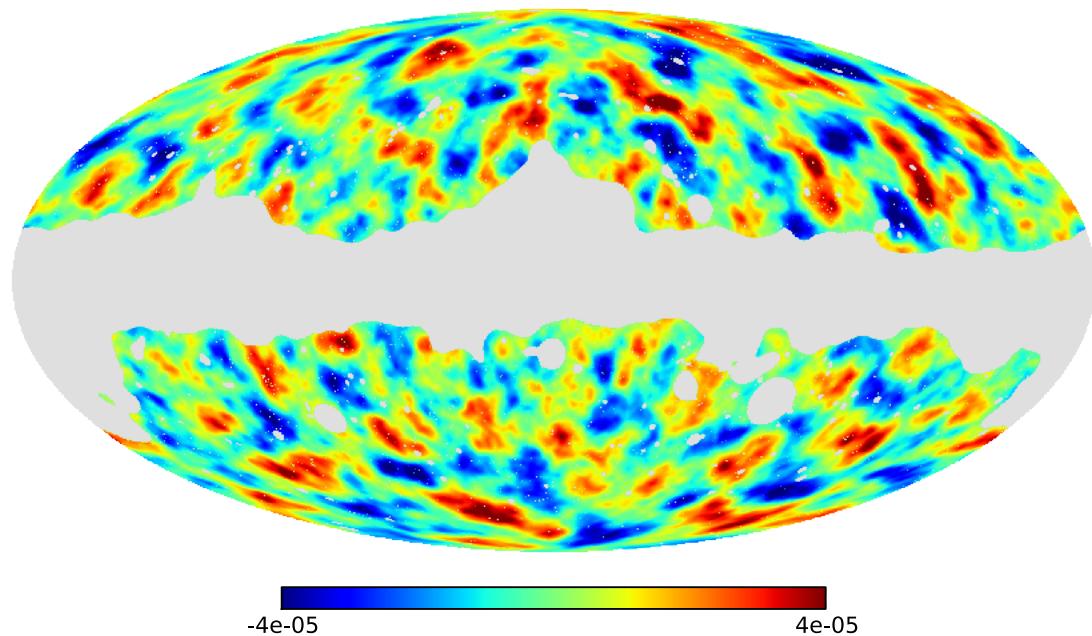


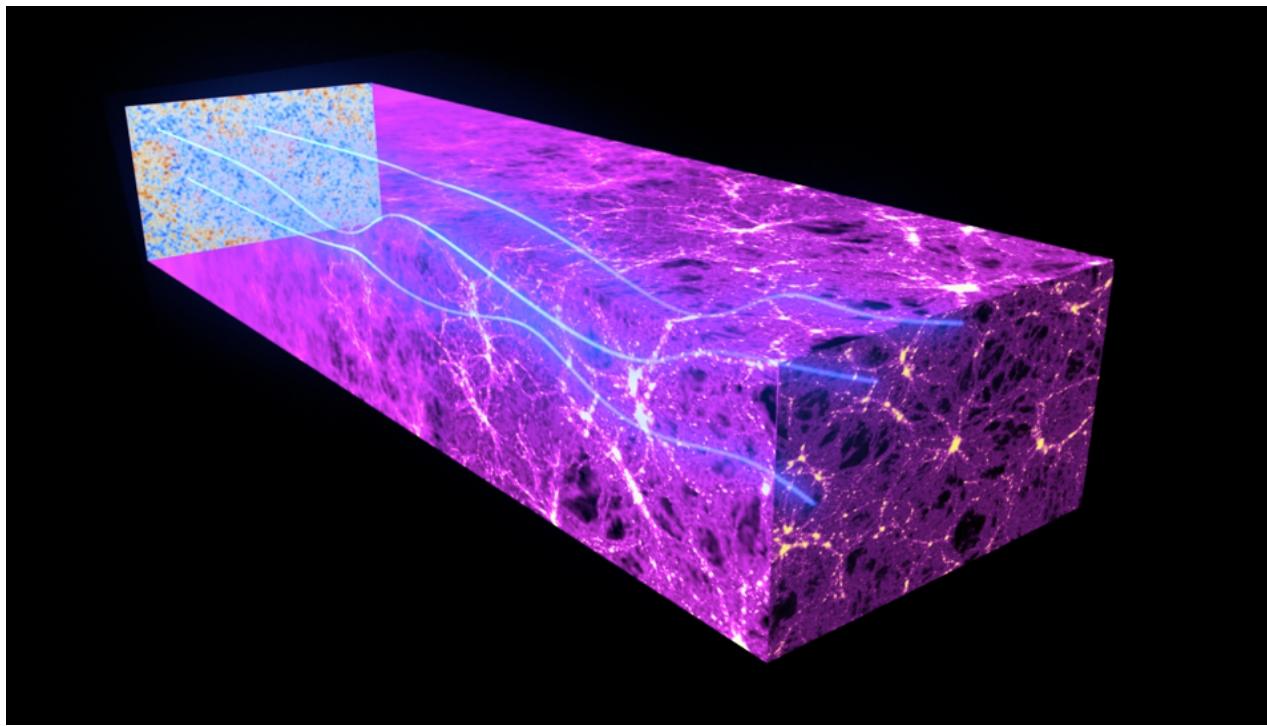
A distorted view of the CMB?

Anthony Challinor



*KICC/IoA/DAMTP
University of Cambridge*

Lensing of the CMB

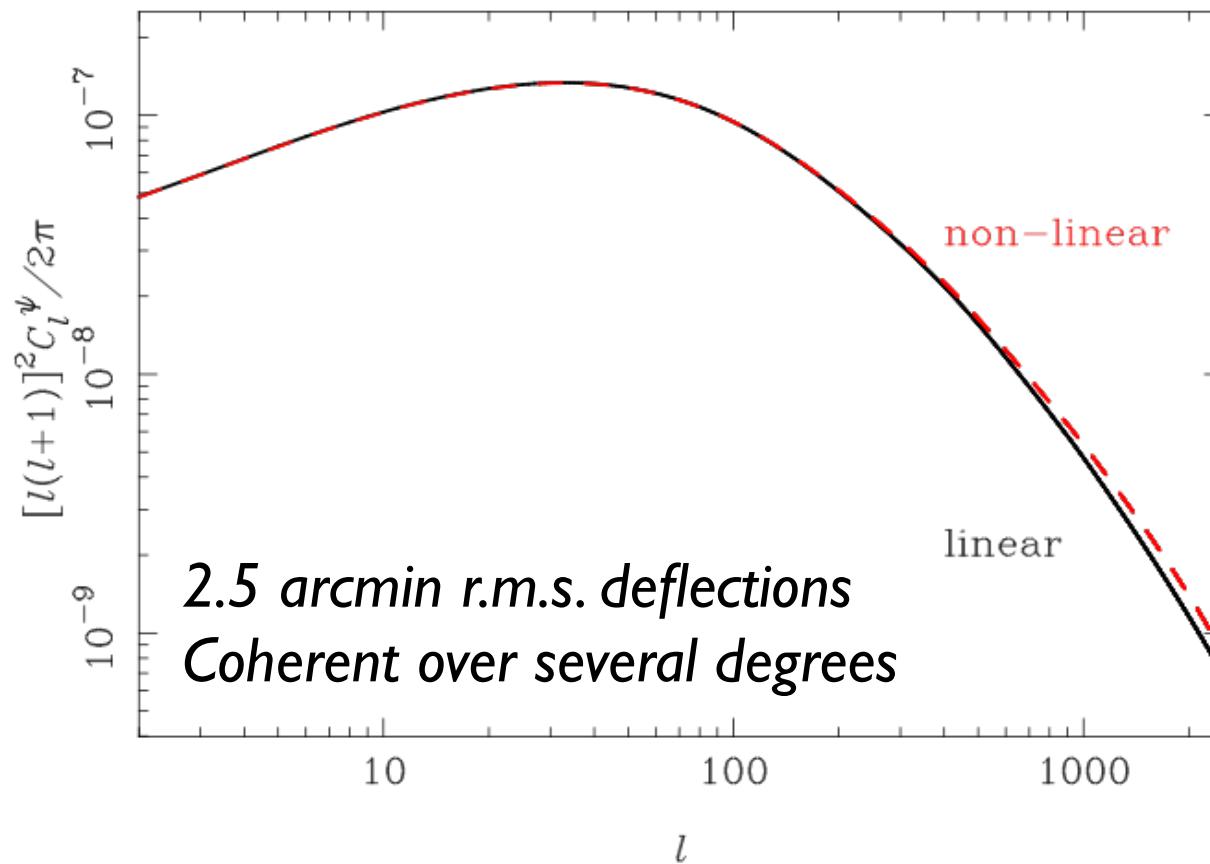


- $O(50)$ deflections by $O(100)$ Mpc scale lenses
 - Peak efficiency around $z=2$
 - Predicts 2.5 arcmin r.m.s. deflections coherent over several degrees

CMB lensing power spectrum

- Deflection field $\mathbf{d} = \nabla\varphi$ in linear theory

$$\phi(\hat{\mathbf{n}}) = - \int_0^{\chi_*} d\chi \frac{\chi_* - \chi}{\chi_* \chi} (\Phi + \Psi)(\chi \hat{\mathbf{n}}; \eta_0 - \chi)$$



Effects of lensing on the CMB

$$\tilde{T}(\boldsymbol{x}) = T(\boldsymbol{x} + \nabla\phi)$$

$$(\tilde{Q} \pm i\tilde{U})(\boldsymbol{x}) = (Q \pm iU)(\boldsymbol{x} + \nabla\phi)$$

$T(\hat{n})$ ($\pm 350\mu K$)

$E(\hat{n})$ ($\pm 25\mu K$)

$B(\hat{n})$ ($\pm 2.5\mu K$)

$T(\hat{n})$ ($\pm 350\mu K$)

$E(\hat{n})$ ($\pm 25\mu K$)

$B(\hat{n})$ ($\pm 2.5\mu K$)

