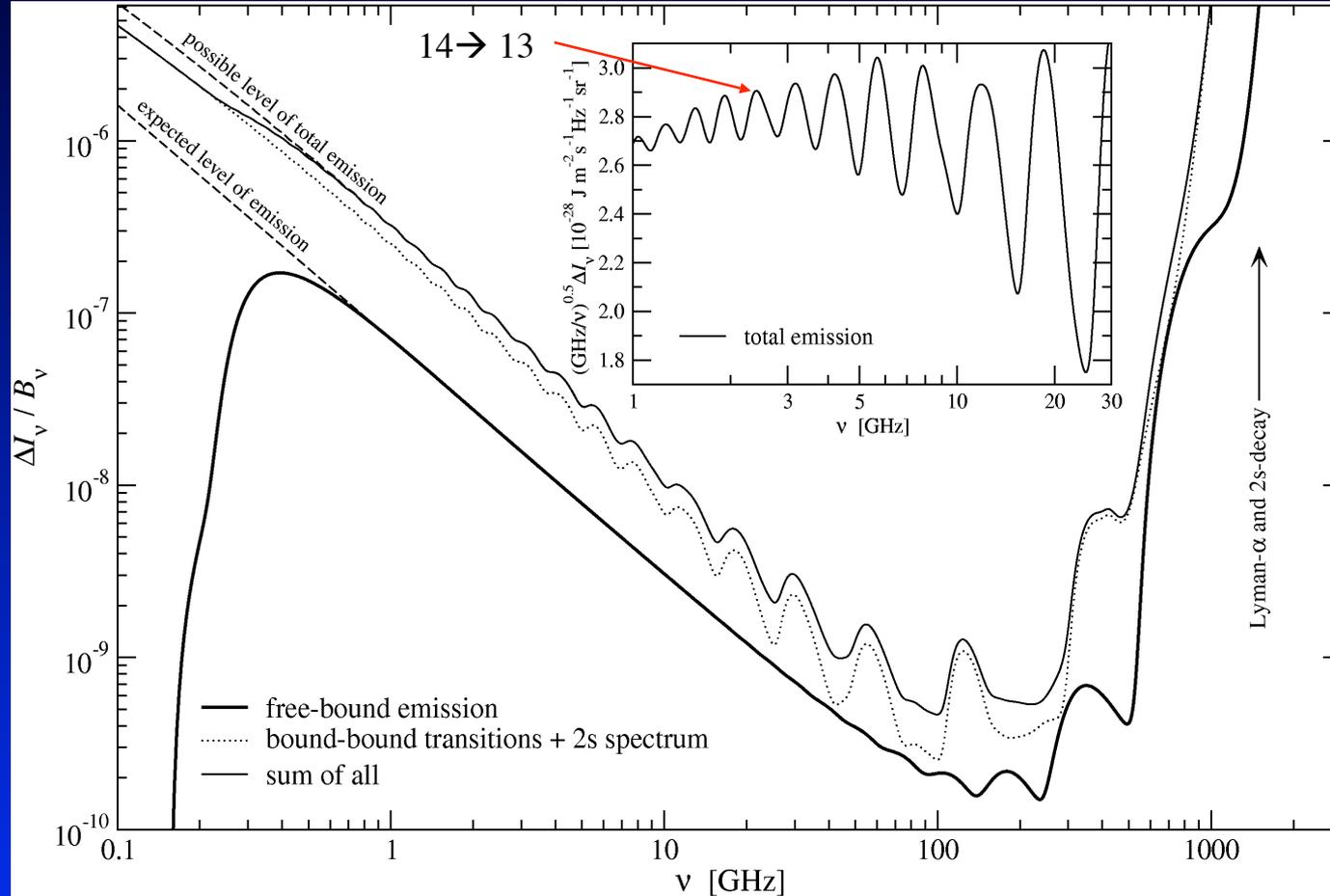
- only a few features distinguishable
- slope ~ 0.6

Total:

- f-b contributes $\sim 30\%$ and more
- Balmer cont. $\sim 90\%$
- Balmer: 1γ per HI
- in total **5 γ** per HI

100-shell hydrogen atom and continuum

Relative distortions



Wien-region:

- L_α and 2s distortions are very strong
- but CIB more dominant

@ CMB maximum:

