

Excitation of Internal Gravity Wave (IGW)

Stable Layer (buoyancy) in the atmosphere, B-V frequency $N > 0$

Earth $N \approx 3$ mHz

Jupiter (troposphere) $N \approx 5$ to 15 mHz

Supports Internal Gravity Waves (IGW)

larger $N \rightarrow$ faster wave speed, U

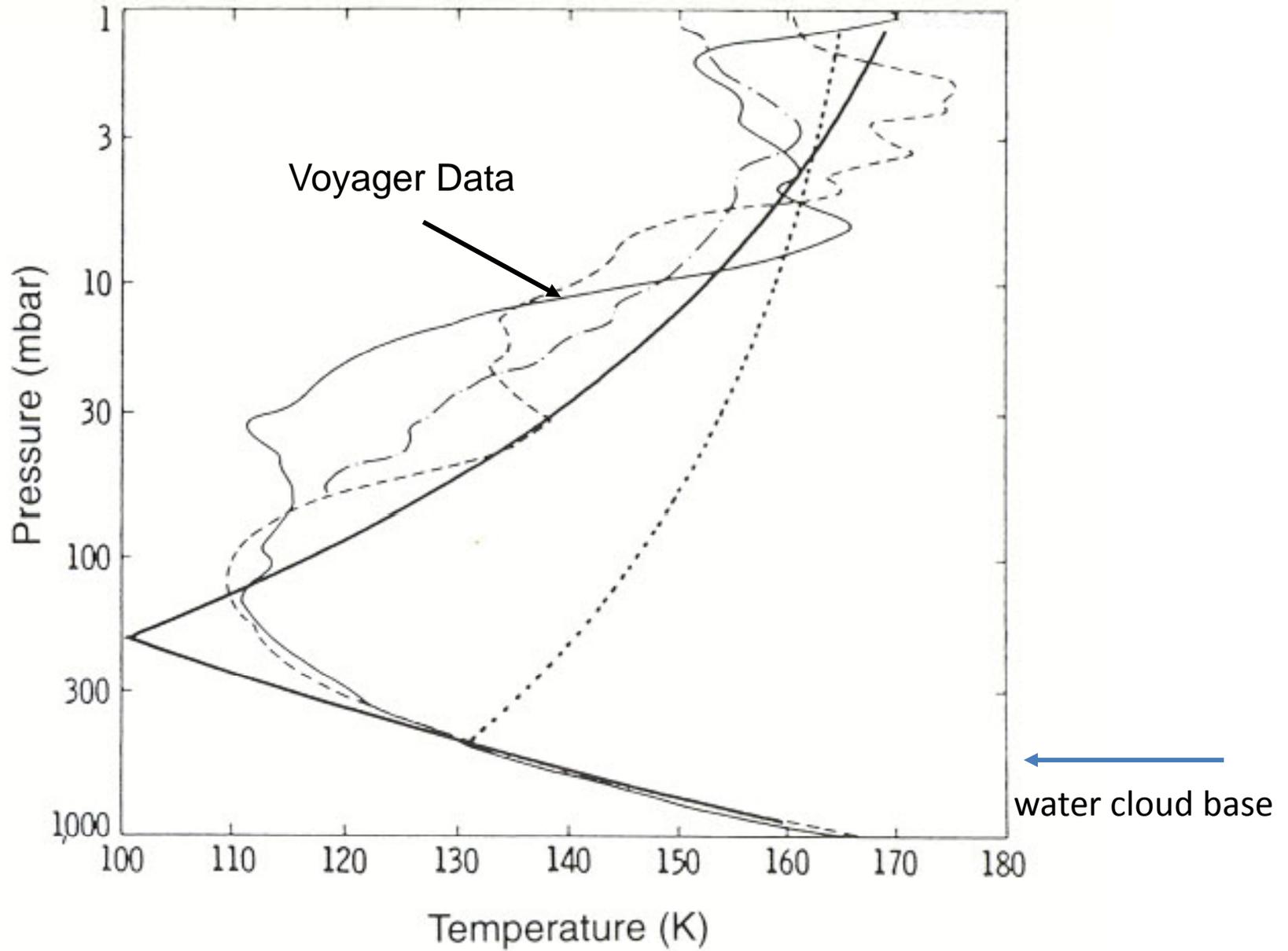
Model axisymmetric (r, z) , long wave

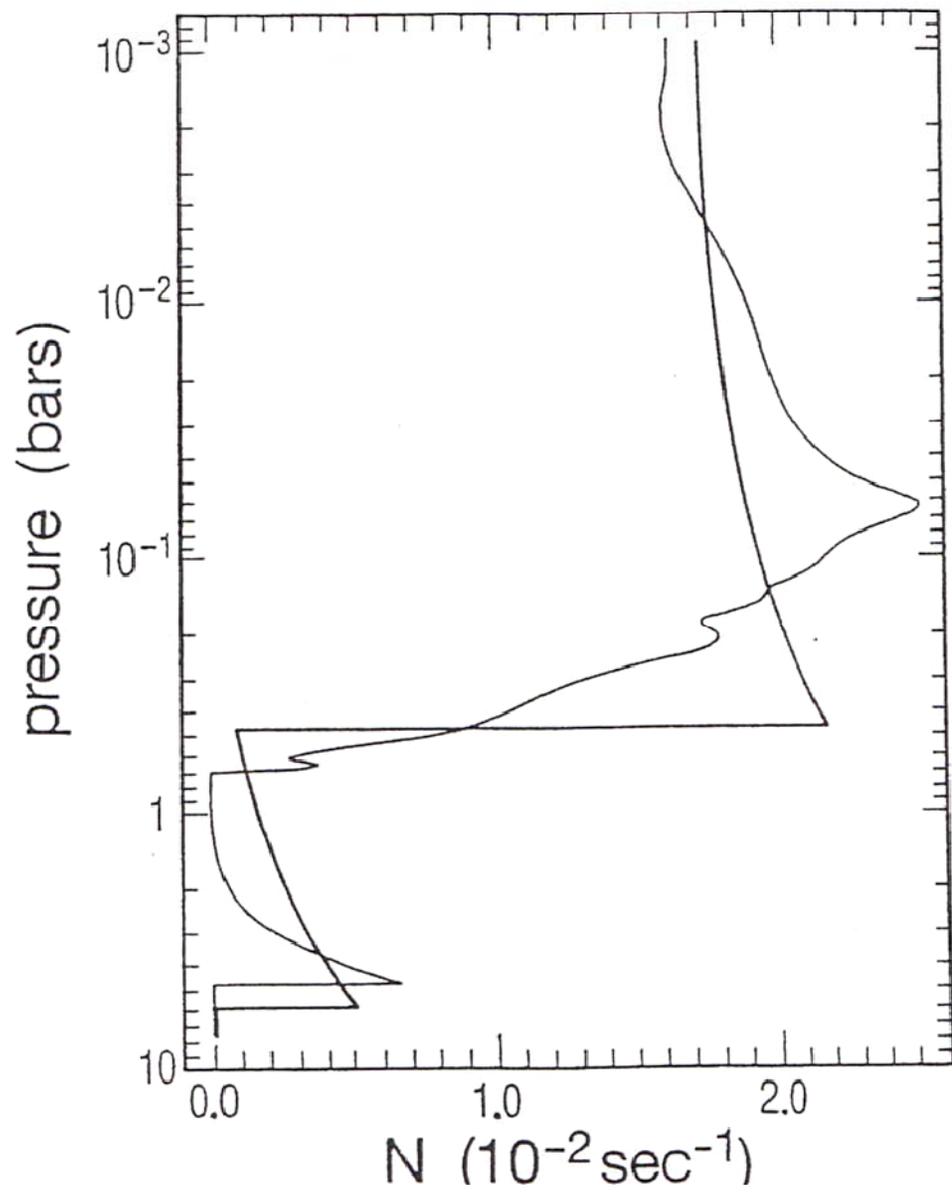
Excitation line source $E=10^{20}$ J

Vary N (deviation of temperature profile from dry adiabat)

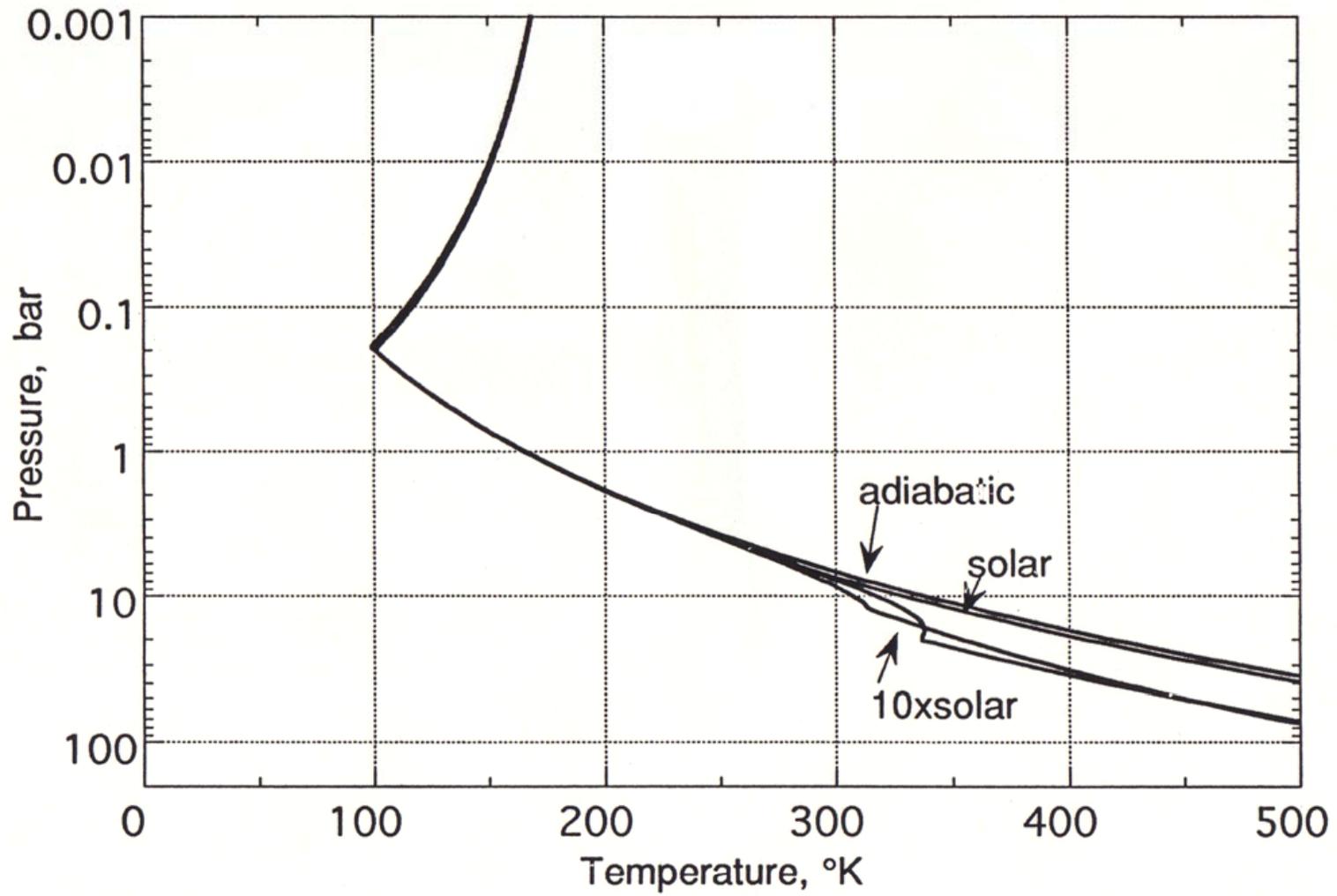
$\rightarrow U?$, Amplitude of $\Delta T?$