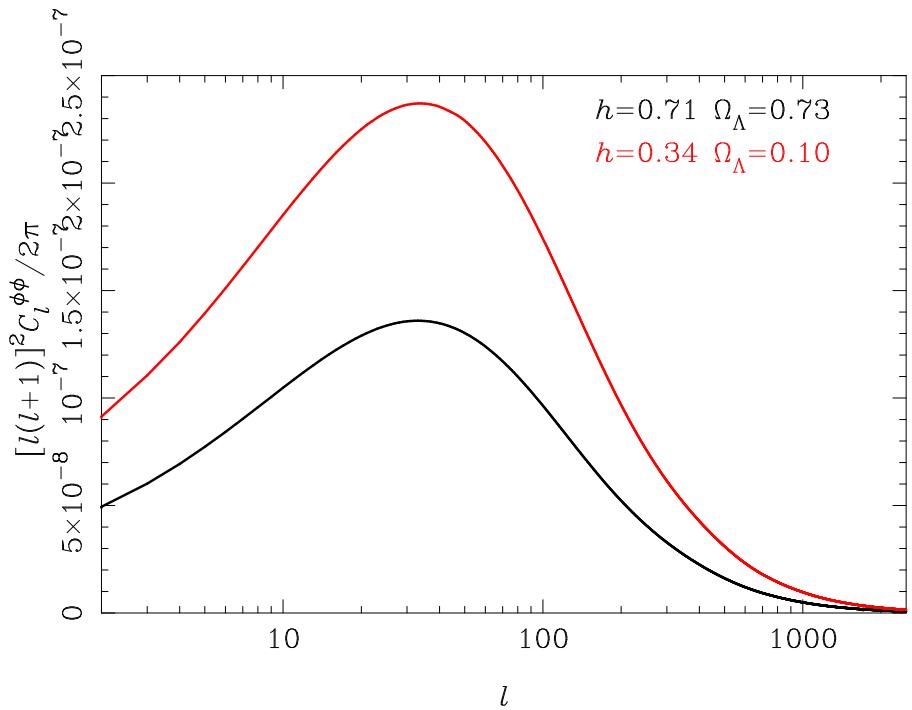
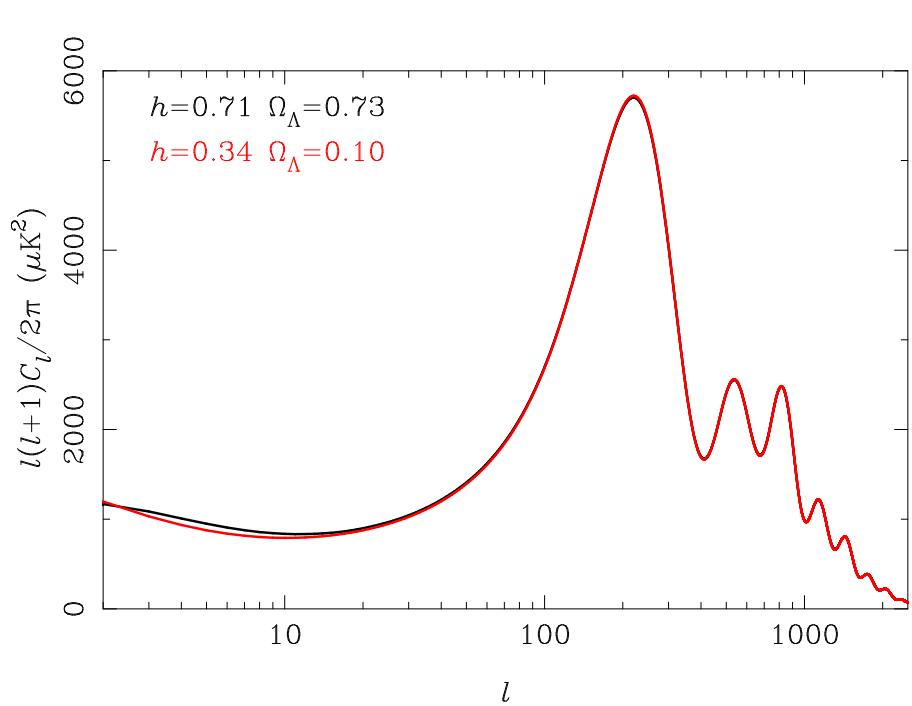
Effects of lensing on the CMB

$$\tilde{T}(\mathbf{x}) = T(\mathbf{x} + \nabla\phi)$$

$$(\tilde{Q} \pm i\tilde{U})(\mathbf{x}) = (Q \pm iU)(\mathbf{x} + \nabla\phi)$$

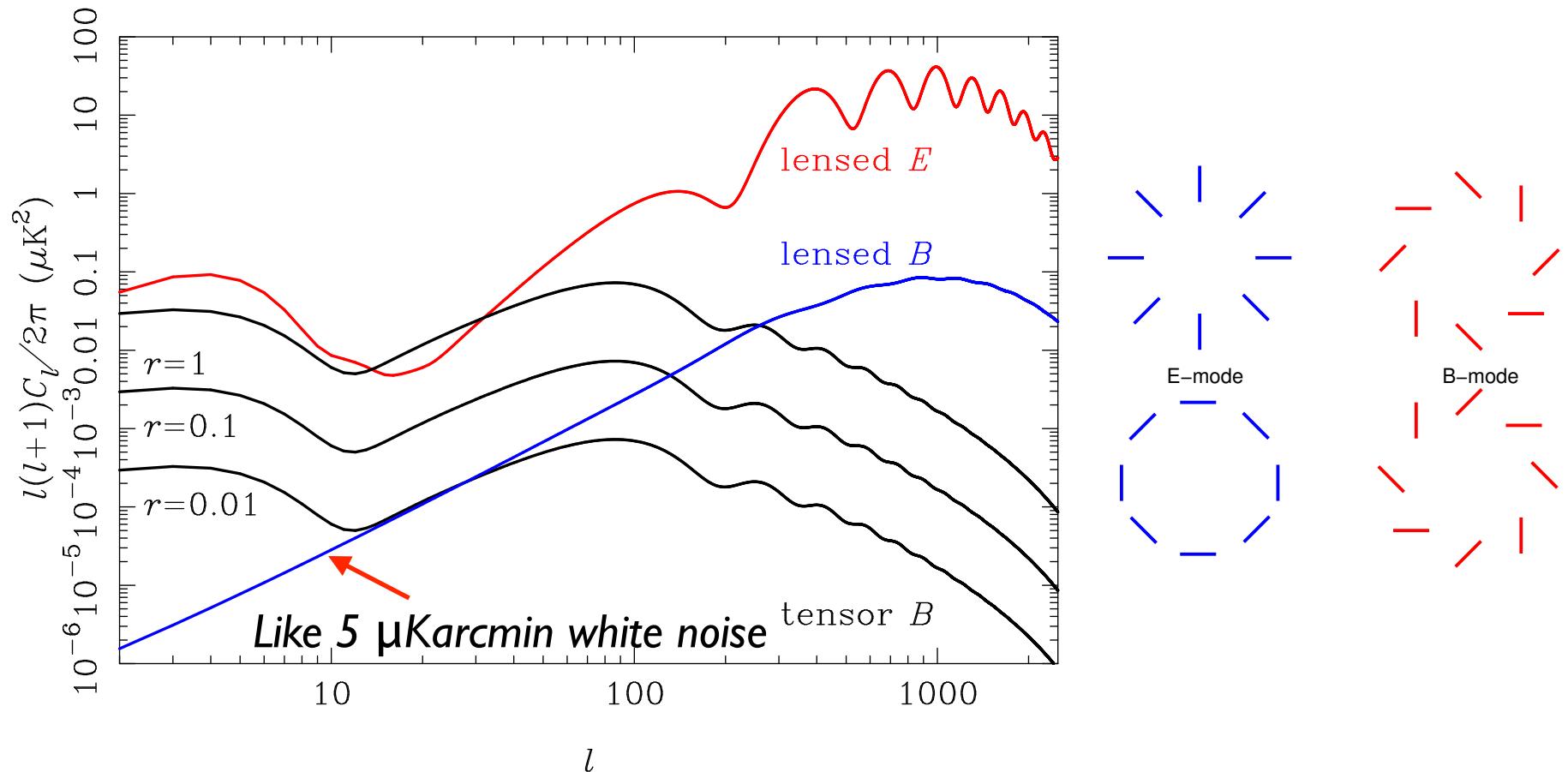
- Smooths out acoustic peaks in TT , TE , and EE power
- Generates power at arcmin scales in TT , TE , and EE
- Generates B -modes from E -modes with almost white noise power
- Introduces non-Gaussianity
 - 4-point function proportional to $C_L^{\varphi\varphi}$
 - 3-point function with LSS tracers correlated with φ

Lensing adds information...



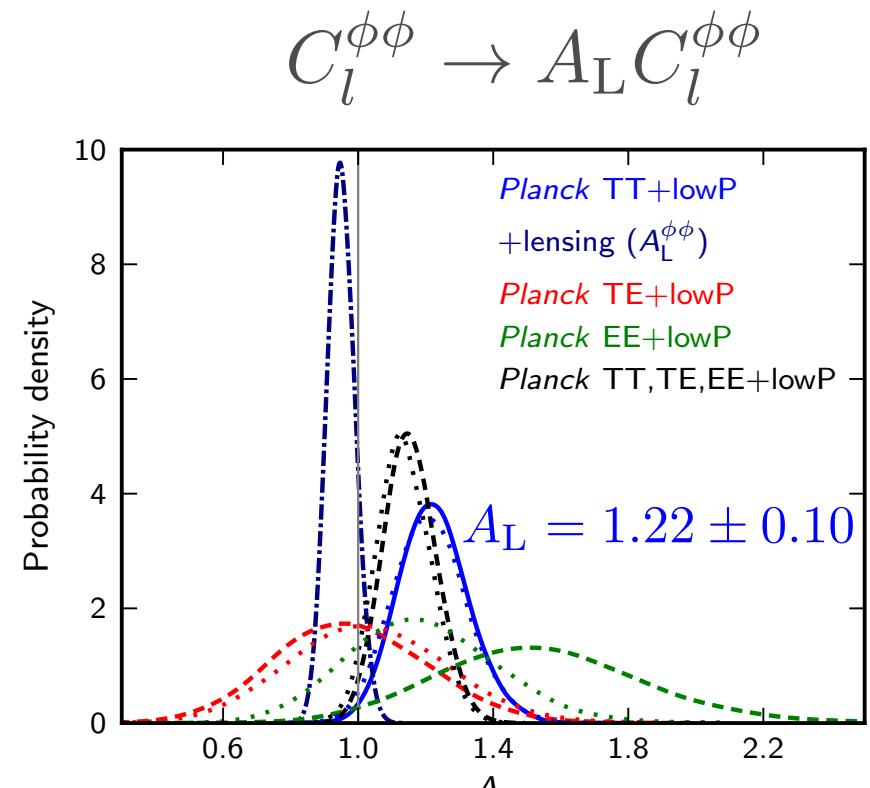
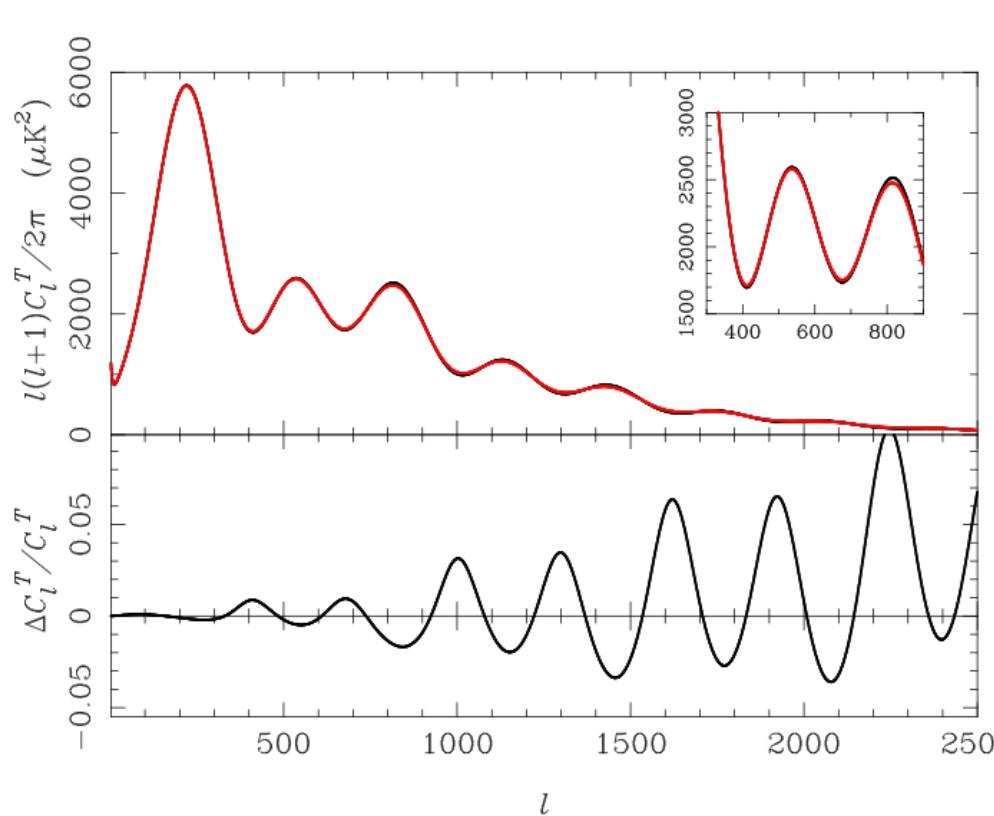
- Geometric degeneracy in CMB power spectra broken by different amounts of lensing in models with same $d_A(z_*)$
 - Access to curvature, sub-eV neutrino masses, dark energy etc. from CMB alone