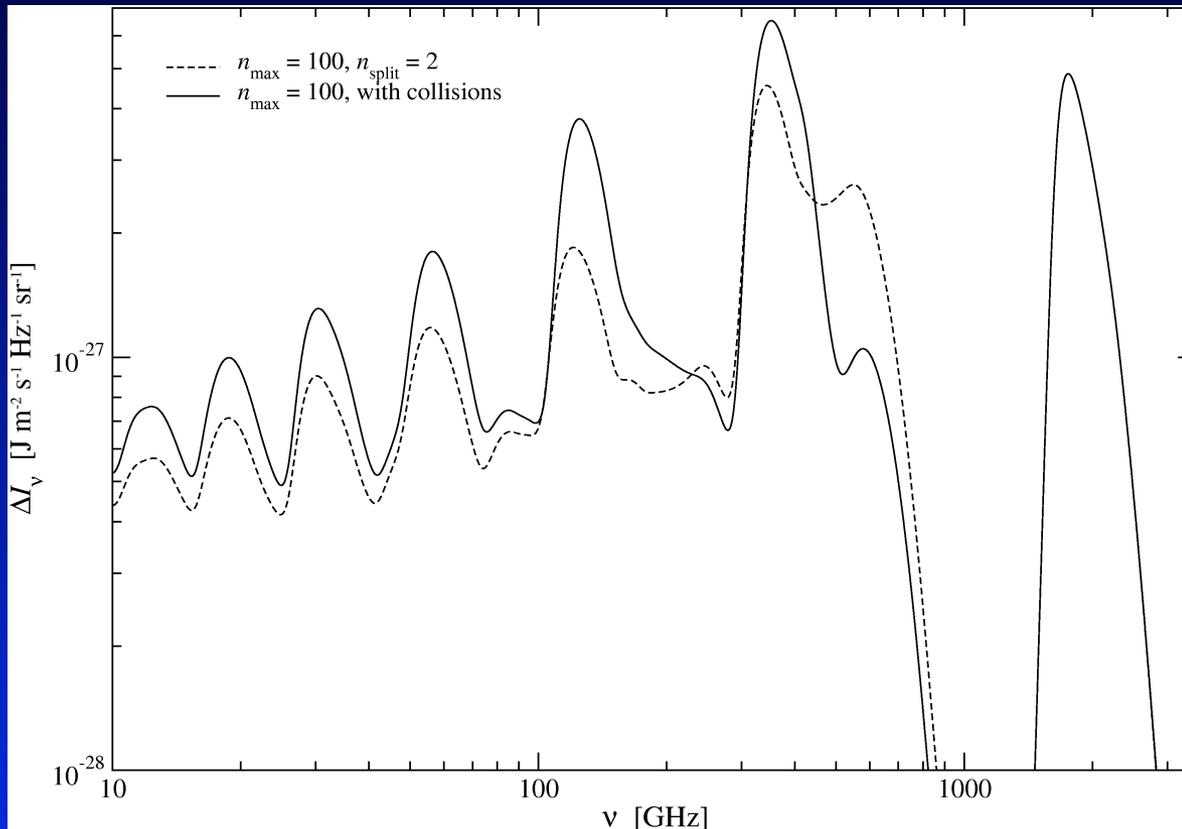
- relative distortions extremely small
- strong ν -dependence

RJ-region:

- relative distortion exceeds level of $\sim 10^{-7}$ below $\nu \sim 1\text{-}2$ GHz
- oscillatory frequency dependence with $\sim 1\text{-}10$ percent-level amplitude:
- *hard to mimic by known foregrounds or systematics*