Temperature Profile in Jupiter's Atmosphere

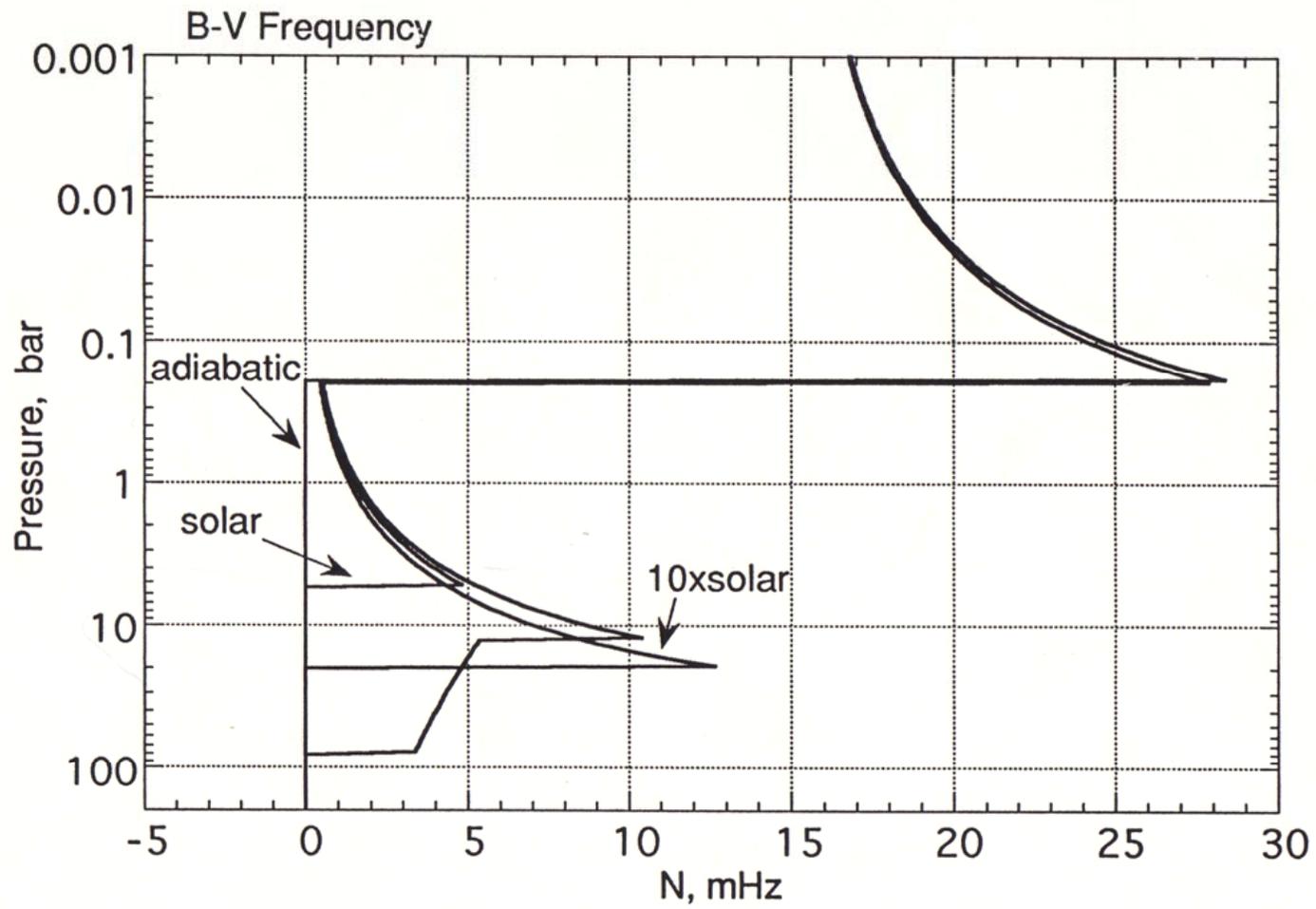




← Water cloud base,
vary O/H



Ingersoll and Kanamori (1995)



Ingersoll and Kanamori (1995)

Independent variables (isobaric coordinate) p, r, t

Dependent variable geo-potential $\Phi(p, r, t) = gz = \phi(p)\Gamma(r, t)$

temperature $T' = -\frac{p}{R} \frac{\partial \Phi}{\partial p}$

Hydrostatic condition assumed.

$$\Gamma \rightarrow \sigma$$

Source $\dot{Q}(p, r, t) = \eta(p)\delta(r)\delta(t)$

$\eta(p)$: vertical heating profile

$$\begin{aligned} & \frac{\partial}{\partial t} \left[\left(\frac{\partial^2 \Gamma}{\partial t^2} + f^2 \Gamma \right) \frac{d}{dp} \left(\frac{1}{\sigma} \frac{d\phi}{dp} \right) + \frac{1}{r} \frac{\partial}{\partial r} \left(r \frac{\partial \Gamma}{\partial r} \right) \phi \right] \\ & = - \left(\frac{\partial^2 \delta(t)}{\partial t^2} + f^2 \delta(t) \right) \frac{d}{dp} \left(\frac{\kappa \eta(p)}{\sigma p} \right) \delta(r) . \end{aligned}$$