... but also hides it



- Additional cosmic variance from lensing B-modes
obstacle for instrument noise better than 5 $\mu\text{Karcmin}$

Lensing peak smoothing



- Smoothing effect in TT detected at 10σ with Planck
- Contains information on a single (eigen)mode of $C_l^{\phi\phi}$

Lens reconstruction

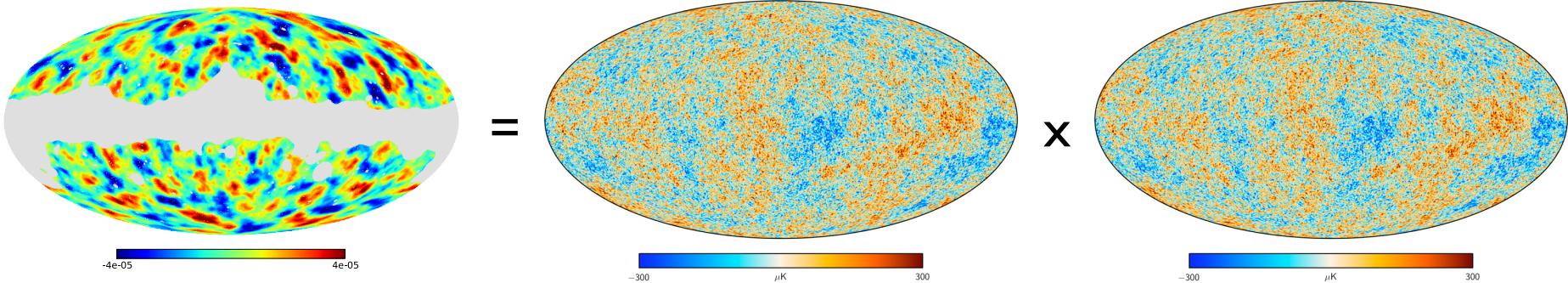
- Fixed lenses introduce statistically-anisotropic correlations:

$$\Delta \langle X_{l_1 m_1} Y_{l_2 m_2} \rangle_{\text{CMB}} = \sum_{LM} (-1)^M \begin{pmatrix} l_1 & l_2 & L \\ m_1 & m_2 & -M \end{pmatrix} \mathcal{W}_{l_1 l_2 L}^{XY} \phi_{LM}$$

- Noisy lensing estimates from quadratic CMB combinations:

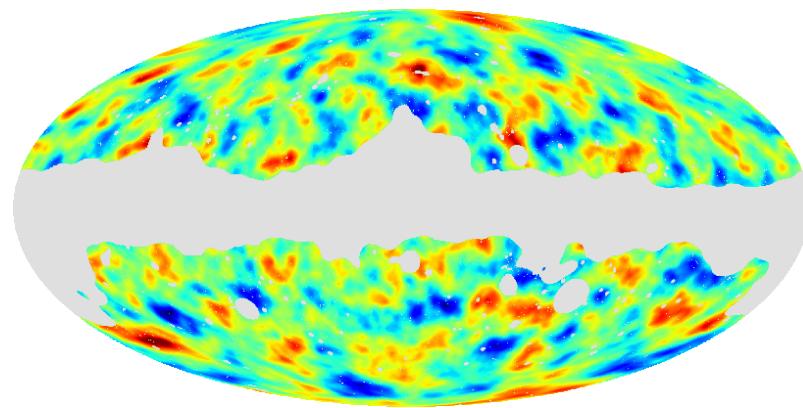
$$\hat{\phi}_{LM} = \frac{(-1)^M}{2} \frac{1}{\mathcal{R}_L^{XY}} \sum_{l_1 m_1, l_2 m_2} \begin{pmatrix} l_1 & l_2 & L \\ m_1 & m_2 & -M \end{pmatrix} [\mathcal{W}_{l_1 l_2 L}^{XY}]^* \bar{X}_{l_1 m_1} \bar{Y}_{l_2 m_2}$$

Normalisation Known lensing-induced correlations Inverse-variance-weighted CMB fields

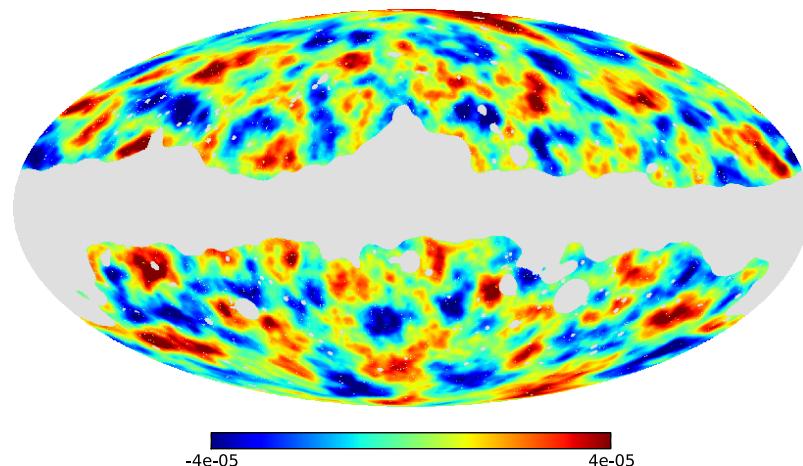


Reconstruction is noisy

- Chance correlations in noisy CMB introduce statistical noise in reconstruction (like shape noise in galaxy lensing)