100-shell hydrogen atom and continuum

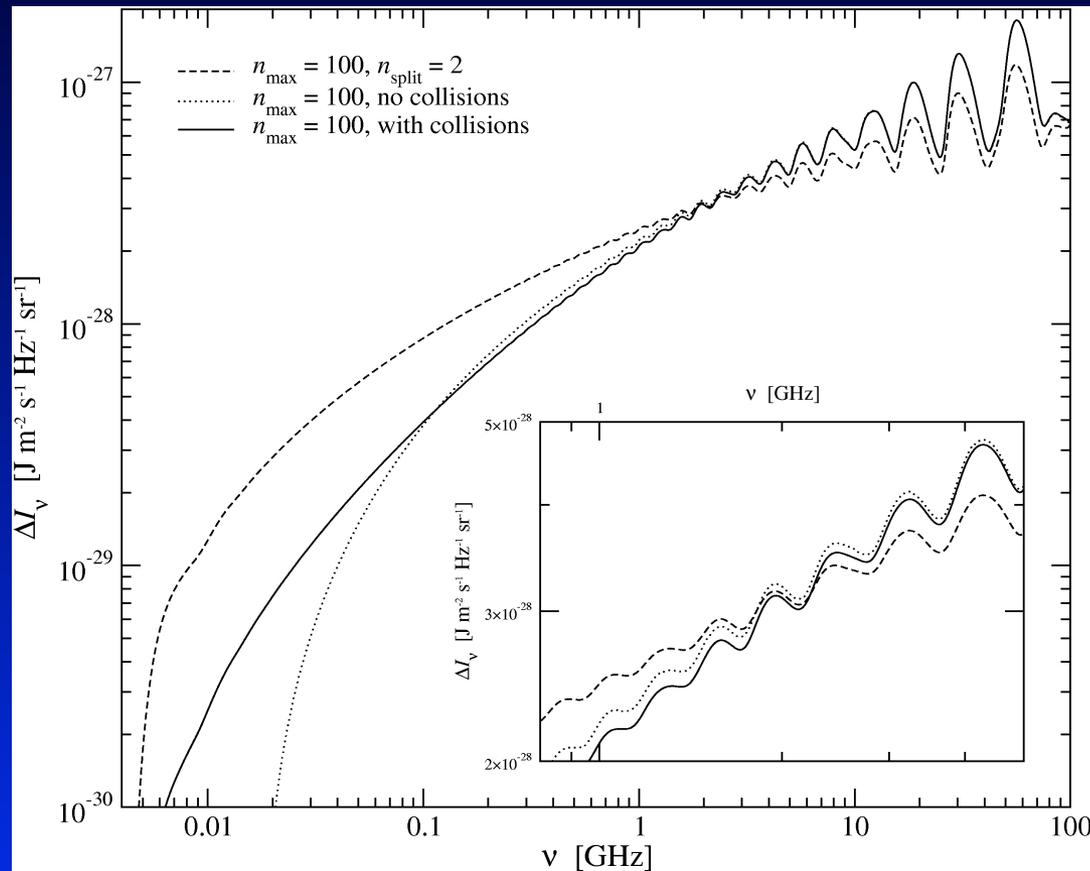
Non-equilibrium effects on the b-b-spectrum



- Lyman- α unchanged
- Balmer-series:
 - B_{α} lower for $n_{\text{split}}=2$
 - for $n_{\text{split}}=2$ second peak more than 2 times higher
 - ratio first to second peak decreases from $6 \rightarrow 2$
- higher series:
 - $n_{\text{split}}=2 \rightarrow$ emission lower
- collision are negligible!