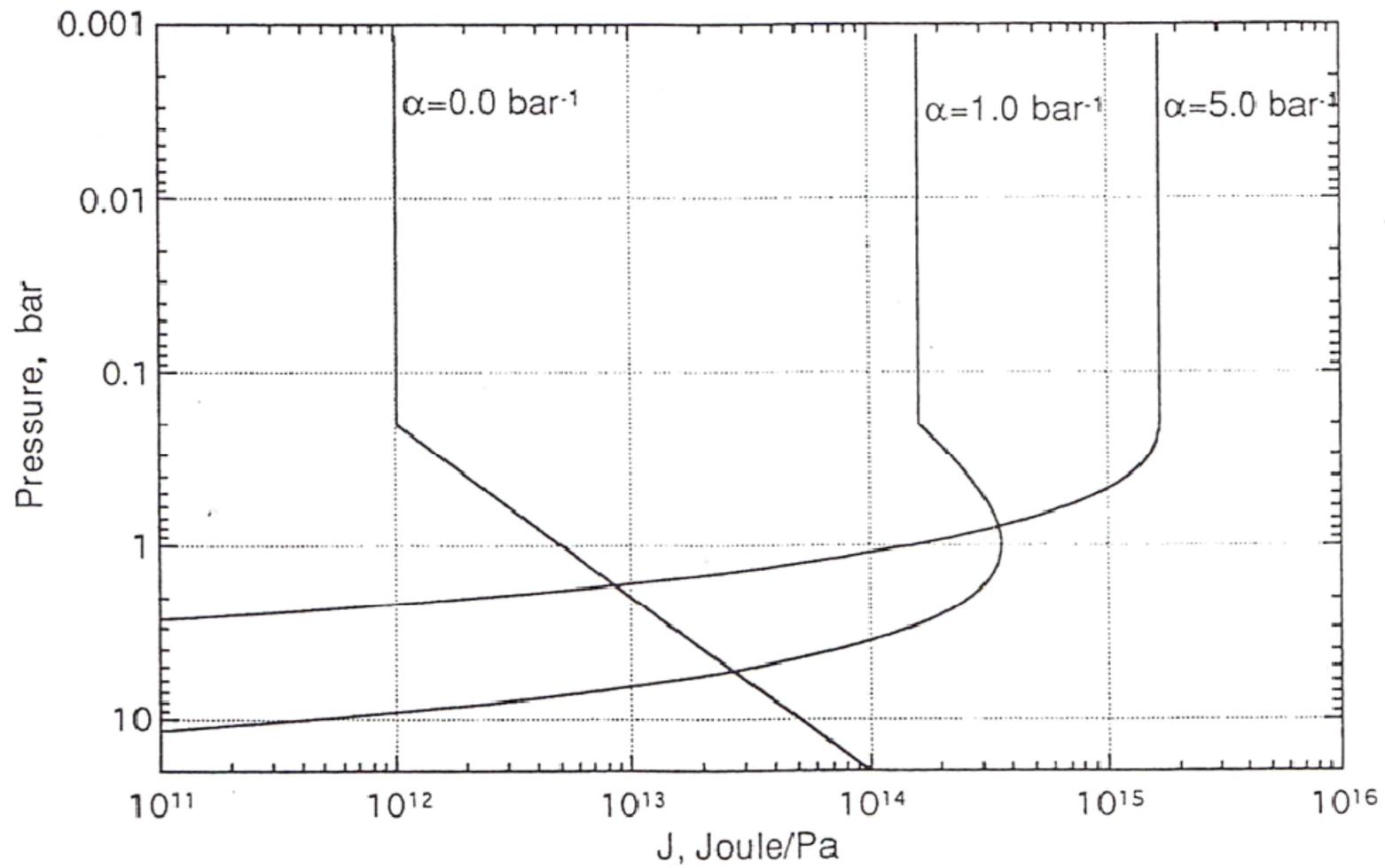
This structure suggests vertical normal modes

$$\frac{d}{dp} \left(\frac{1}{\sigma} \frac{d\phi}{dp} \right) = -\frac{1}{c^2} \phi(p) \quad \text{with } c_i \text{ and } \phi_i(p) \text{ eigen values and eigen functions (discretized)}$$