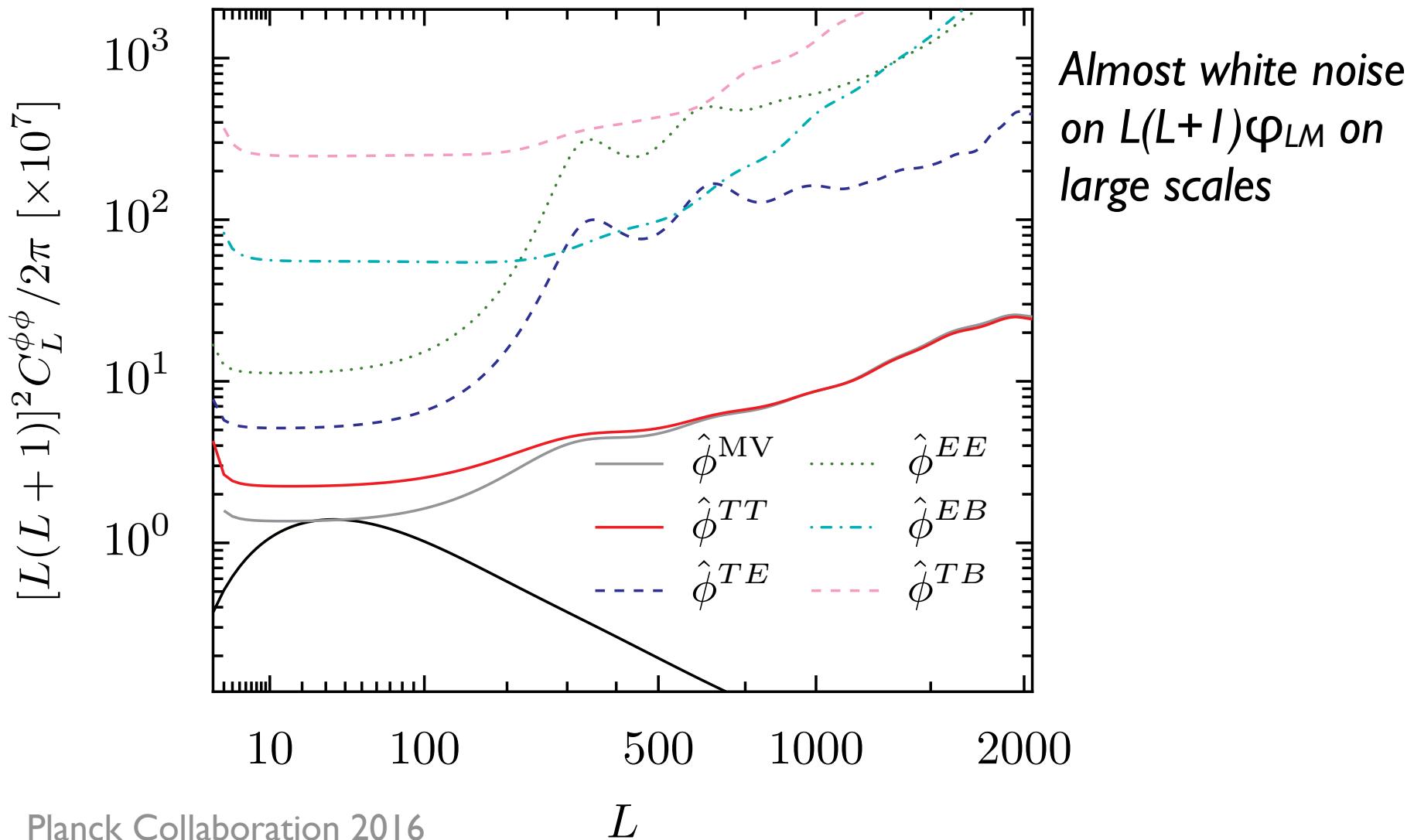


Input

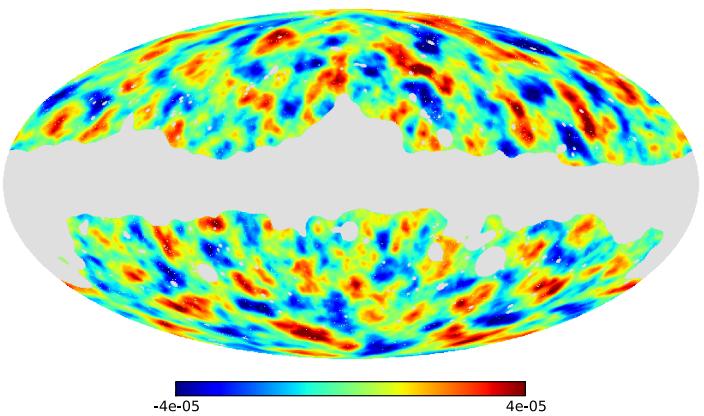


*Recovered
at Planck
noise levels*

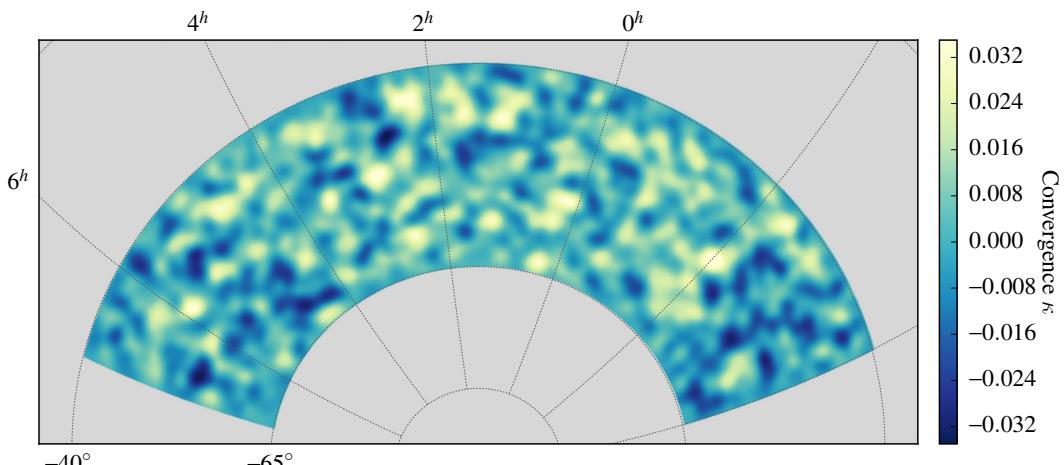
Planck reconstruction noise levels



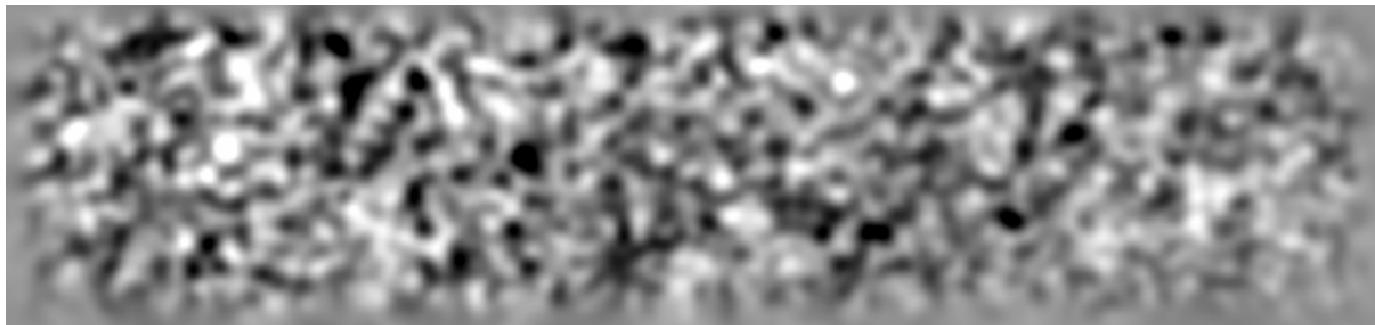
Recent lens reconstructions



Planck Collaboration 2016

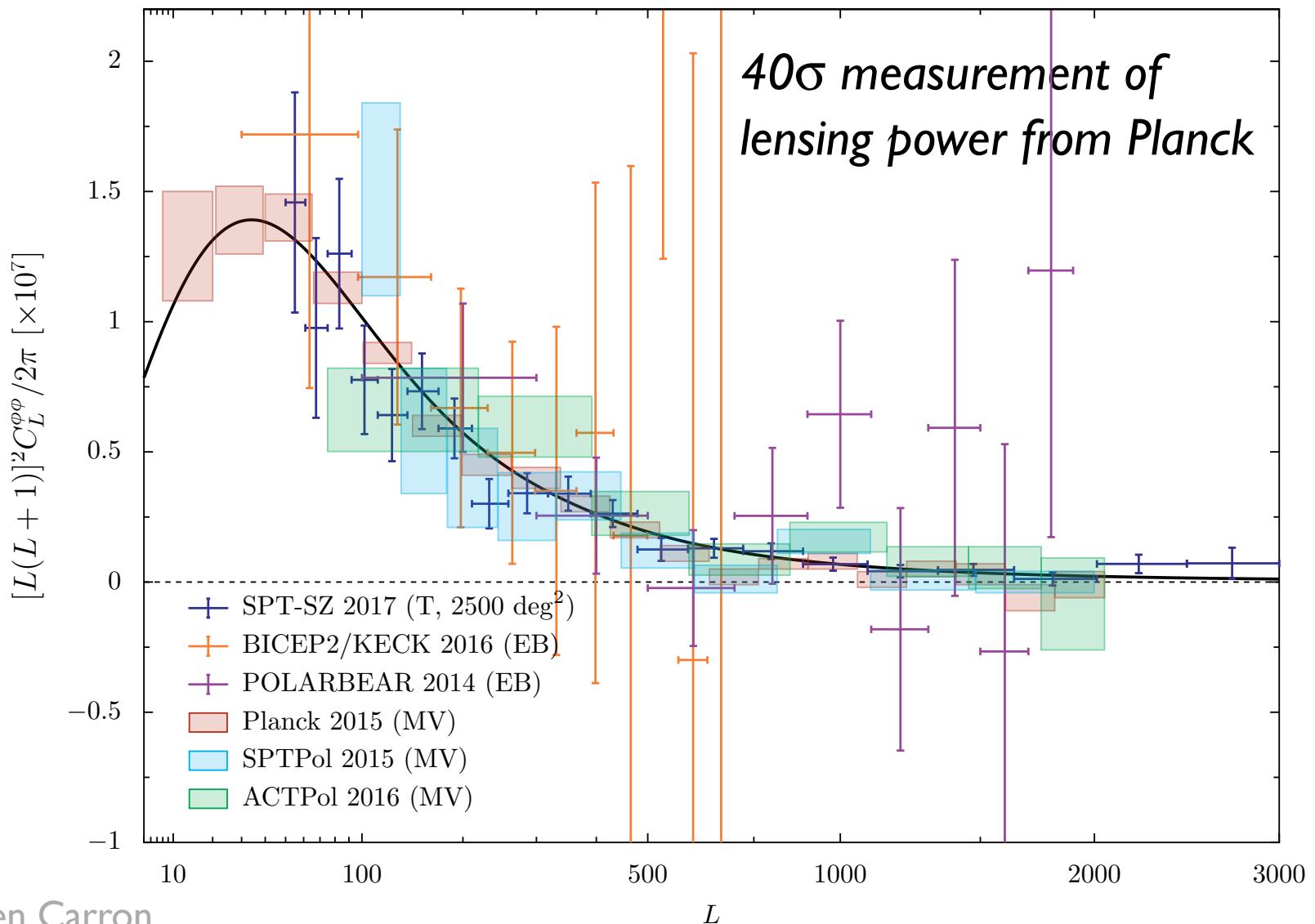


Omori+ 2017: 2500 deg 2 SPT+Planck

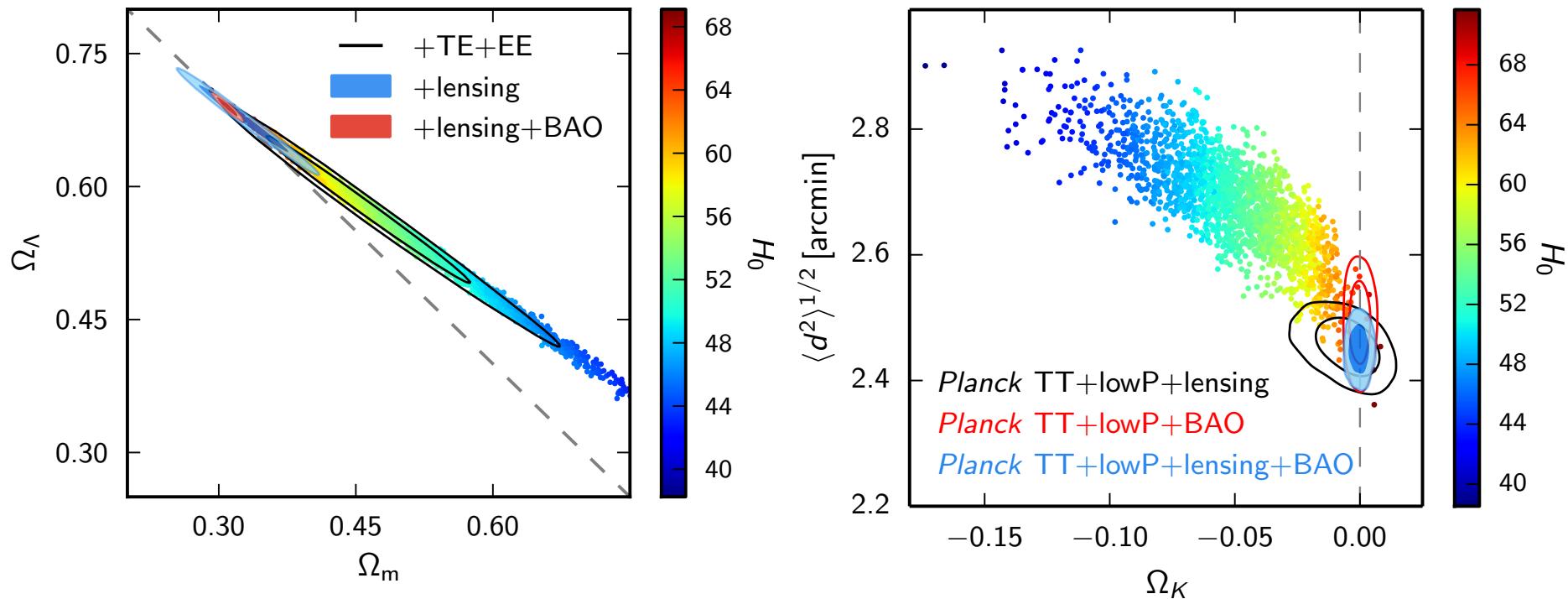


Sherwin+ 2016: 500 deg 2 two-season ACTPol

Lensing power measurements



Constraining curvature



$$\Omega_K = -0.052^{+0.032}_{-0.018}$$

(68%; *Planck* TT+lowP)

$$\Omega_K = -0.0053^{+0.0089}_{-0.0075}$$

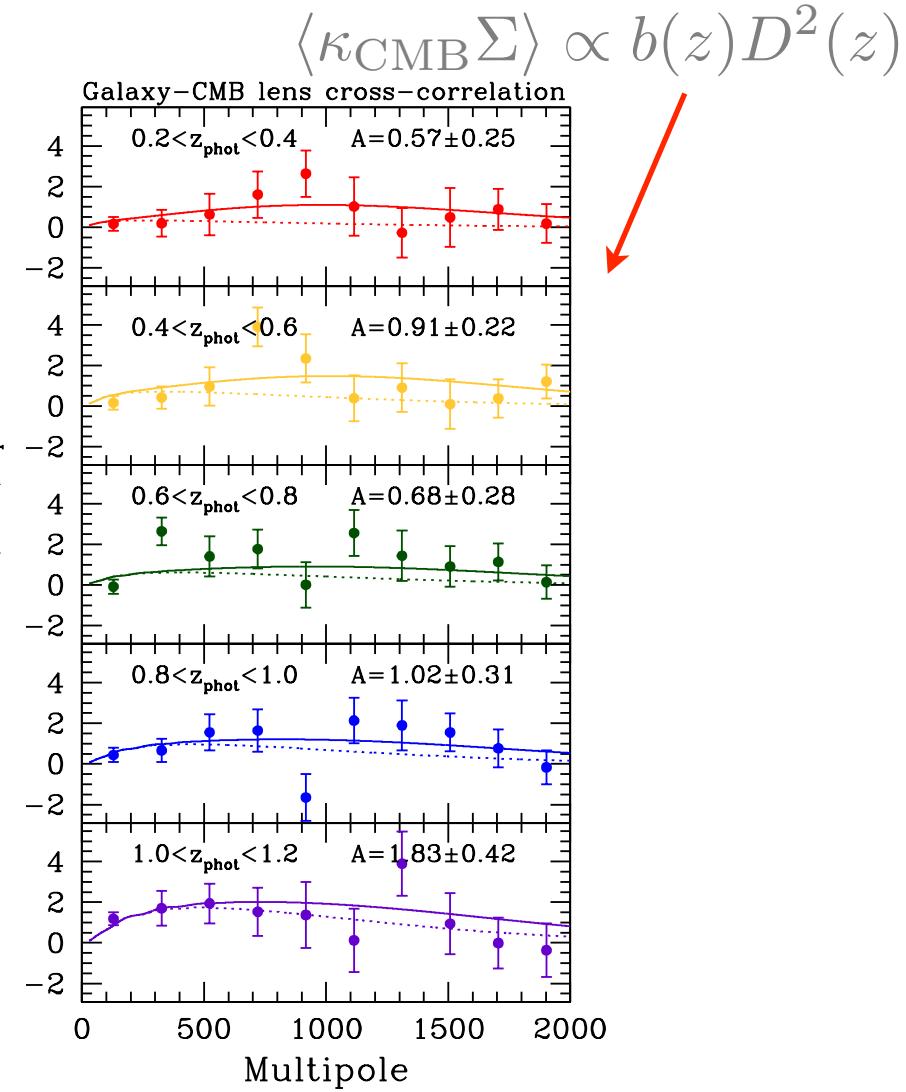
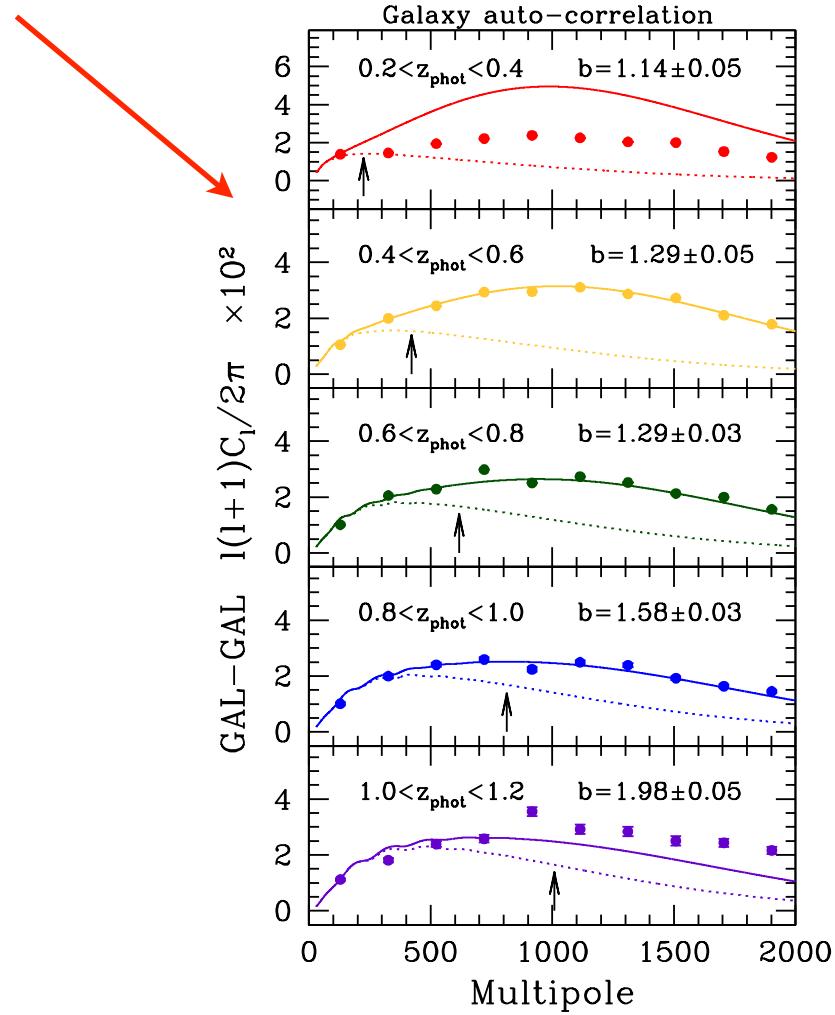
(68%; *Planck* TT+lowP+lensing)