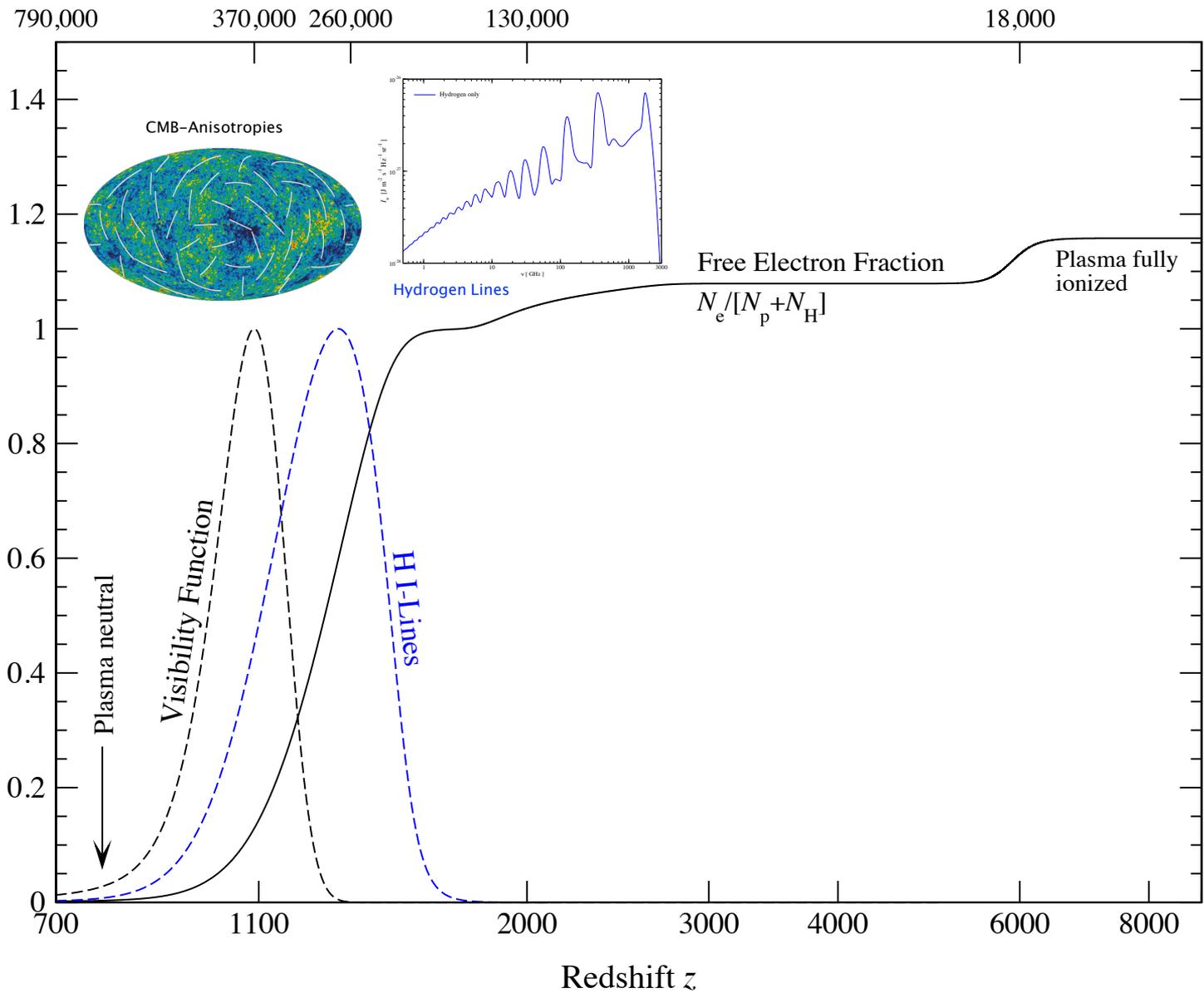
100-shell hydrogen atom and continuum

Effect of l -changing collisions on the b - b spectrum



- collisions start to be important for n above ~ 40
- at low frequencies solution for $n_{\text{split}}=2$ lies above those with $n_{\text{split}}=100$
- difference in the low frequency slope robust ($0.35 \leftrightarrow 0.46$)
- large $n \rightarrow$ transitions with $\Delta n \sim n$ favoured for $n_{\text{split}}=100$