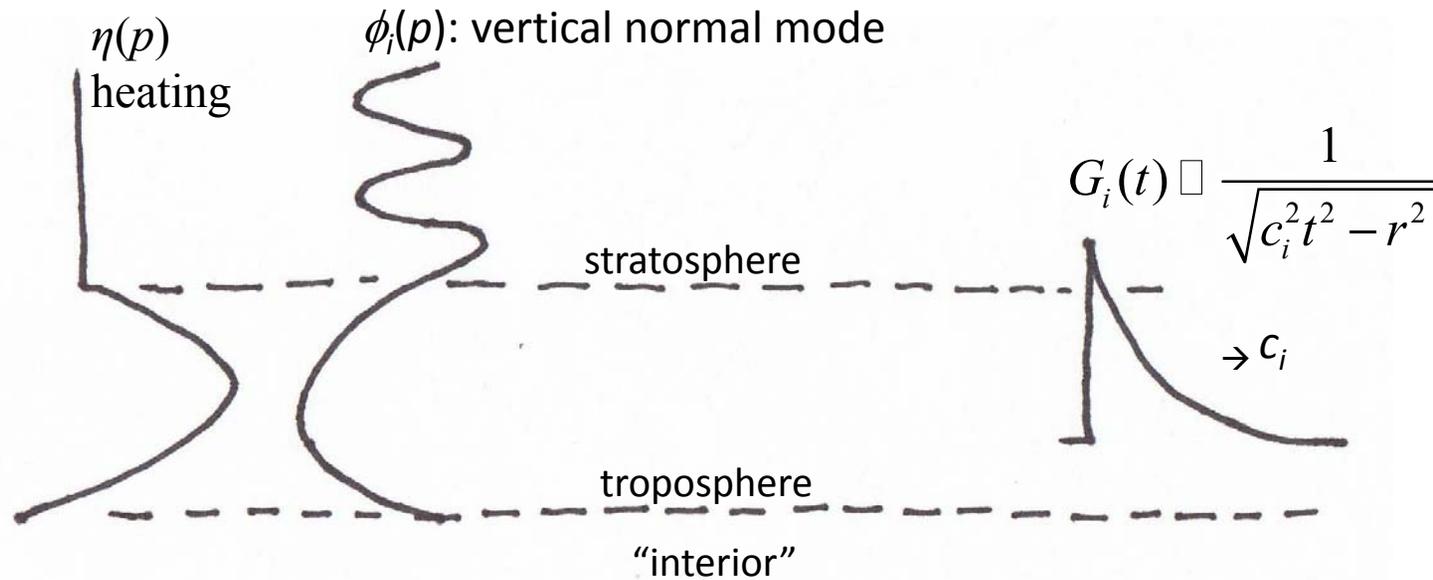
$$\Phi(p, r, t) = \sum_{i=0}^{\infty} \frac{a_i c_i}{2\pi} \phi_i(p) \frac{\partial}{\partial t} \left[\frac{1}{\sqrt{c_i^2 t^2 - r^2}} \right]$$

($f=0$ assumed above, but the method can be extended numerically to the case $f \neq 0$.)

Heating source, Total energy, 10^{20} J



Schematic figure showing IGW (Poincare) wave excited by an impulsive source

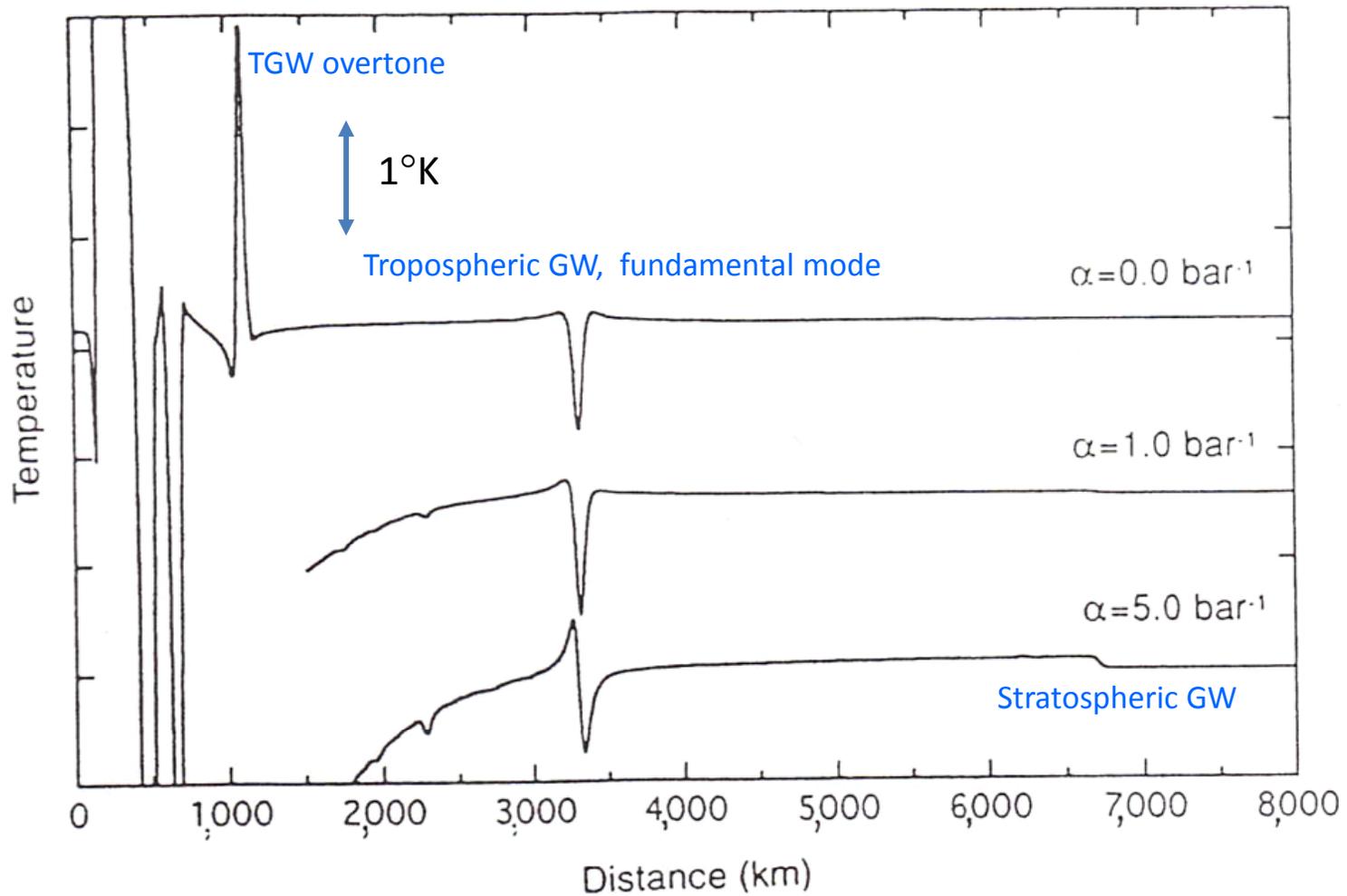


$$\Phi(p, r, t) \propto \sum_i \phi_i(p) E(c_i) \frac{\partial G_i}{\partial t}$$

c_i : horizontal wave speed

$E(c_i)$: Excitation given by $\eta(p)$

Lagrangian temperature perturbation profile at 2 hours for 3 heating profiles (at 45 mb level)