$$\Omega_K = -0.0002 \pm 0.0026$$

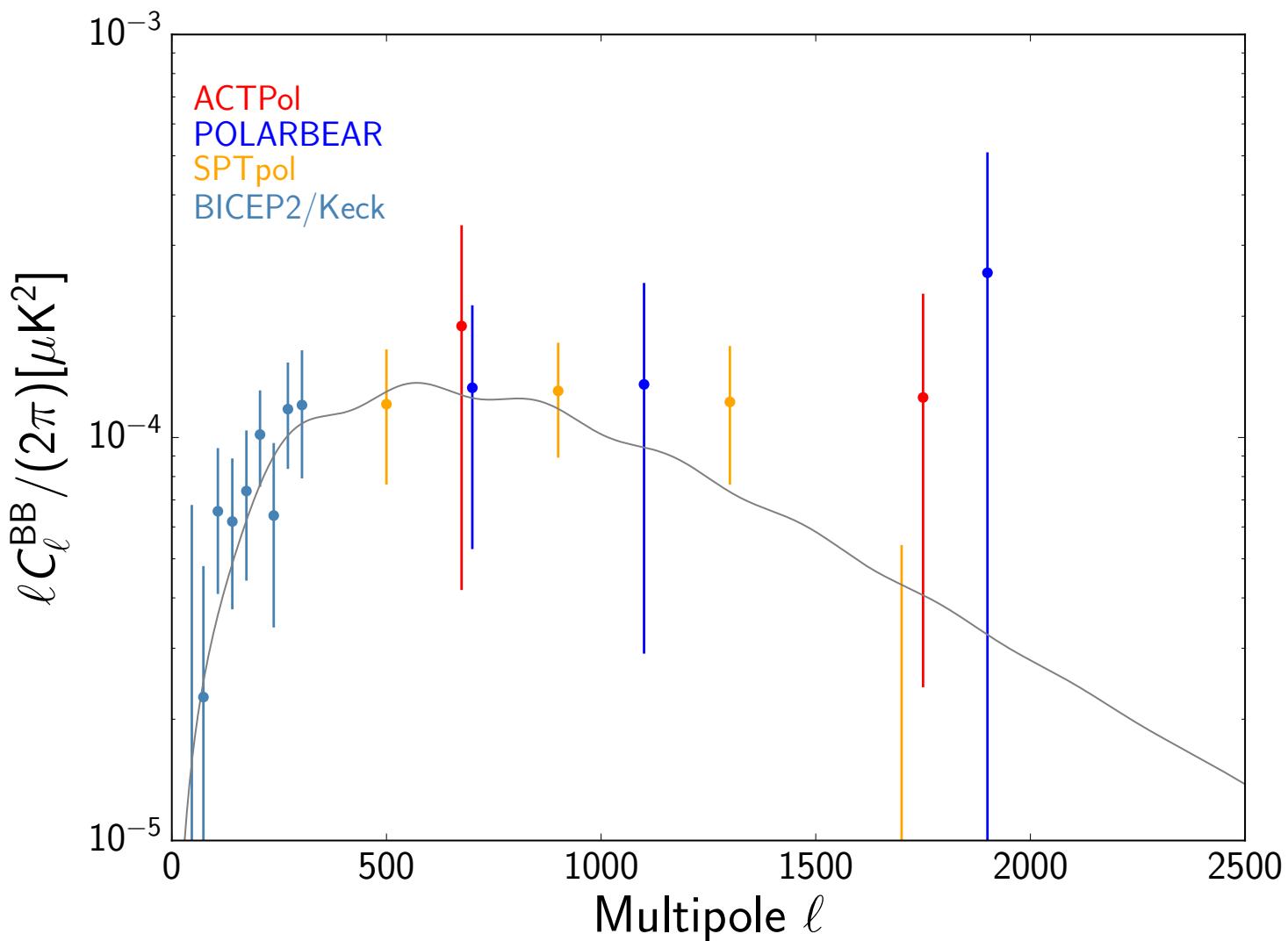
(68%; *Planck* TT+lowP+lensing+BAO)

Growth of structure

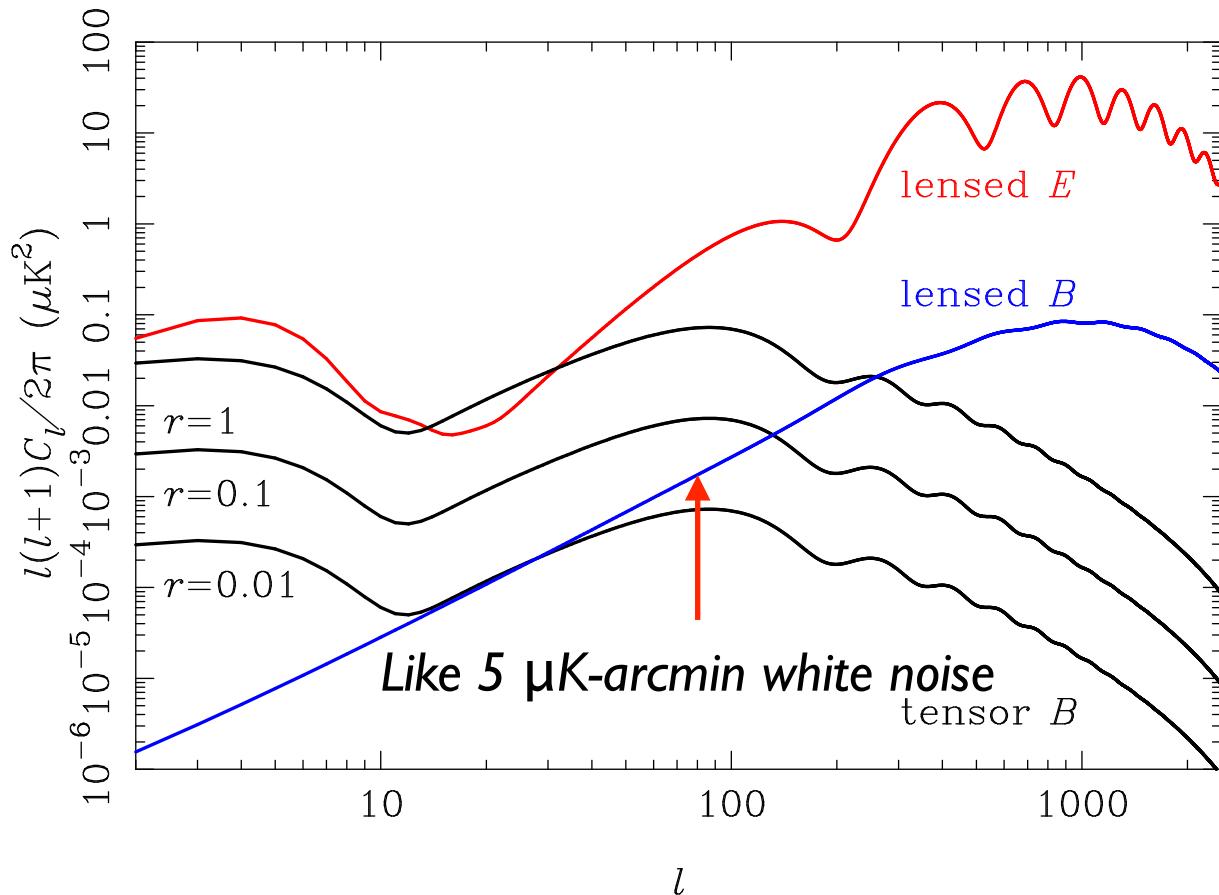
$$\langle \Sigma\Sigma \rangle \propto b^2(z) D^2(z)$$