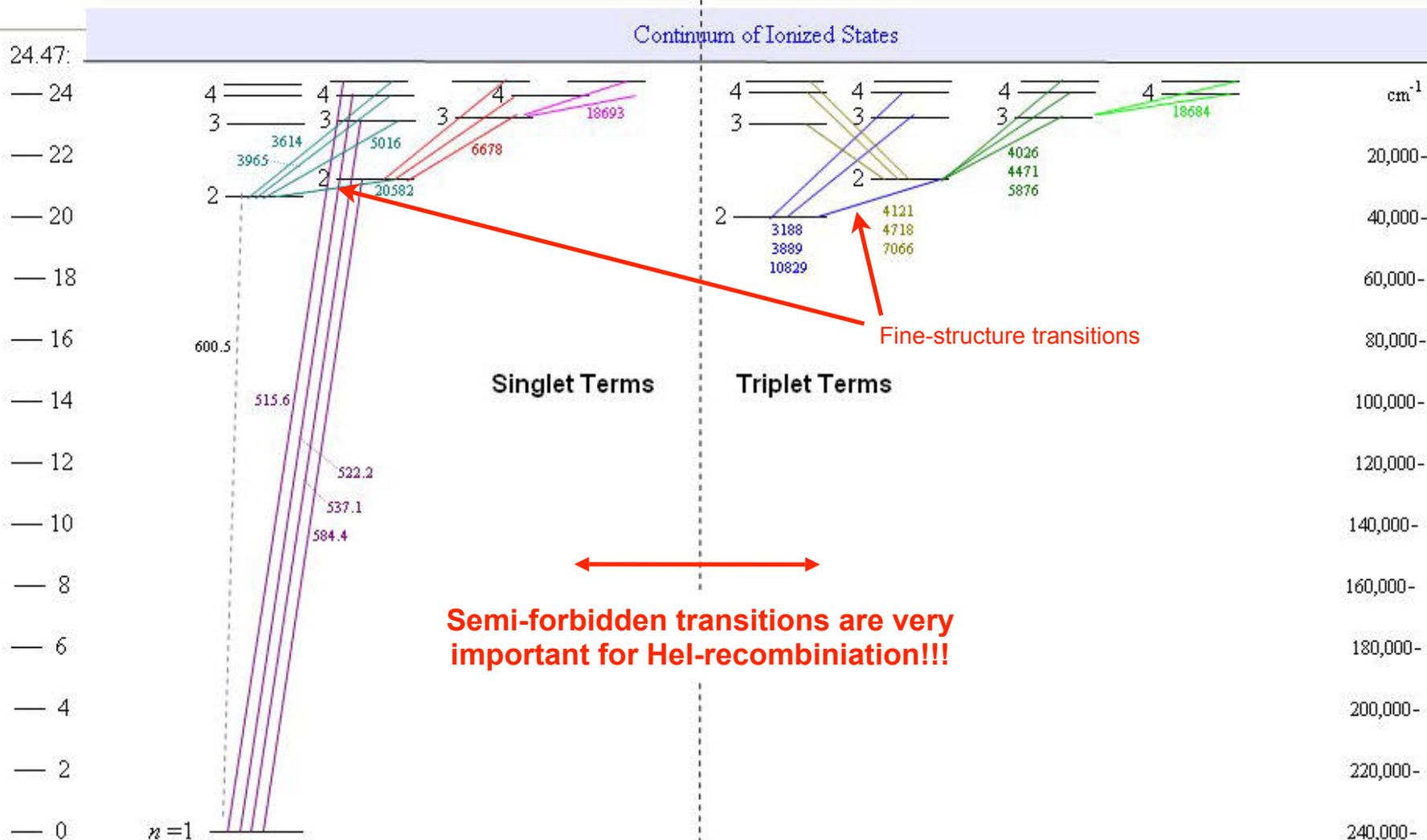
Cosmological Time in Years