Non-dispersive wave, slower overtone than the fundamental mode

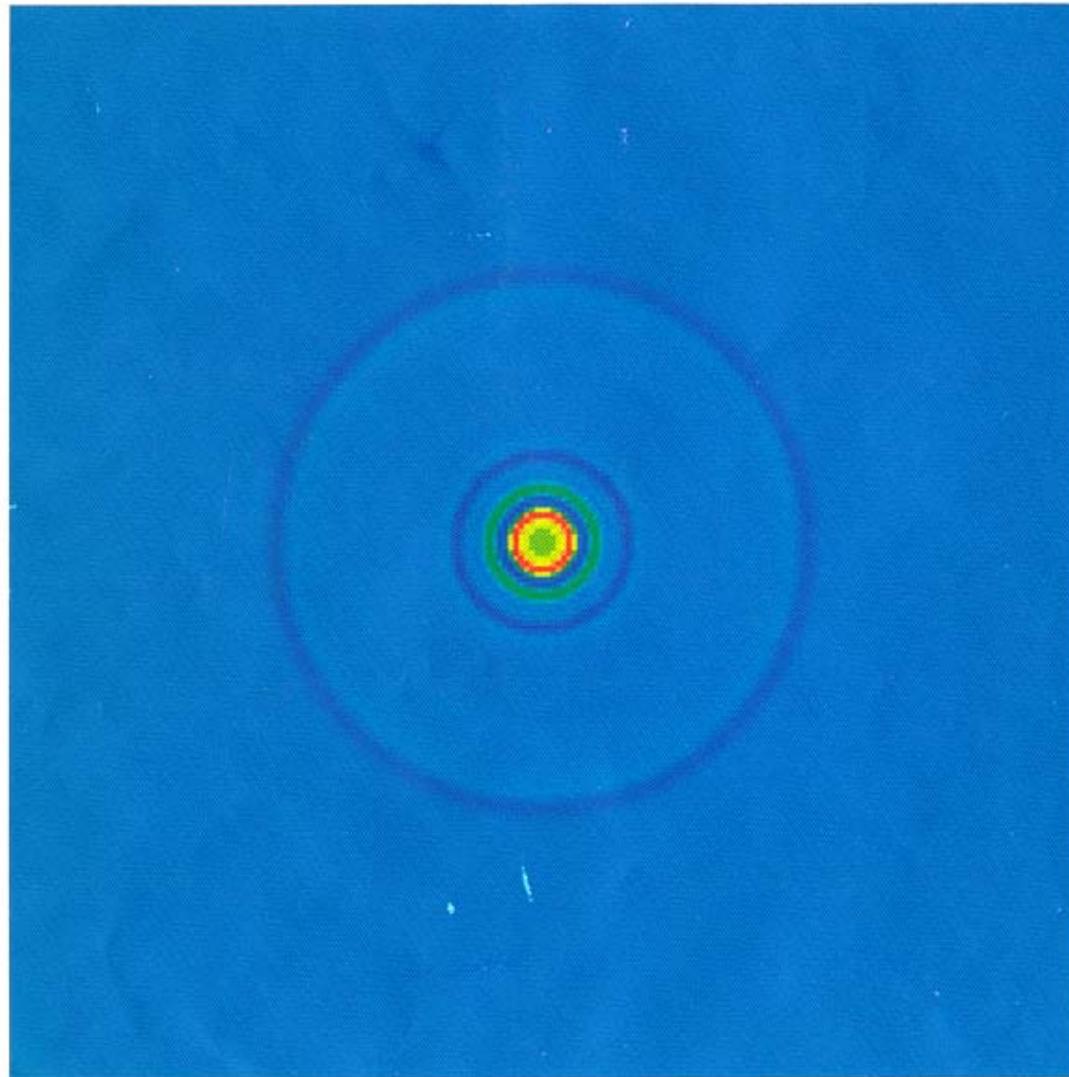
Ingersoll and Kanamori (1995)