Direct BB measurements



Delensing B-modes



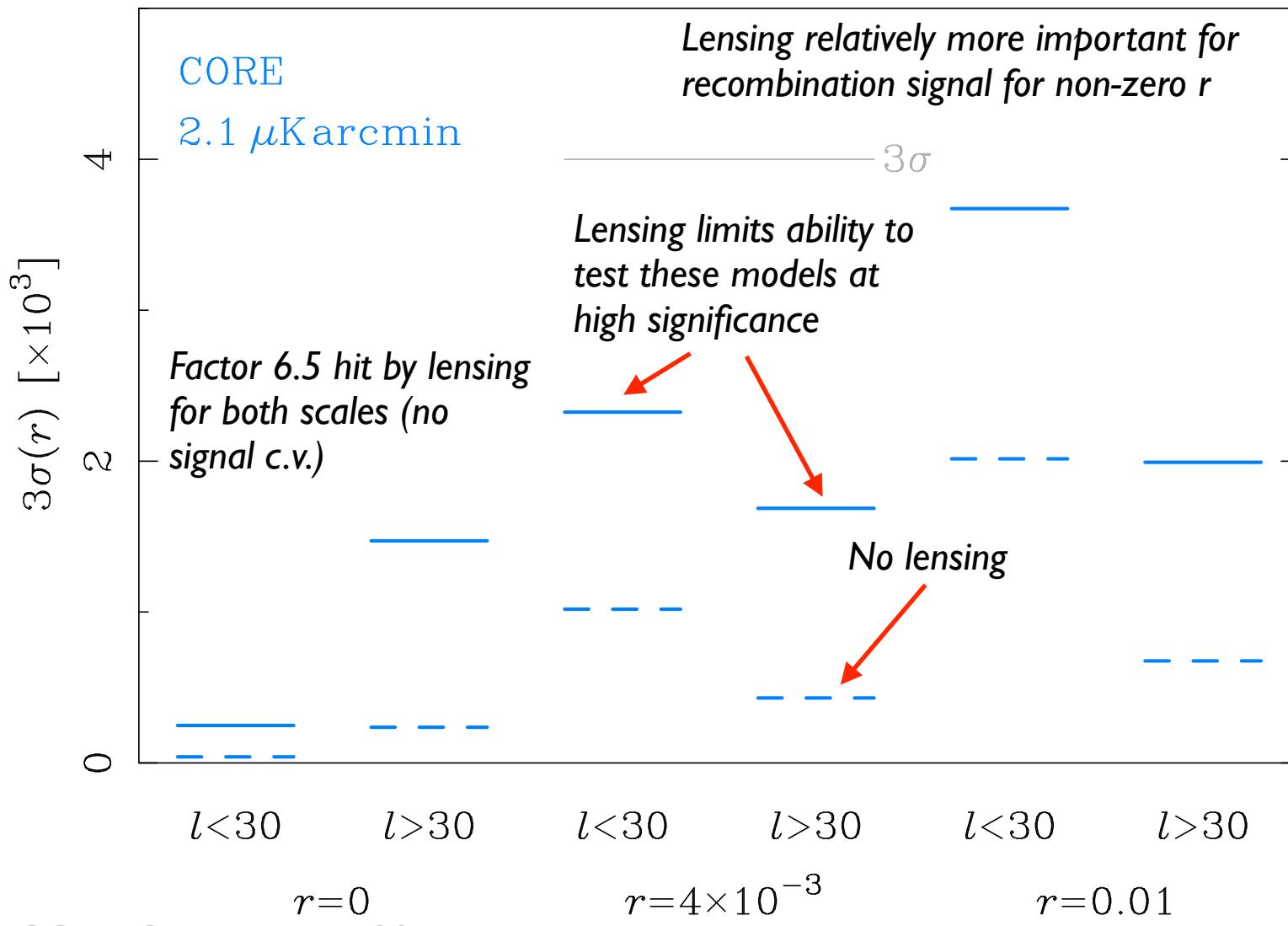
Residual lensing power:

$$C_l^{\phi\phi, \text{ delens}} = C_l^{\phi\phi} (1 - \rho_l^2)$$

- Improve limits on amplitude of GWs
 - Soon be critical
 - Limits $\sigma(r)=10^{-3}$ from $l>30$ over 10^4 deg^2

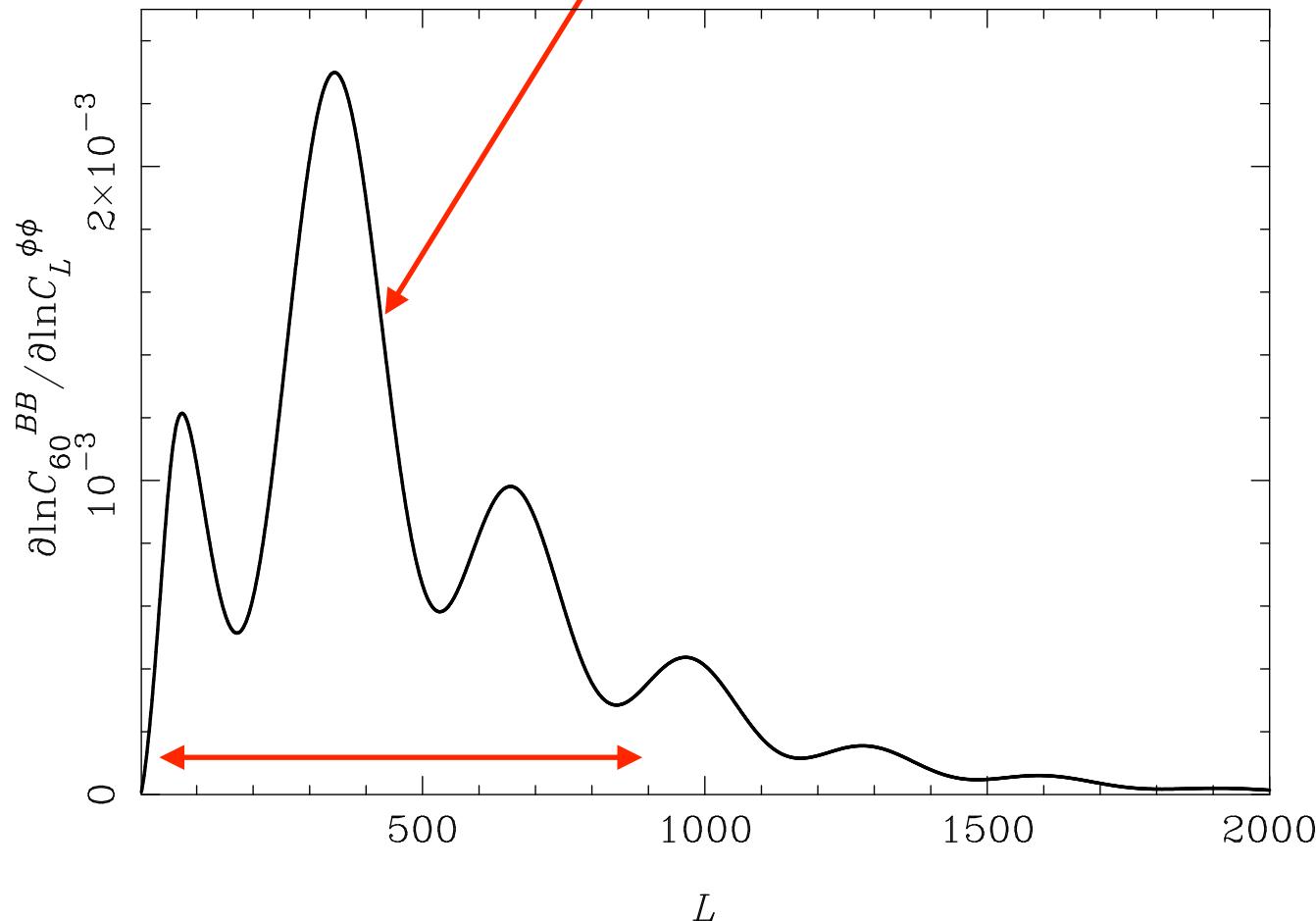
Some proxy for lensing potential

Implications for inflation constraints

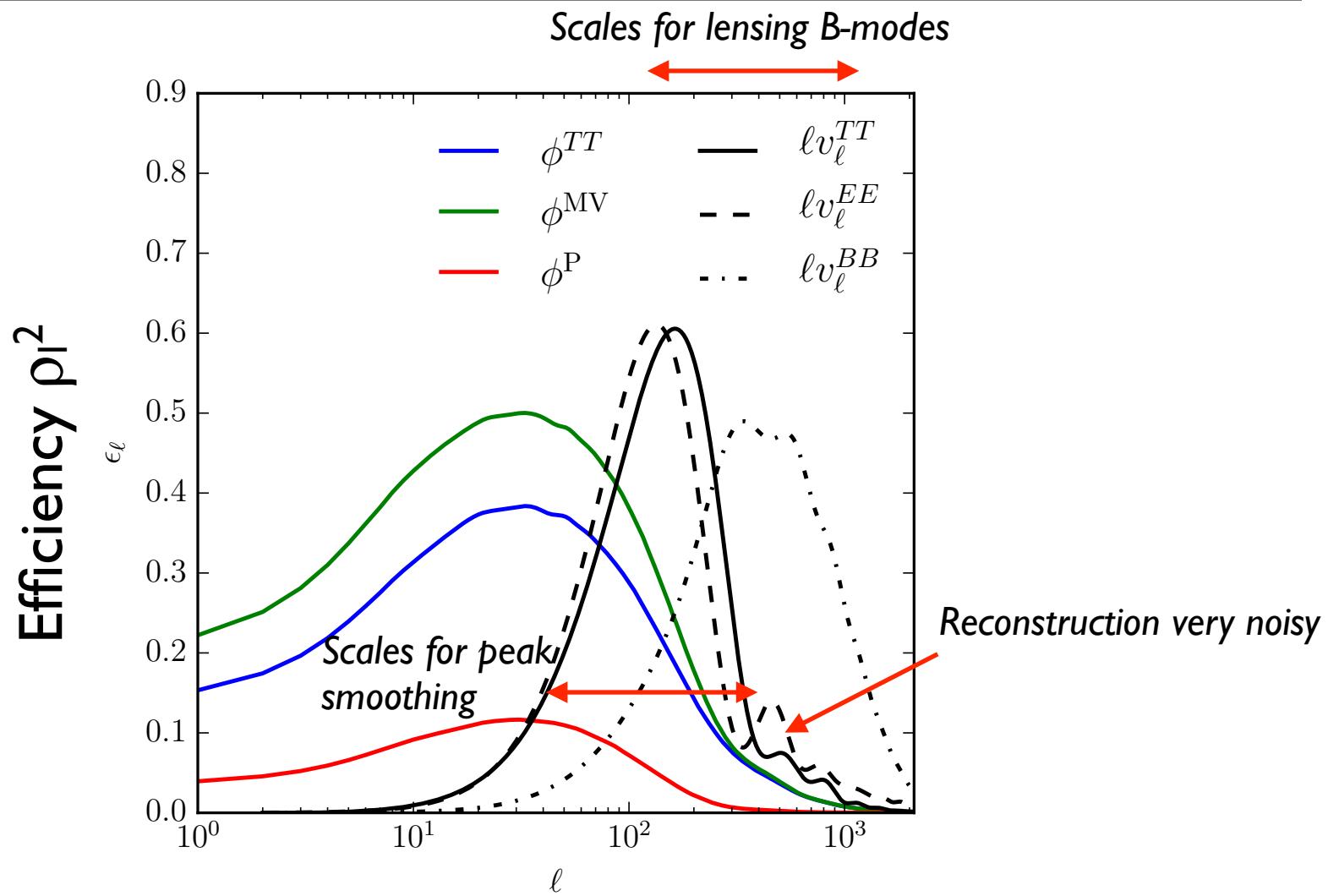


Which scales matter for BB?

$$\frac{C_l^{BB,\text{delens}}}{C_l^{BB,\text{lens}}} \approx \sum_L \boxed{\frac{\partial \ln C_l^{BB,\text{lens}}}{\partial \ln C_L^{\phi\phi}}} (1 - \rho_L^2)$$