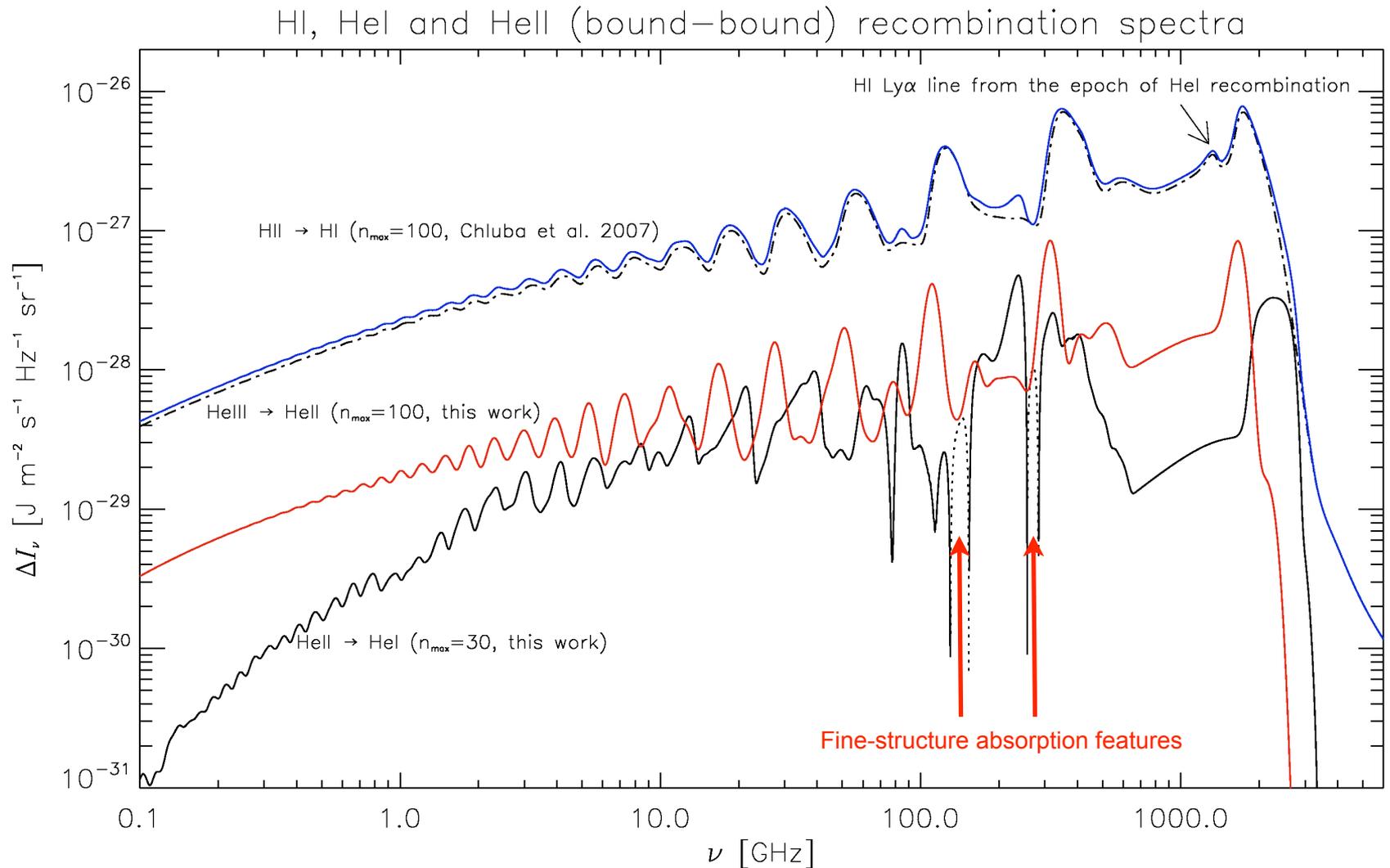
What about the contributions from helium recombination?