Snap Shot of Internal Gravity Waves in Jovian Atmosphere

Outer ring :
fundamental mode

Inner rings :
overtones

at $t=5400$ sec



← 10000 km →

nature

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Crest of a jovian wave

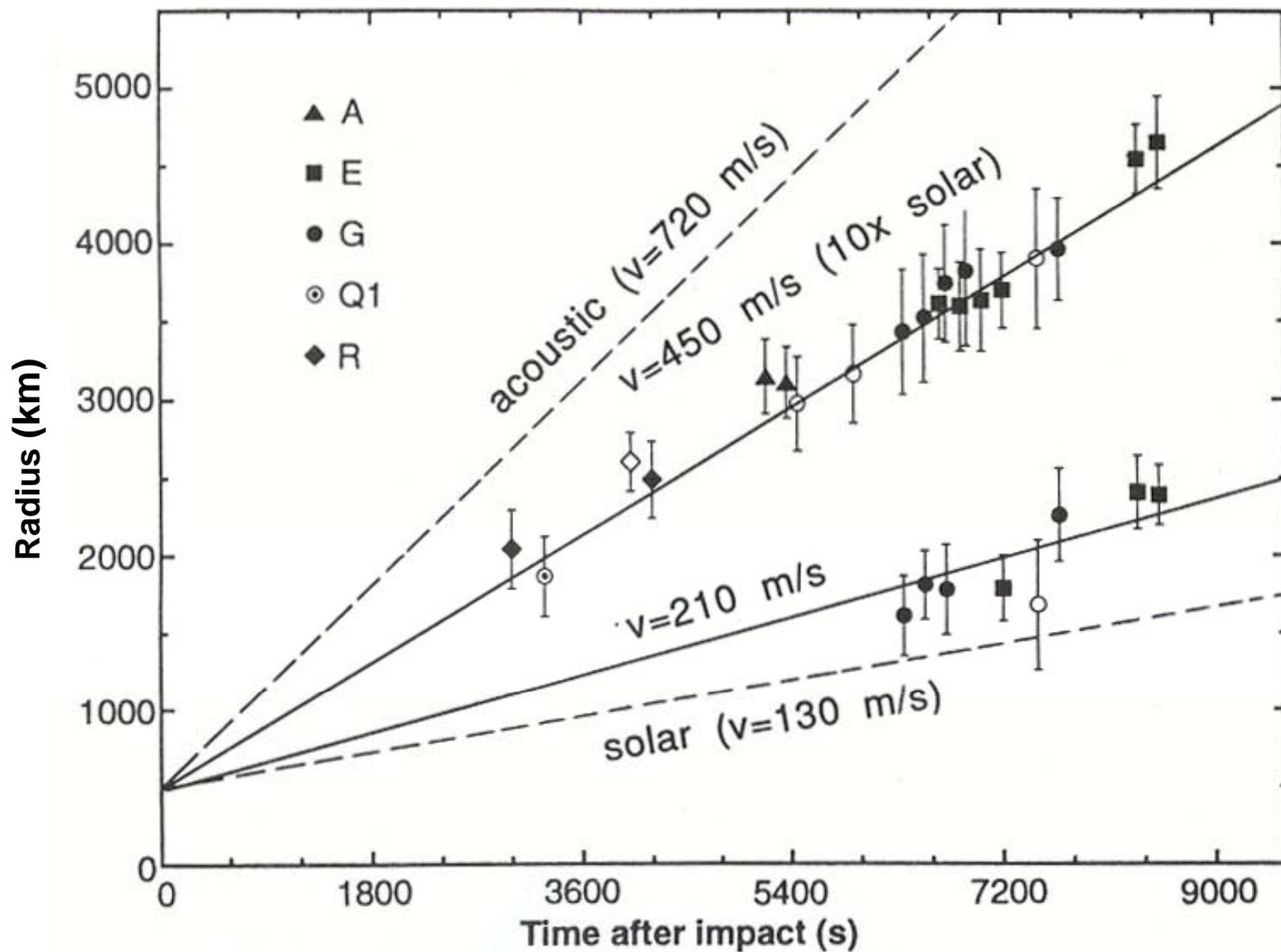
Quick shifts of the geomagnetic field

Nitrate trapping by a bacterial mat