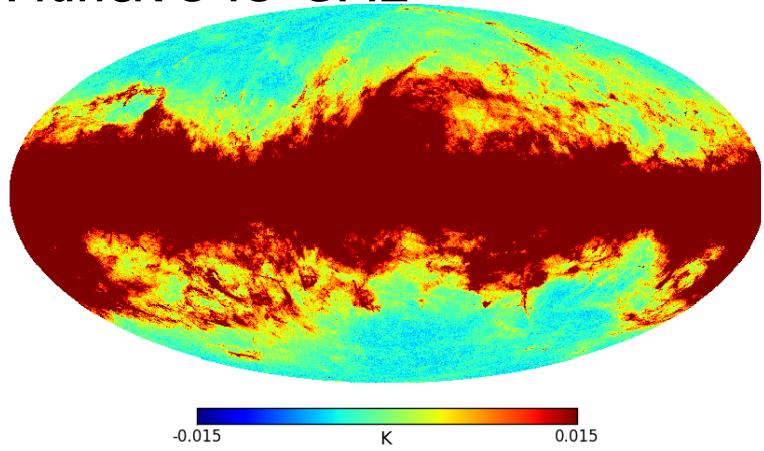


Internal delensing currently inefficient

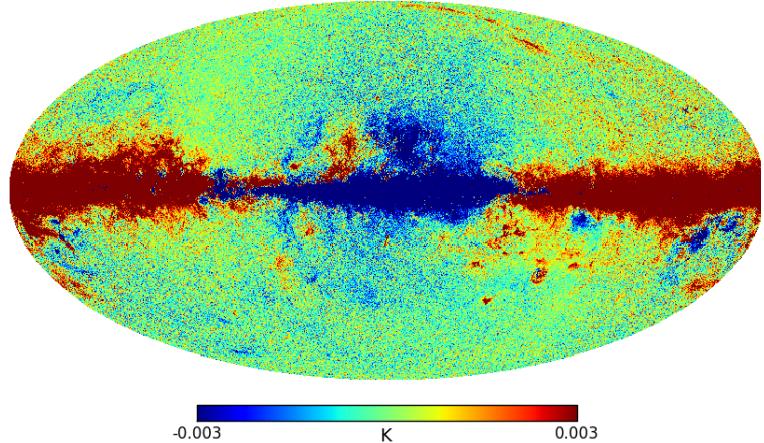


Delensing with CIB

Planck 545 GHz

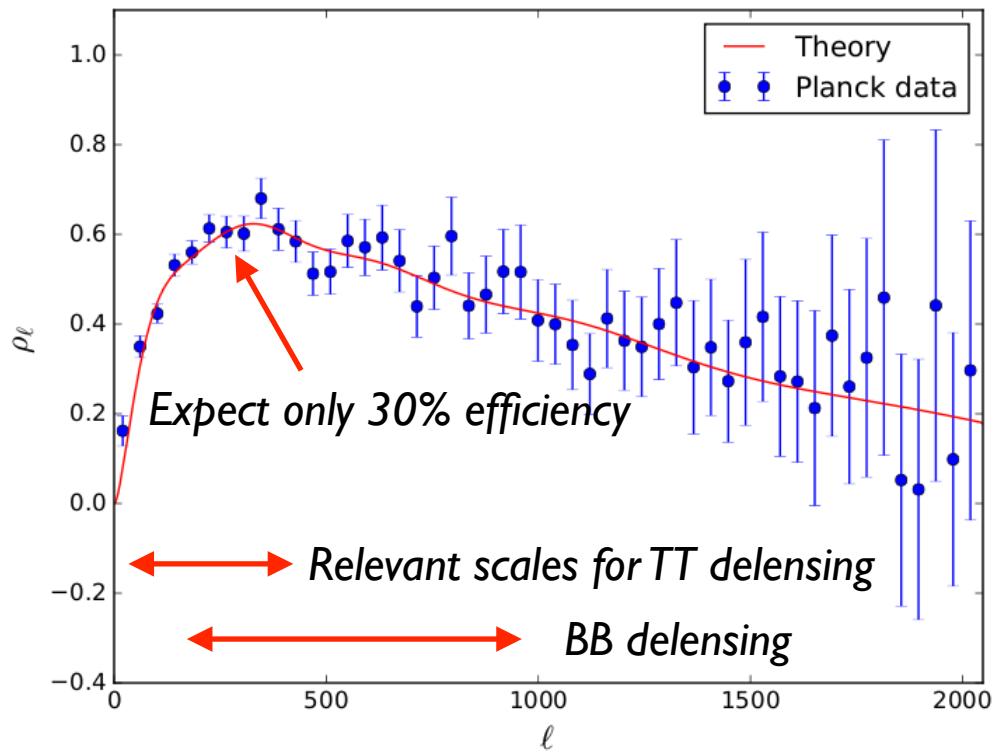


$M^{545} - M^{857/77}$

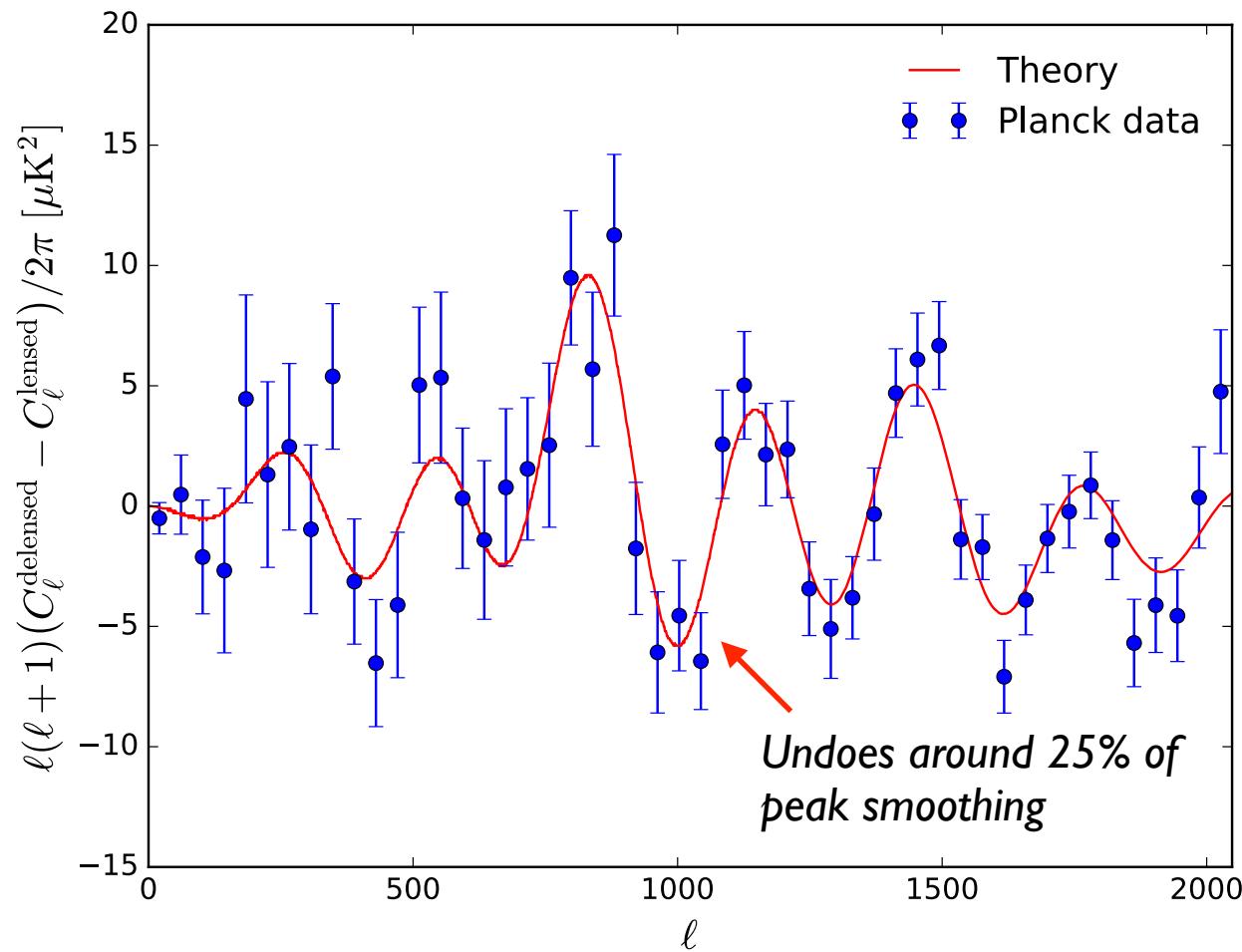


Residual dust

Instrument and shot noise



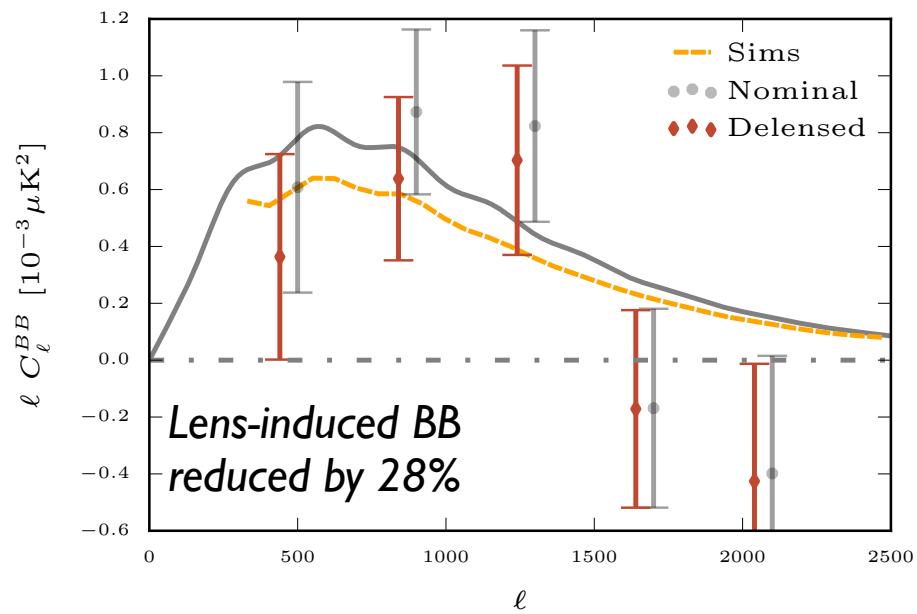
Undoing peak smoothing: TT



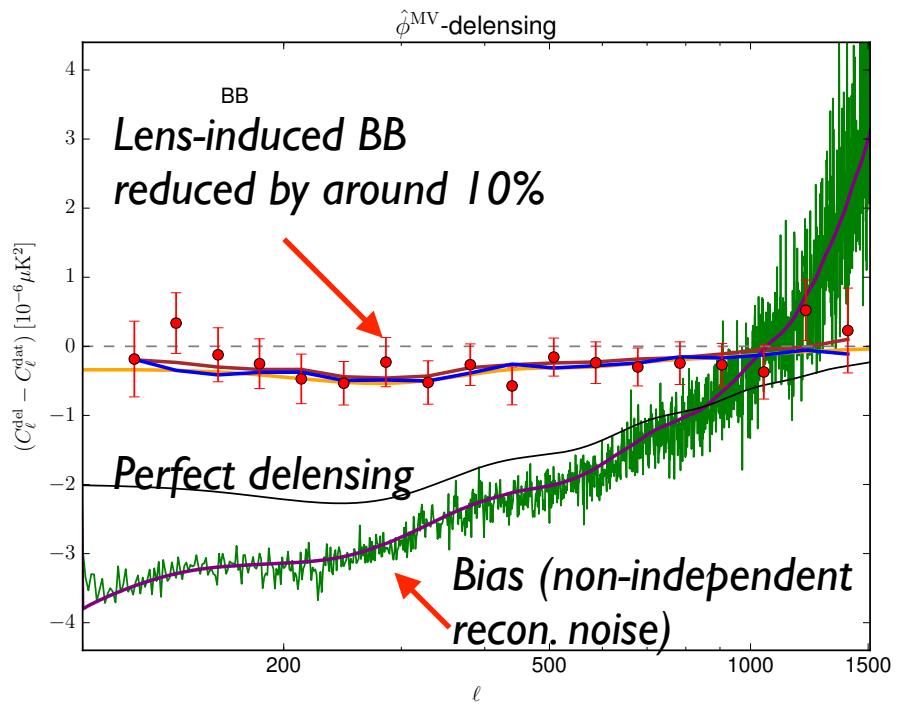
Larsen, AC, Sherwin & Mak 2016

- See Carron, Lewis & AC 2017 for internal recon. and pol.