- Nuclear reactions: $Y_p \sim 0.24 \leftrightarrow N_{\text{HeI}} / N_{\text{H}} \sim 8 \%$
→ expected photon number rather small
 - **BUT:**
 - (i) two epochs of He recombination
HeIII → HeII at $z \sim 6000$ and HeII → HeI at $z \sim 2500$
 - (ii) Helium recombinations faster
→ more *narrow* features with *larger* amplitude
 - (iii) non-trivial superposition
→ local amplification possible
 - (iv) **reprocessing** of HeII & HeI photons by HeI and HI
→ increases the number of helium-related photons
- May opens a way to **directly** measure the primordial (pre-stellar!!!) helium abundance!

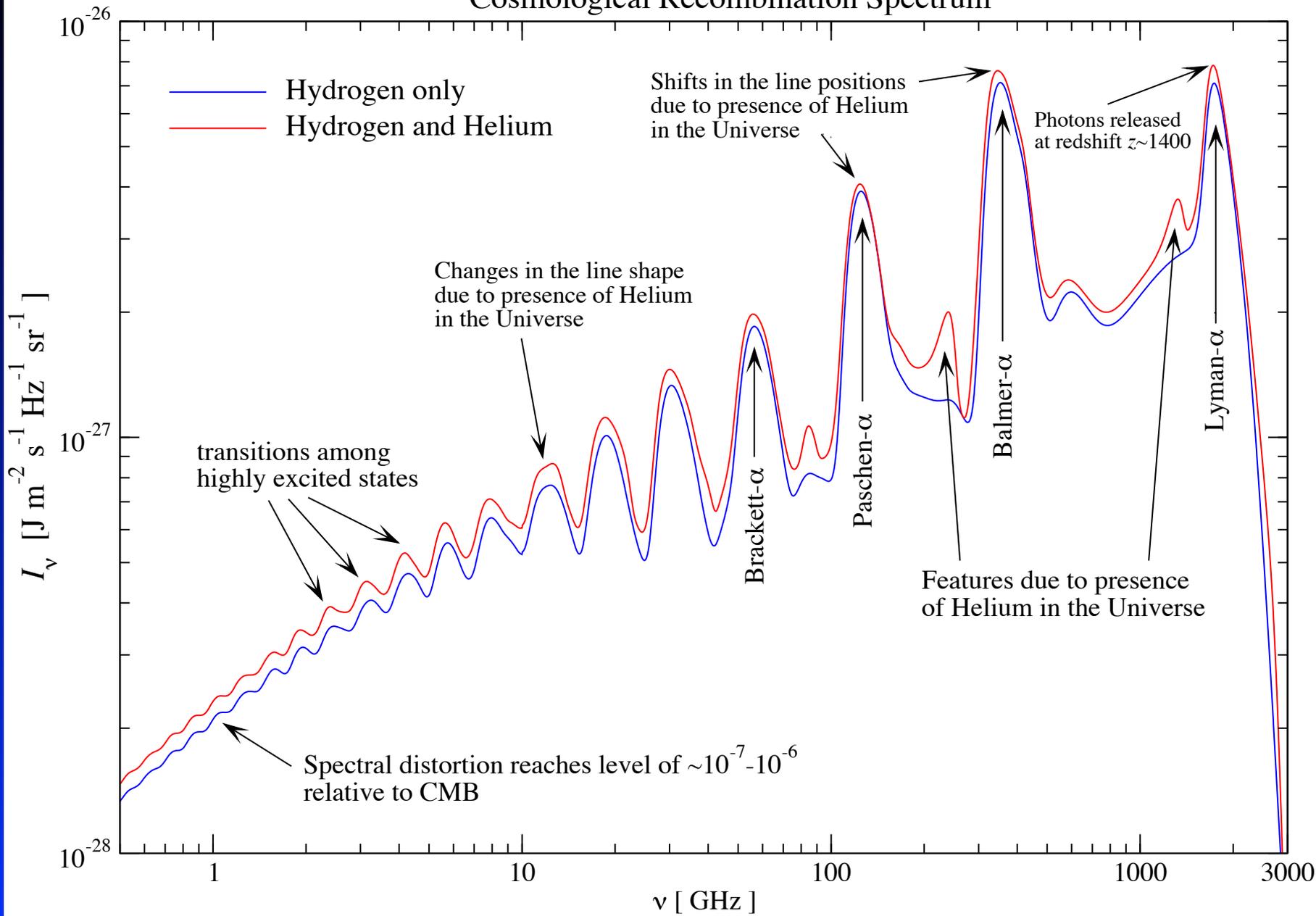
Grotrian diagram for neutral helium



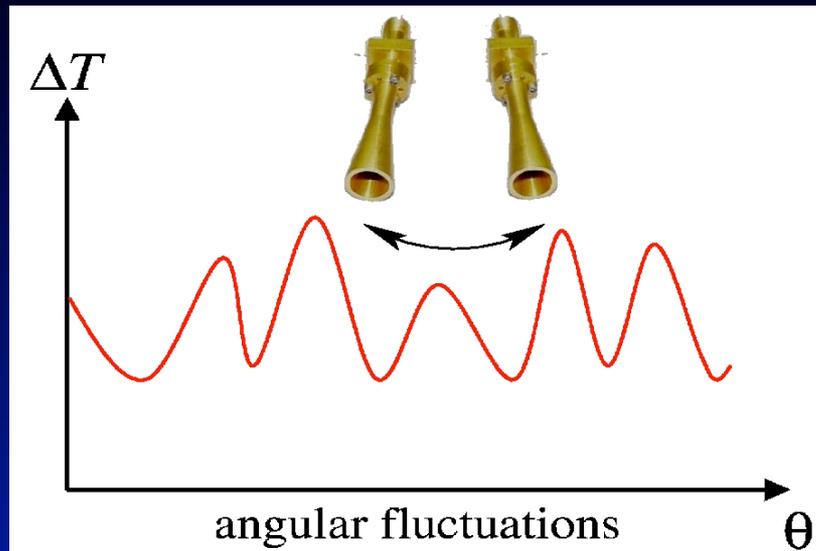
Helium contributions to the cosmological recombination spectrum