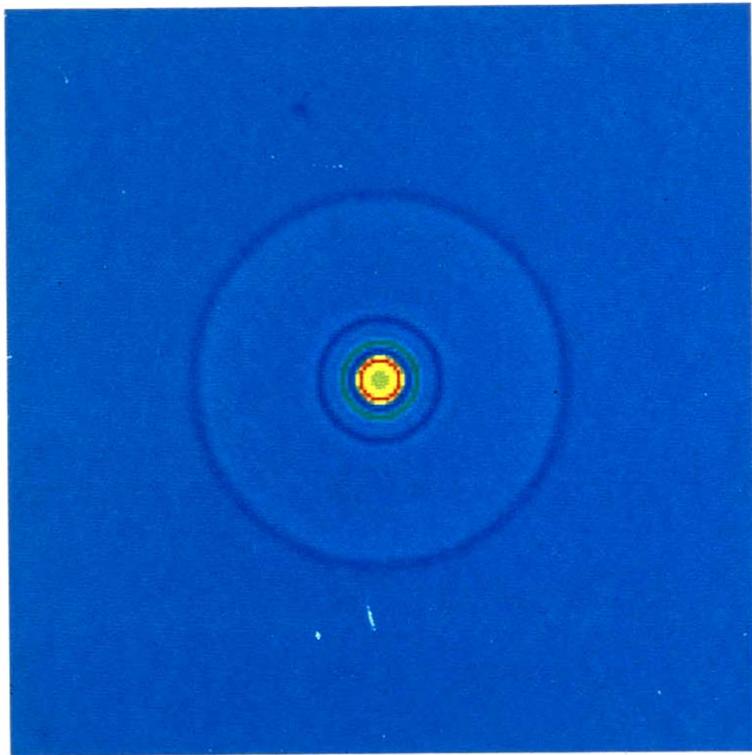
Molecular defect in *reeler* mice

Immunology / monoclonals
PRODUCT REVIEW

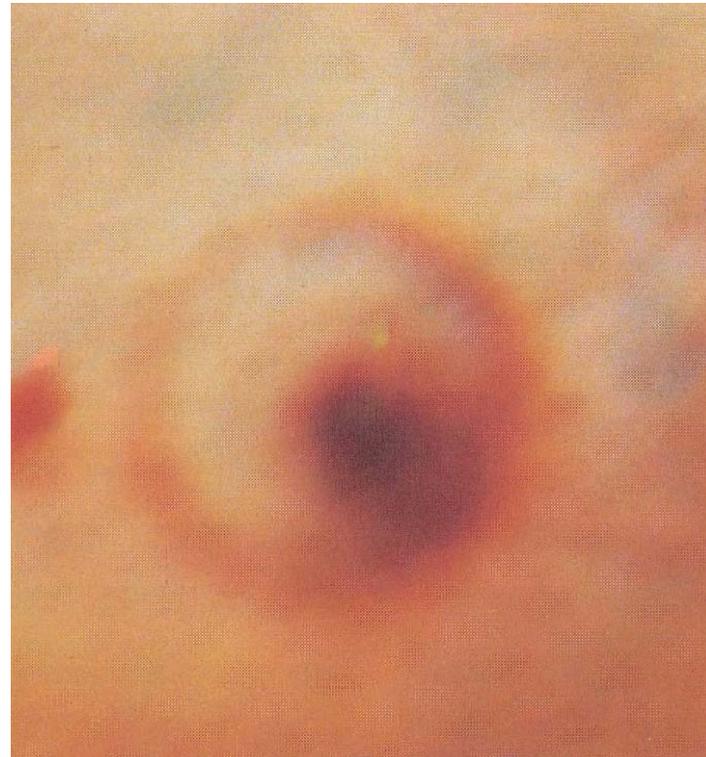
Time-Distance Curve (Travel-Time Curve)



Internal Gravity Waves in Jovian Atmosphere

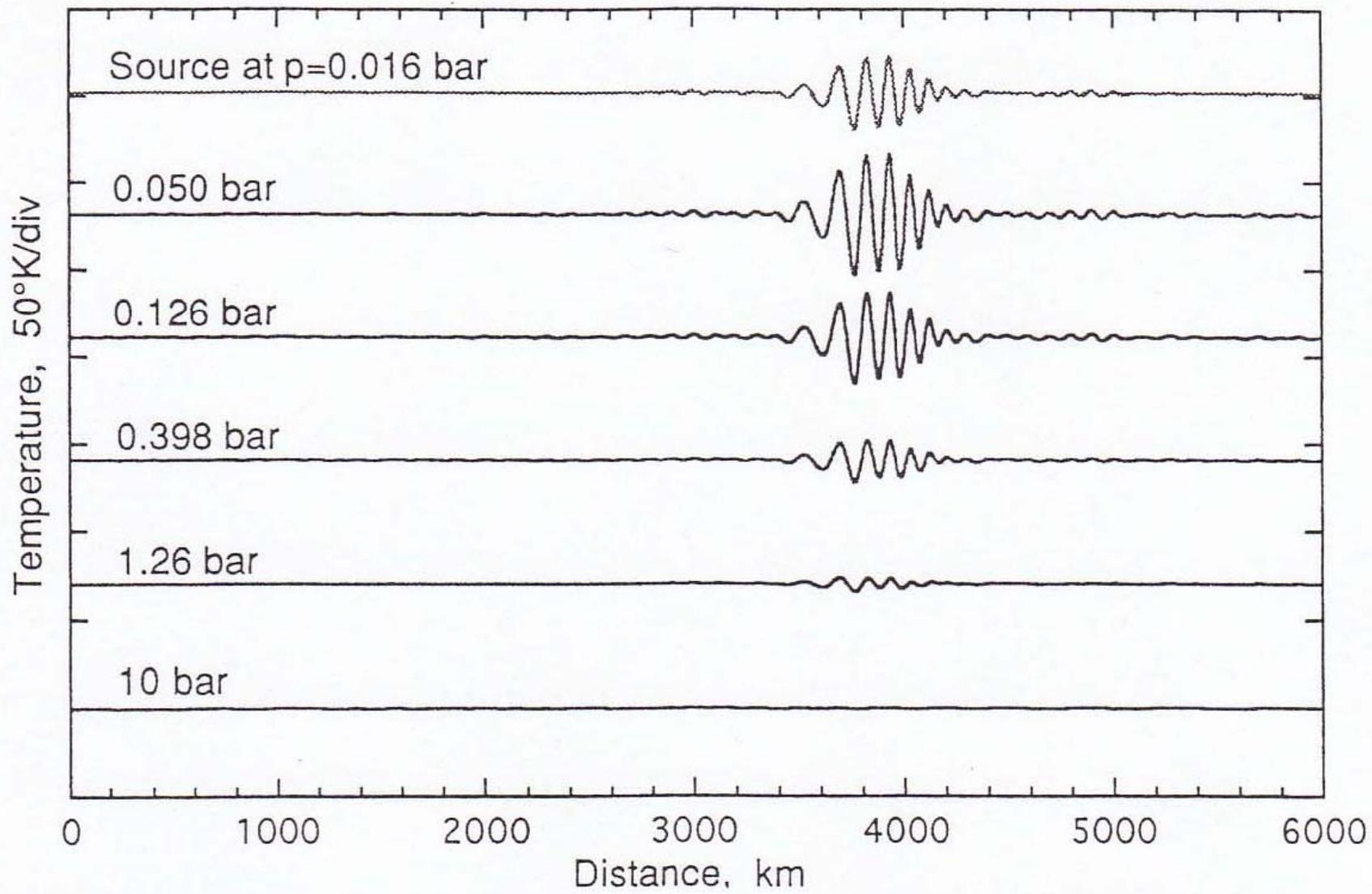


← 10000 km →



Acoustic wave (at 1.5 hours, at 126 mb)

$V=750$ m/s



End