Proof-of-concept B-mode delensing



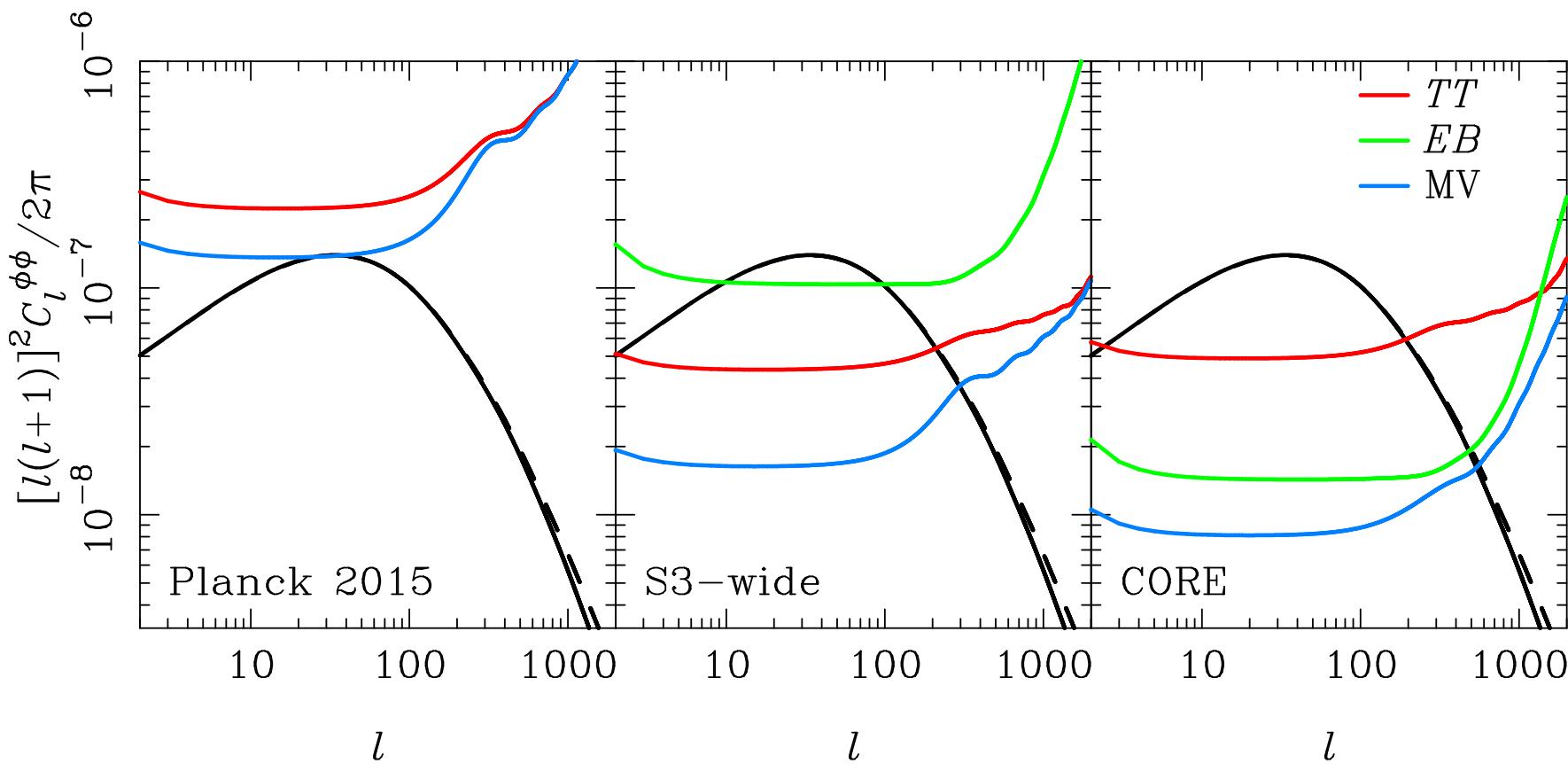
Manzotti+ 2017



Carron, Lewis & AC 2017

- 7σ detection of change in BB from delensing SPT with CIB
- Planck too noisy to detect BB directly at high significance but 10% change from internal delensing detected at 4σ

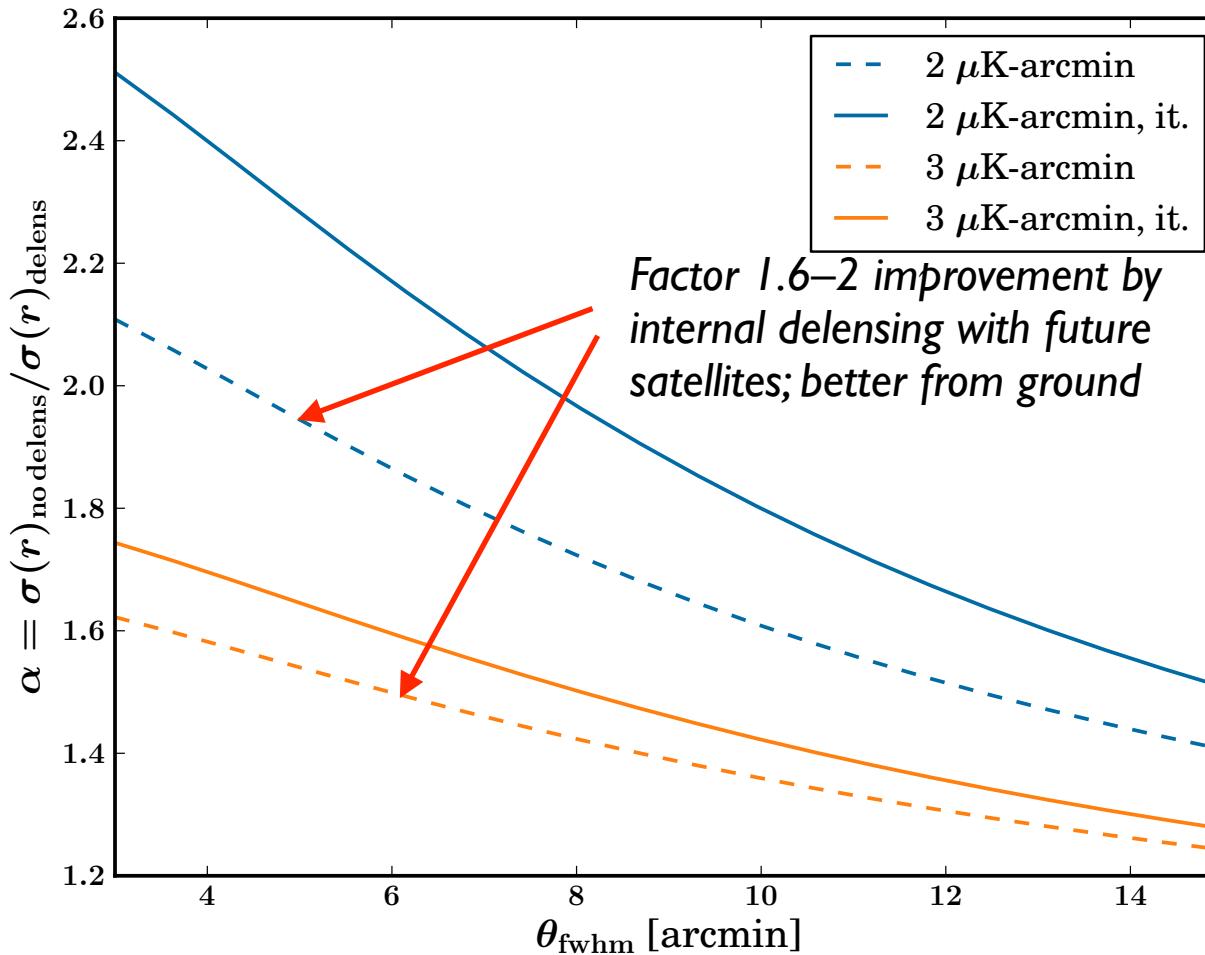
The future: towards EB dominance



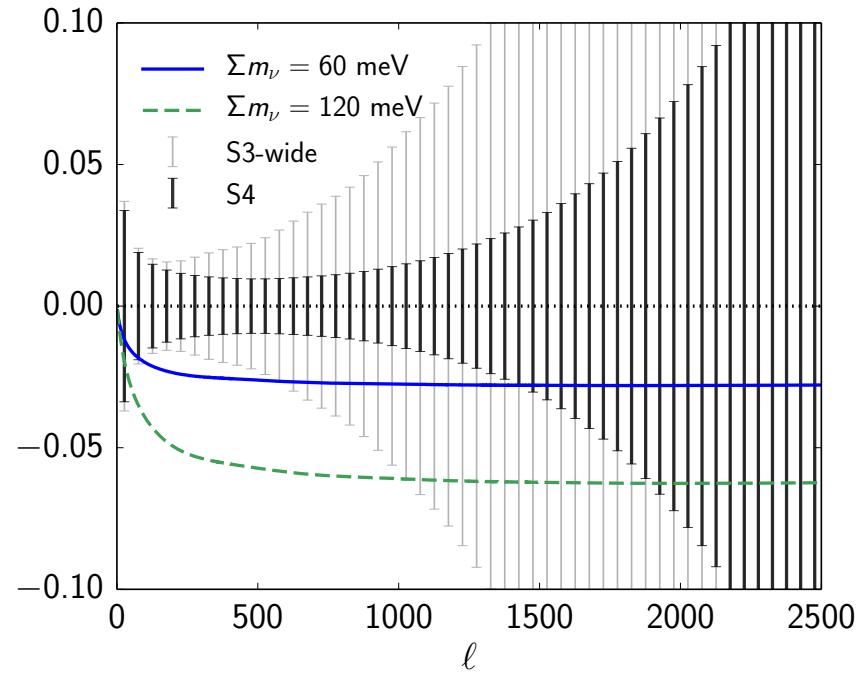
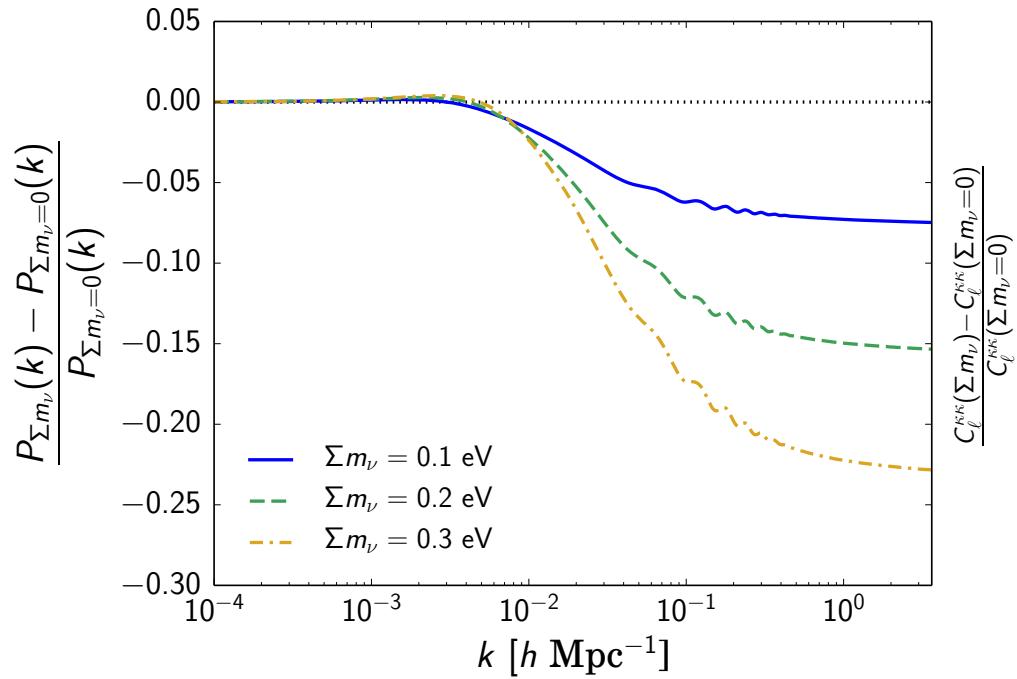
- EB particularly helpful for pol. noise $< 5 \mu\text{K arcmin}$
 - *Polarization reconstructions less susceptible to extragalactic contamination (e.g., tSZ)*

Prospects for internal delensing

Factor by which delensing improves $\sigma(r)$ for $r=0$



Opportunities



Allison+ 2015

- Large-area reconstructions with $S/N > 1$ to $L \sim 1000$
 - Excellent prospects for cross-correlation science with Euclid/DESI/LSST etc. (few $\times 10^5$ resolved CMB lensing modes)
 - Summed neutrino mass to 15 meV with future BAO (contingent on τ)