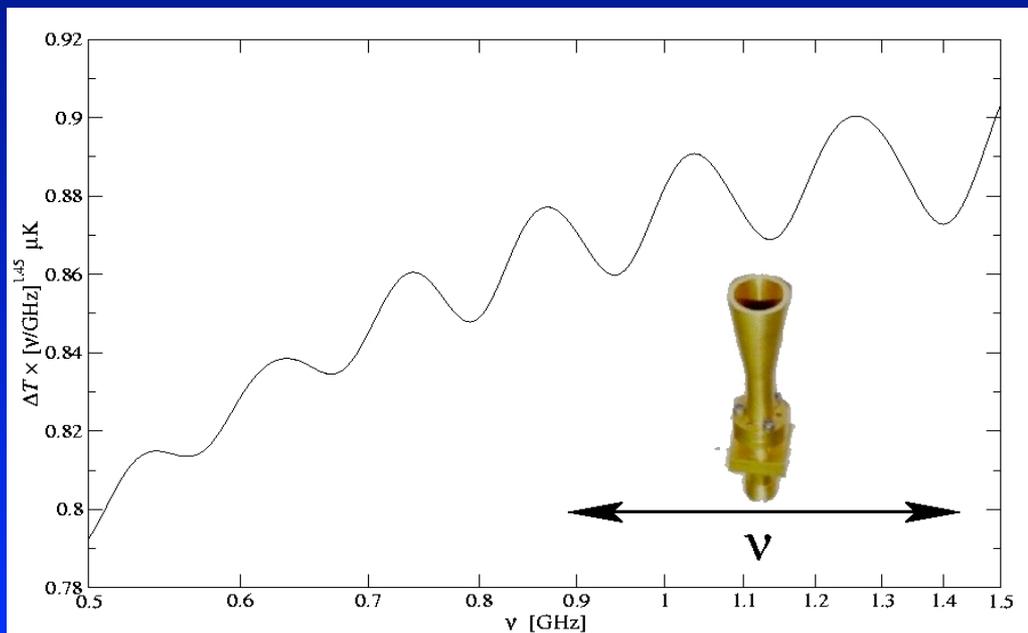
Cosmological Recombination Spectrum



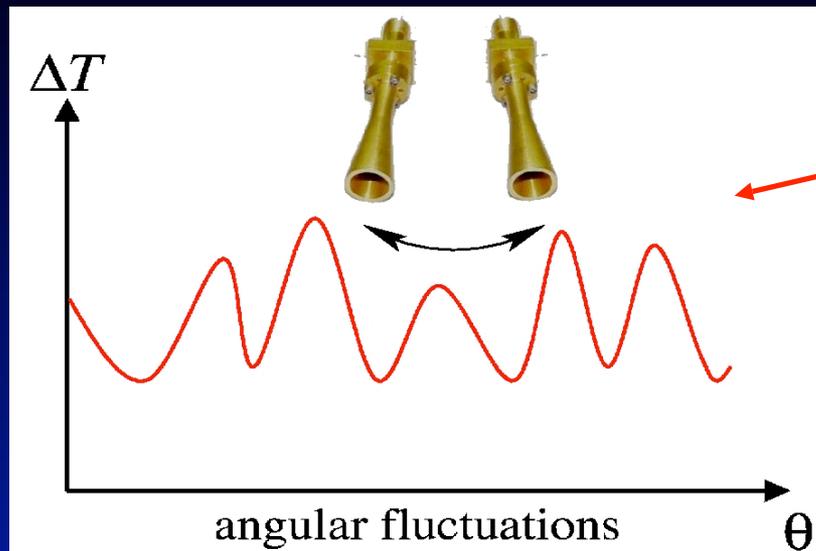
Sketch of proposed Observing Strategy



**Scan over frequency
instead of angular
coordinate!!!**

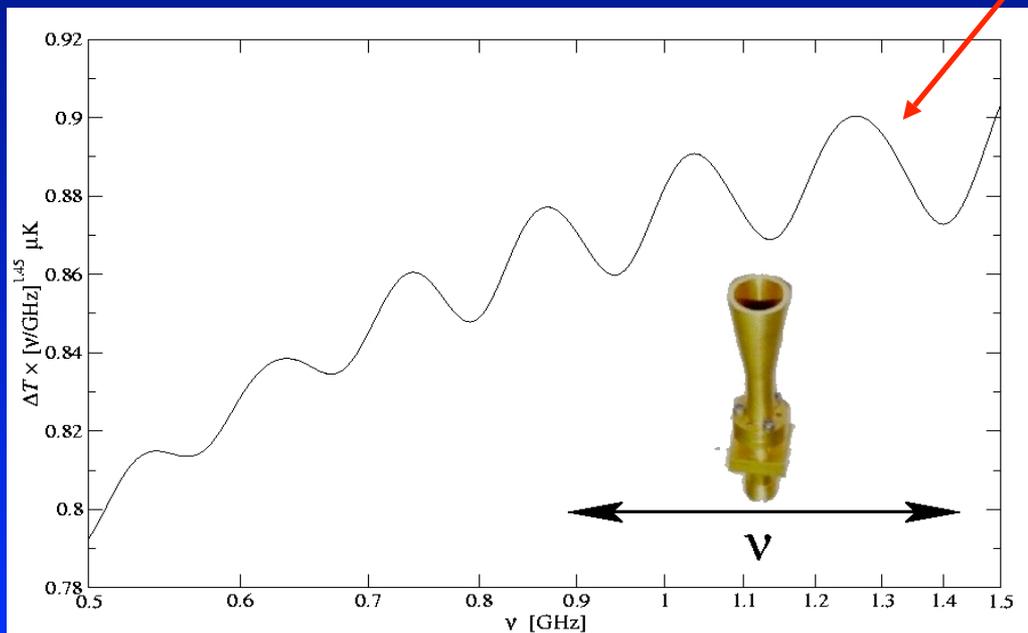


Sketch of proposed Observing Strategy



Experiments under construction are reaching the sensitivity on the level of 10 nK

Cosmological recombination Signal is close to $\sim 1 \mu\text{K}$ at $\nu \sim 1 \text{ GHz}$. The amplitude of the frequency modulated signal reaches $\sim 30 \text{ nK}$



In both cases: **No absolute measurement!**

In the case of the recombinational lines one can compute a „*Template*“ with frequencies and amplitude of all features

The lines in the CMB spectrum are the same on the whole sky

Lines are practically unpolarized

What would we actually learn by doing such hard job?

Cosmological Recombination Spectrum opens a way to measure:

- the specific *entropy* of our universe (related to $\Omega_b h^2$)
- the CMB *monopole* temperature T_0
- the *pre-stellar abundance of helium* Y_p
- *If recombination occurs as we think it does, then the lines can be predicted with very high accuracy!*
- *In principle allows us to directly check our understanding of the standard recombination physics*
- **Current theoretical limitations: (i) collisional rates; Hel (ii) photo-ionization cross-sections and (iii) bb-transition rates**

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If something unexpected or non-standard happened:

- *non-standard thermal histories should leave some measurable traces*
- *direct way to measure/reconstruct the recombination history!*
- *possibility to distinguish pre- and post-recombinational y-type distortions*
- *sensitive to dark matter annihilations during recombination*
- *new way to constrain energy injection history*

Cosmological Time in Years

